## WEBVTT

- $1.00:00:00.330 \longrightarrow 00:00:01.500 < v \longrightarrow And welcome. < / v >$
- 2 00:00:01.500 --> 00:00:02.553 Today, it's my, eh.
- 3 00:00:04.500 --> 00:00:09.180 Today, it is my pleasure to introduce Professor Abhi Datta
- $4~00:00:09.180 \dashrightarrow 00:00:13.320$  from Johns Hopkins University in Baltimore, Maryland.
- $5~00:00:13.320 \longrightarrow 00:00:15.480$  Professor Datta earned his BS and MS
- 6 00:00:15.480 --> 00:00:17.310 from the Indian Statistical Institute
- 7 00:00:17.310 --> 00:00:20.340 in 2008 and 2010 respectively,
- $8~00:00:20.340 \dashrightarrow 00:00:24.540$  and PhD from the University of Minnesota in 2016.
- 9  $00:00:24.540 \longrightarrow 00:00:26.640$  In addition to being a well-cited researcher
- $10\ 00{:}00{:}26.640 \dashrightarrow 00{:}00{:}29.670$  with one publication that's almost 600 citations,
- $11\ 00:00:29.670 \longrightarrow 00:00:30.813$  which is pretty nice,
- 12 00:00:31.860 --> 00:00:34.560 he's also a award-winning educator,
- $13\ 00:00:34.560 --> 00:00:37.200$  having repeatedly won an excellence in teaching award
- $14\ 00:00:37.200 \longrightarrow 00:00:38.820$  from his institution.
- 15~00:00:38.820 --> 00:00:40.413 So let's welcome Dr. Datta.
- 16 00:00:44.310 --> 00:00:45.143 <-> Thank you, Robert, </v>
- $17\ 00{:}00{:}45.143 \dashrightarrow 00{:}00{:}47.940$  for the invitation to come here and give the seminar,
- $18\ 00:00:47.940 \longrightarrow 00:00:50.070$  and for the very nice introduction.
- 19 00:00:50.070 --> 00:00:51.570 Thank you everyone for coming.
- $20~00{:}00{:}52.440 \dashrightarrow 00{:}00{:}56.310~\mathrm{My}$  talk is about improving cause-specific mortality data
- 21 00:00:56.310 --> 00:00:58.290 in low and middle-income countries
- $22\ 00:00:58.290 \longrightarrow 00:01:00.090$  where the main tool to collect data
- $23\ 00:01:00.090 \longrightarrow 00:01:02.280$  is something called verbal autopsies.
- 24 00:01:02.280 --> 00:01:03.150 And the way I do it

- $25\ 00:01:03.150 --> 00:01:06.510$  is using a statistical approach called generalized Bayes.
- $26\ 00:01:06.510 \longrightarrow 00:01:07.770$  If you have not heard
- 27 00:01:07.770 --> 00:01:10.710 of verbal autopsies or generalized Bayes,
- $28~00{:}01{:}10.710 \dashrightarrow 00{:}01{:}14.130$  I can tell you that I hadn't heard of either of those things
- 29 00:01:14.130 --> 00:01:16.590 when I started working on the project,
- $30\ 00:01:16.590 \longrightarrow 00:01:17.760$  so don't worry about that,
- $31\ 00:01:17.760 \longrightarrow 00:01:20.280$  I try to give an introduction.
- $32\ 00{:}01{:}20.280 \dashrightarrow 00{:}01{:}23.970$  'Cause I mostly work on a spatial and spatial temporal data
- $33\ 00:01:23.970 \longrightarrow 00:01:26.503$  and this was a project that came along,
- $34\ 00:01:26.503$  --> 00:01:28.830 which is very different from what I used to work on.
- $35~00{:}01{:}28.830 \dashrightarrow 00{:}01{:}31.410$  But over the years, there's been a nice body of work
- $36\ 00:01:31.410 \longrightarrow 00:01:33.033$  developed in this project.
- $37\ 00:01:35.310 \longrightarrow 00:01:37.630$  So this is a joint work
- $38\ 00:01:38.914$  --> 00:01:43.710 with many different institutes and collaborators.
- 39 00:01:43.710 --> 00:01:46.230 The top row is the Hopkins bio stats team,
- 40 00:01:46.230 --> 00:01:48.300 which included my former students,
- 41 00:01:48.300 --> 00:01:50.700 Jacob Fiksel and Brian Gilbert,
- 42 00:01:50.700 --> 00:01:53.310 and my current postdoc, Sandi,
- 43 00:01:53.310 --> 00:01:56.280 and my colleague, Scott Zeger, and I
- $44\ 00:01:56.280 \longrightarrow 00:01:58.263$  lead the bio stats part of the team.
- $45\ 00:02:00.073 \longrightarrow 00:02:03.450$  Agbessi is the PI of the project in Mozambique
- $46\ 00:02:03.450 --> 00:02:07.440$  that's sort of picked up developments for this work.
- $47\ 00:02:07.440 \longrightarrow 00:02:08.670$  And there are a lot of colleagues
- $48\ 00:02:08.670 \longrightarrow 00:02:10.260$  from the International Health Department
- $49\ 00:02:10.260 \longrightarrow 00:02:12.120$  that helped to collaborate.
- $50\ 00:02:12.120 \longrightarrow 00:02:15.536$  And then Li is the PI of a new project

- 51 00:02:15.536 --> 00:02:17.430 who we're going to apply our methodology
- $52\ 00:02:17.430 \longrightarrow 00:02:21.660$  for producing mortality estimates for the WHO.
- $53\ 00:02:21.660 \longrightarrow 00:02:24.570$  So we're collaborating with Li there as well.
- 54 00:02:24.570 --> 00:02:27.360 And then a couple of people outside Hopkins,
- 55 00:02:27.360 --> 00:02:30.930 Dianna at CDC and Emory University,
- $56\ 00:02:30.930 --> 00:02:34.530$  as the director of the CHAMPS project.
- $57\ 00:02:34.530 \dashrightarrow 00:02:38.730$  And Ivalda in the government body at Mozambique
- $58\ 00:02:38.730 --> 00:02:41.670$  has been now currently doing the work in Mozambique.
- 59~00:02:43.770 --> 00:02:48.770 So this is funded by three grants from the Gates Foundation.
- 60~00:02:48.840 --> 00:02:51.840 The first one was the grant that kind of started things.
- $61\ 00:02:51.840 \longrightarrow 00:02:55.020$  And then we have a grant that is kind of developing more
- $62\ 00:02:55.020 \longrightarrow 00:02:56.620$  on the method side of the world.
- 63 00:02:58.860 --> 00:03:03.640 So, many low and middle-income countries
- 64 00:03:04.920 --> 00:03:08.400 often lack high-quality data on causes of death.
- $65\ 00:03:08.400 \longrightarrow 00:03:09.630$  Often for most deaths,
- $66\ 00:03:09.630 \longrightarrow 00:03:13.380$  there is no sort of medical certification
- 67 00:03:13.380 --> 00:03:16.170 or like an autopsy done.
- 68 00:03:16.170 --> 00:03:18.600 And without kind of high-quality data
- $69\ 00:03:18.600 \longrightarrow 00:03:20.880$  on what people are dying of,
- $70\ 00:03:20.880 --> 00:03:22.890$  it's kind of hard to estimate the disease burden
- $71\ 00:03:22.890 \longrightarrow 00:03:23.943$  in these countries.
- $72\ 00:03:24.960 \longrightarrow 00:03:27.090$  And specifically, the quantity of interest
- 73 00:03:27.090 --> 00:03:29.070 is the cause-specific mortality fraction,
- $74~00:03:29.070 \longrightarrow 00:03:33.930$  which is basically the percentage of deaths in a age group
- $75\ 00:03:33.930 \longrightarrow 00:03:36.303$  that can be attributable to a given cause.
- $76~00:03:37.740 \longrightarrow 00:03:39.510$  So cause-specific mortality fractions
- $77\ 00:03:39.510 --> 00:03:41.940$  are key pieces of information

- 78 00:03:41.940 --> 00:03:44.070 in determining the global burden of disease,
- $79\ 00:03:44.070 \longrightarrow 00:03:46.620$  which in turn dictates sovereign policy,
- $80\ 00:03:46.620 --> 00:03:49.170$  as well as like resource allocations
- $81\ 00:03:49.170 \longrightarrow 00:03:51.273$  for programs operating in this country.
- 82 00:03:54.480 --> 00:03:56.580 So verbal autopsy is an alternate way
- $83\ 00:03:56.580 \longrightarrow 00:03:58.770$  to count deaths and attribute causes
- 84 00:03:58.770 --> 00:04:02.130 without actually doing a clinical autopsy.
- 85 00:04:02.130 --> 00:04:04.320 So verbal autopsy is basically
- $86\ 00:04:04.320 \longrightarrow 00:04:06.720$  a sort of a systematic interview
- $87\ 00:04:06.720 \longrightarrow 00:04:08.340$  of the household members of the deceased.
- $88\ 00:04:08.340 --> 00:04:11.760$  So the government or the program has a set of field workers
- $89\ 00:04:11.760 --> 00:04:14.580$  who go out and go from household to household
- 90 00:04:14.580 --> 00:04:16.530 and ask if anyone died in their household
- $91\ 00:04:16.530 \longrightarrow 00:04:18.120$  within the last several months.
- 92 00:04:18.120 --> 00:04:19.920 And if they died, what were the symptoms?
- $93~00{:}04{:}19.920 \dashrightarrow 00{:}04{:}22.770$  And the set of questions they ask is not standardized
- $94\ 00:04:22.770 \longrightarrow 00:04:24.360$  by the WHO.
- 95 00:04:24.360 --> 00:04:26.610 Some example questions are here.
- 96 00:04:26.610 --> 00:04:29.190 Most of the questions would have binary answers
- $97\ 00:04:29.190 \longrightarrow 00:04:31.530$  like yes, no, but there are some questions
- $98\ 00:04:31.530 --> 00:04:35.793$  that have more like continuous responses.
- 99 00:04:38.430  $\rightarrow$  00:04:40.530 So they said the WHO has standardized
- $100\ 00:04:40.530 \longrightarrow 00:04:41.730$  the verbal autopsy tool.
- $101\ 00:04:42.990 --> 00:04:46.530$  The 2016 version has around 200 to 350 questions,
- $102\ 00:04:46.530 \longrightarrow 00:04:48.360$  depending on the age group.
- $103\ 00{:}04{:}48.360 \dashrightarrow 00{:}04{:}50.220$  There are separate sections of the question-naire
- $104\ 00:04:50.220 --> 00:04:53.880$  for neonates, children deaths and adult deaths.

- $105\ 00:04:53.880 \longrightarrow 00:04:55.770$  And if you're interested in more information
- $106\ 00{:}04{:}55.770 {\:{\mbox{--}}\!>}\ 00{:}05{:}00.063$  about verbal autopsy, there's a page in WHO about it.
- $107\ 00:05:01.560 \longrightarrow 00:05:03.720$  So a verbal autopsy, of course,
- 108 00:05:03.720 --> 00:05:05.070 doesn't give you a cause of death,
- $109\ 00:05:05.070 --> 00:05:07.620$  it just gives you a bunch of yes-no responses
- $110\ 00:05:07.620 \longrightarrow 00:05:10.233$  to various questions related to the symptoms.
- $111\ 00:05:14.325 --> 00:05:17.187$  So a verbal autopsy is basically a survey question naire.
- $112\ 00{:}05{:}17.187 \dashrightarrow 00{:}05{:}19.710$  So you can pass that survey through a computer software
- $113\ 00:05:19.710 --> 00:05:22.740$  and that can give a predictive cause of death.
- $114\ 00:05:22.740 \longrightarrow 00:05:23.700$  And so there are a bunch
- $115\ 00:05:23.700 \longrightarrow 00:05:26.163$  of different computer software available.
- 116 00:05:27.120 --> 00:05:30.540 InSilicoVA, developed by Tyler McCormick,
- 117 00:05:30.540 --> 00:05:32.403 Richard Li was a postdoc here,
- 118 00:05:33.750 --> 00:05:36.240 is published in "JASA" in 2016,
- $119\ 00:05:36.240 \longrightarrow 00:05:37.440$  is one of the, I think,
- $120\ 00:05:37.440 --> 00:05:39.900$  most statistically-principled approaches to do it.
- $121\ 00{:}05{:}39.900 \dashrightarrow 00{:}05{:}42.660$  But there are other approaches and then you can,
- $122\ 00:05:42.660 \longrightarrow 00:05:44.700$  this is basically a classification problem.
- $123\ 00:05:44.700 --> 00:05:47.700$  So you're basically given your data on symptoms,
- 124 00:05:47.700 --> 00:05:50.000 you're kind of classifying the cause of death
- $125\ 00:05:50.000 \longrightarrow 00:05:51.420$  as one of several causes.
- $126\ 00:05:51.420 --> 00:05:54.420$  So you can use standard classifiers
- 127 00:05:54.420 --> 00:05:56.420 and machine learning approaches as well.
- $128\ 00:05:57.606 --> 00:05:59.010$  OpenVA is an excellent resource
- $129\ 00:05:59.010 \longrightarrow 00:06:00.480$  to learn about verbal autopsies.
- 130 00:06:00.480 --> 00:06:02.943 Again, openVA is,
- 131 00:06:03.811 --> 00:06:05.520 I think Richard is one of the maintainers

- $132\ 00:06:05.520 \longrightarrow 00:06:06.693$  and creators of openVA.
- 133 00:06:11.400 --> 00:06:14.040 So the COMSA project in Mozambique,
- $134\ 00:06:14.040 \longrightarrow 00:06:16.710$  one of the main goals was to generate
- 135 00:06:16.710 --> 00:06:19.440 this cause-specific mortality fractions
- $136\ 00:06:19.440 \longrightarrow 00:06:21.360$  for children's and under,
- $137\ 00:06:21.360 \longrightarrow 00:06:23.160$  for neonates and under-five children
- $138\ 00:06:24.360 \longrightarrow 00:06:26.250$  for the country of Mozambique.
- $139\ 00{:}06{:}26.250 \dashrightarrow 00{:}06{:}30.300$  And the data that we collected was a large dataset
- 140 00:06:30.300 --> 00:06:32.037 of vocal autopsy record
- 141 00:06:32.037 --> 00:06:34.080 for different households that were surveyed
- $142\ 00:06:34.080 \longrightarrow 00:06:37.860$  and that was a map of Mozambique
- $143\ 00:06:37.860 \longrightarrow 00:06:41.080$  and the green region show
- $144\ 00:06:41.080 --> 00:06:42.960$  where the data was collected
- $145\ 00:06:42.960 \longrightarrow 00:06:44.370$  as part of the COMSA project.
- $146\ 00:06:44.370 \longrightarrow 00:06:49.370$  So in statistical terms, the data just has the symptoms,
- 147 00:06:49.380 --> 00:06:50.970 it doesn't have the true cause of death,
- $148\ 00:06:50.970 \longrightarrow 00:06:52.863$  so we call it the unlabeled data.
- $149\ 00{:}06{:}56.970 \dashrightarrow 00{:}07{:}00.060$  So how to go from an unlabeled data to the labeling
- $150\ 00:07:00.060 \longrightarrow 00:07:01.491$  of the causes of death
- $151\ 00:07:01.491 \longrightarrow 00:07:03.720$  and then estimate these cause fractions.
- $152\ 00:07:03.720 --> 00:07:07.755$  This is the standard procedure that is typically done
- $153\ 00:07:07.755 --> 00:07:09.870$  and this is what we were supposed to do as well,
- $154\ 00:07:09.870 \longrightarrow 00:07:12.300$  which is simply take each record,
- 155 00:07:12.300 --> 00:07:14.430 pass it through the computer software
- $156\ 00:07:14.430 \longrightarrow 00:07:16.050$  and get a cause of death.
- 157 00:07:16.050 --> 00:07:17.580 And once you get a cause of death,
- 158 00:07:17.580 --> 00:07:19.440 then you can sort of simply aggregate.

- $159\ 00:07:19.440 \longrightarrow 00:07:21.210$  So in the story example,
- $160\ 00{:}07{:}21.210 --> 00{:}07{:}24.930$  three out of the six cases were assigned to be from HIV.
- $161\ 00{:}07{:}24.930 \dashrightarrow 00{:}07{:}27.390$  And so the cause-specific mortality fraction for HIV
- 162~00:07:27.390 --> 00:07:31.950 would be 50% and similar for malaria and sepsis and so on.
- $163\ 00:07:31.950 \longrightarrow 00:07:35.160$  So that's the basic template
- $164\ 00{:}07{:}35.160 {\:{\mbox{--}}}{>} 00{:}07{:}37.590$  of how to get a cause-specific mortality fractions
- $165\ 00:07:37.590 \longrightarrow 00:07:39.060$  from verbal autopsies.
- $166\ 00:07:39.060 \longrightarrow 00:07:41.010$  The question is can we trust this estimates?
- $167\ 00:07:41.010 --> 00:07:42.960$  Because these are not true causes of death
- $168\ 00:07:42.960 \longrightarrow 00:07:45.900$  as determined by a doctor or by a clinical procedure.
- $169\ 00{:}07{:}45.900 {\: -->\:} 00{:}07{:}48.300$  These are cause of death predicted by an algorithm
- $170\ 00{:}07{:}48.300 \dashrightarrow 00{:}07{:}52.140$  based on just surveying the household members
- $171\ 00:07:52.140 \longrightarrow 00:07:53.103$  of the deceased.
- 172 00:07:57.295 --> 00:07:59.730 So turns out machine learning has a name
- $173\ 00:07:59.730 \longrightarrow 00:08:01.020$  for this type of problems,
- $174\ 00:08:01.020 \longrightarrow 00:08:03.630$  it's called quantification learning,
- $175\ 00:08:03.630 --> 00:08:06.870$  which is basically estimating population prevalence
- 176 00:08:06.870 --> 00:08:09.900 using predicted levels instead of true levels
- $177\ 00{:}08{:}09.900 \dashrightarrow 00{:}08{:}12.570$  and the predictions are coming from a classifier.
- $178\ 00{:}08{:}12.570 \dashrightarrow 00{:}08{:}15.510$  And so there has been some work in quantification learning
- 179 00:08:15.510 --> 00:08:18.900 and in the machine learning literature.
- 180 00:08:18.900 --> 00:08:20.640 So when we were working on this problem,
- $181\ 00:08:20.640 \longrightarrow 00:08:21.960$  we realized that estimating
- $182\ 00:08:21.960 --> 00:08:23.760$  cause-specific mortality fractions

- $183\ 00{:}08{:}23.760 \dashrightarrow 00{:}08{:}26.760$  using predicted cause of death data from verbal autopsy
- 184 00:08:26.760 --> 00:08:28.953 is an example of quantification learning.
- $185\ 00:08:30.690 \longrightarrow 00:08:34.620$  So just a sort of an overview of terms that we'll be using
- $186\ 00:08:34.620 \longrightarrow 00:08:36.570$  and the corresponding statistical notation.
- $187\ 00:08:36.570 \longrightarrow 00:08:41.570$  So our true cause of death is y which we do not observe.
- $188\ 00:08:41.760 --> 00:08:43.310$  We want to estimate the probability
- 189 00:08:43.310 --> 00:08:45.330 of population prevalence of y,
- 190 00:08:45.330 --> 00:08:47.433 so y is a categorical variable.
- 191 00:08:48.510 --> 00:08:50.640 And so probability of y or p
- 192 00:08:50.640 --> 00:08:52.770 is our cause-specific mortality fraction,
- $193\ 00:08:52.770 \longrightarrow 00:08:54.780$  which is the estimand.
- 194 00:08:54.780 --> 00:08:57.390 We observed the verbal autopsy, which is a,
- 195 00:08:57.390 --> 00:09:00.180 think of this as a high dimensional
- $196\ 00:09:00.180 \longrightarrow 00:09:01.740$  or a long list of yes-no answers
- $197\ 00:09:01.740 --> 00:09:05.850$  to the verbal autopsy questions, so that is x,
- $198\ 00:09:05.850 \longrightarrow 00:09:08.010$  and this x is passed through a software
- 199 00:09:08.010 --> 00:09:11.913 to give a predicted level, which is a of x or simply a.
- $200\ 00:09:17.070 --> 00:09:21.060$  So what we have in the COMSA project
- $201\ 00:09:21.060 \longrightarrow 00:09:24.600$  is simply an unlabeled dataset
- $202\ 00:09:24.600 \longrightarrow 00:09:28.350$  which uses these verbal autopsy responses,
- $203\ 00:09:28.350 \dashrightarrow 00:09:33.350$  pass it through a software and get the predicted levels.
- $204\ 00:09:33.510 --> 00:09:36.870$  We do not observe the true levels, y,
- $205\ 00{:}09{:}36.870 \dashrightarrow 00{:}09{:}40.170$  we may or may not retain the verbal autopsy responses
- $206\ 00:09:40.170 \longrightarrow 00:09:41.790$  because those are identifiable data
- 207 00:09:41.790 --> 00:09:43.290 and those are often not released,
- $208\ 00:09:43.290$  --> 00:09:46.500 so often, just the predicted cause of that is available.

- 209 00:09:46.500 --> 00:09:50.070 So even these covariates, x, may or may not be available.
- $210\ 00:09:50.070 \dashrightarrow 00:09:53.340$  And then we are interested in estimating the probability
- $211\ 00:09:53.340 \longrightarrow 00:09:57.720$  that y belongs to one of the C many cause categories,
- 212 00:09:57.720 --> 00:09:59.913 so that's a quantity of interest.
- $213\ 00{:}10{:}05.160 \dashrightarrow 00{:}10{:}07.470$  For some reason, there is a conditional sign
- $214\ 00:10:07.470 \longrightarrow 00:10:09.090$  that's missing there.
- $215\ 00:10:09.090 \longrightarrow 00:10:13.080$  But you can use the law of total probability
- $216\ 00:10:13.080 \longrightarrow 00:10:16.050$  to write the probability of the predicted cause of death,
- $217\ 00:10:16.050 \longrightarrow 00:10:17.610$  which is the a,
- 218 00:10:17.610 --> 00:10:22.020 probability of a as a sum of our probability of a given y
- $219\ 00:10:22.020 \longrightarrow 00:10:24.150$  times probability of y.
- 220 00:10:24.150 --> 00:10:26.190 So there's a conditional sign missing here,
- 221 00:10:26.190 --> 00:10:28.190 I don't don't know what's going on here.
- 222 00:10:32.010 --> 00:10:33.180 But the COMSA data,
- $223\ 00:10:33.180 --> 00:10:36.090$  we only get information on the left-hand side, right?
- 224 00:10:36.090 --> 00:10:40.770 And we want to input upon the quantity probability of y
- 225 00:10:40.770 --> 00:10:42.863 which would be the true CSMFs.
- 226 00:10:44.031 --> 00:10:45.960 So there is only one known quantity
- $227\ 00{:}10{:}45.960 \dashrightarrow 00{:}10{:}48.193$  with which you can estimate the left-hand side.
- $228\ 00{:}10{:}48.193 \dashrightarrow 00{:}10{:}50.010$  There are two unknown quantities on the right-hand side.
- $229\ 00{:}10{:}50.010 \dashrightarrow 00{:}10{:}53.820$  So without making assumptions, you cannot really identify
- 230 00:10:53.820 --> 00:10:55.950 probability of y, right?
- $231\ 00:10:55.950 \longrightarrow 00:10:58.530$  So any quantification learning methods

- $232\ 00:10:58.530 --> 00:11:01.620$  need to either estimate those conditional probabilities,
- $233\ 00:11:01.620 \longrightarrow 00:11:03.510$  probability of a given y,
- $234\ 00:11:03.510 \longrightarrow 00:11:05.133$  or make some assumptions on it.
- 235 00:11:07.680 --> 00:11:12.680 So again, all the conditional signs are missing.
- 236 00:11:16.410 --> 00:11:18.990 The one of the most common approaches,
- $237\ 00{:}11{:}18.990 \dashrightarrow 00{:}11{:}22.170$  and this is what is used in the verbal autopsy world
- 238 00:11:22.170 --> 00:11:24.540 is called classify and count,
- $239\ 00:11:24.540 \longrightarrow 00:11:27.930$  which is you simply predict the cause of death
- $240\ 00:11:27.930 \longrightarrow 00:11:29.220$  and then aggregate.
- 241 00:11:29.220 --> 00:11:33.439 So you're simply claiming that probability of a
- $242\ 00:11:33.439 \longrightarrow 00:11:36.420$  is same as probability of y which is equivalent to claiming
- $243\ 00:11:36.420 \longrightarrow 00:11:38.850$  that this misclassification rate matrix
- 244 00:11:38.850 --> 00:11:41.310 is an identity matrix, right?
- $245\ 00{:}11{:}41.310 \dashrightarrow 00{:}11{:}43.740$  Because you're saying that the left hand quantity
- $246\ 00{:}11{:}43.740 \dashrightarrow 00{:}11{:}47.530$  is the same as the rightmost quantity, which would be true
- $247\ 00:11:48.390 \longrightarrow 00:11:50.760$  if there is no misclassification by the algorithm
- $248\ 00{:}11{:}50.760 \dashrightarrow 00{:}11{:}52.680$  and if the predicted cause of death
- $249\ 00:11:52.680 \longrightarrow 00:11:54.423$  is always the true cause of death.
- 250 00:11:55.860 --> 00:11:58.110 And that's what is typically done
- $251\ 00{:}11{:}58.110 \dashrightarrow 00{:}12{:}01.890$  in this cause-specific mortality fraction estimates.
- $252\ 00:12:01.890 --> 00:12:03.630$  But it's a very strong assumption, right?
- $253\ 00:12:03.630 \longrightarrow 00:12:07.200$  Because it says assuming perfect sensitivity and specificity
- $254\ 00:12:07.200 \longrightarrow 00:12:08.050$  of the algorithm.
- $255\ 00{:}12{:}09.570 \dashrightarrow 00{:}12{:}11.880$  So let's look at how perfect the algorithms are
- $256\ 00:12:11.880 \longrightarrow 00:12:13.320$  So these are two algorithms,

- 257 00:12:13.320 --> 00:12:15.510 Tariff and InSilicoVA,
- $258\ 00{:}12{:}15.510 \dashrightarrow 00{:}12{:}19.950$  PHMRC data is a benchmark dataset from four countries
- $259\ 00:12:19.950 \longrightarrow 00:12:21.870$  that has both the verbal autopsy data
- $260\ 00{:}12{:}21.870 \dashrightarrow 00{:}12{:}26.250$  as well as a gold standard cause of death diagnosis.
- 261 00:12:26.250 --> 00:12:30.000 And you can see the accuracies of either method
- 262 00:12:30.000 --> 00:12:32.940 is around 30%, so they're far from being
- $263\ 00:12:32.940 \longrightarrow 00:12:34.443$  like fully accurate.
- $264\ 00:12:35.850 \longrightarrow 00:12:39.330$  So there is large misclassification rates
- $265\ 00{:}12{:}39.330 \dashrightarrow 00{:}12{:}41.790$  of these algorithms and if you don't kind of adjust
- 266 00:12:41.790 --> 00:12:44.430 for these misclassifications,
- 267 00:12:44.430 --> 00:12:45.540 this is burden estimates
- $268\ 00{:}12{:}45.540 \dashrightarrow 00{:}12{:}48.480$  of the cause-specific mortality fractions you get
- 269 00:12:48.480 --> 00:12:50.230 are likely going to be very biased.
- $270~00:12:53.610 \longrightarrow 00:12:57.660$  So this is where the CHAMPS project comes into play.
- 271 00:12:57.660 --> 00:13:00.090 So the CHAMPS is an ongoing project
- $272\ 00{:}13{:}00.090 \dashrightarrow 00{:}13{:}04.650$  in like seven or eight countries including Mozambique,
- 273 00:13:04.650 --> 00:13:07.380 which is collecting data on both verbal autopsy
- $274\ 00{:}13{:}07.380 \dashrightarrow 00{:}13{:}11.310$  and a more comprehensive cause of death procedure
- 275 00:13:11.310 --> 00:13:13.830 called minimally invasive tissue sampling.
- $276\ 00{:}13{:}13.830 \dashrightarrow 00{:}13{:}17.490$  So it basically takes a sample of your tissue
- $277\ 00:13:17.490 --> 00:13:20.460$  of the deceased person and then runs a bunch
- 278 00:13:20.460 --> 00:13:23.070 of pathological tests and imaging analysis
- $279\ 00:13:23.070 \longrightarrow 00:13:25.410$  and then gives a cause of death.
- $280\ 00:13:25.410 \longrightarrow 00:13:29.080$  And the MITS cause of death assignments
- 281 00:13:30.330 --> 00:13:32.790 have been shown to be quite accurate when you compare

- $282\ 00:13:32.790 \longrightarrow 00:13:34.593$  to like a full diagnostic autopsy.
- $283\ 00:13:36.210 \longrightarrow 00:13:37.920$  So MITS is being done in a bunch
- $284\ 00:13:37.920 \longrightarrow 00:13:40.950$  of different countries including Mozambique.
- 285 00:13:40.950 --> 00:13:43.380 And for the cases where MITS is being done,
- $286\ 00:13:43.380 \longrightarrow 00:13:45.990$  the verbal autopsies are also collected.
- 287 00:13:45.990 --> 00:13:48.120 So what you get from this CHAMPS data
- $288\ 00:13:48.120 --> 00:13:50.310$  is a labeled or paired dataset
- $289\ 00:13:50.310 --> 00:13:51.930$  where you have both the verbal autopsy
- $290\ 00:13:51.930 \longrightarrow 00:13:54.000$  as well as the MITS cause of death
- $291~00{:}13{:}54.000 \rightarrow 00{:}13{:}57.630$  and you can pass the verbal autopsy to the software
- $292\ 00{:}13{:}57.630 \dashrightarrow 00{:}14{:}00.254$  to get the verbal autopsy predicted cause of death.
- $293\ 00:14:00.254 \longrightarrow 00:14:01.770$  And then you can cross tabulate the two
- $294\ 00:14:01.770 \longrightarrow 00:14:04.470$  and get an estimate of the misclassification rates, right?
- 295 00:14:04.470 --> 00:14:05.917 Like you can say like,
- $296\ 00:14:05.917 \longrightarrow 00:14:08.370$  "Oh okay, so there are 10 cases
- 297 00:14:08.370 --> 00:14:10.830 that the MITS cause of death was HIV,
- 298 00:14:10.830 --> 00:14:12.180 out of those 10 cases,
- $299\ 00:14:12.180 \longrightarrow 00:14:15.060$  seven of them were correctly assigned to HIV
- $300\ 00:14:15.060 \longrightarrow 00:14:16.380$  by verbal autopsy.
- $301\ 00:14:16.380 \longrightarrow 00:14:19.980$  So then the sensitivity would be 70%
- $302\ 00:14:19.980 \longrightarrow 00:14:22.827$  and the false positive would be 30%, so on."
- $303\ 00:14:27.060 \longrightarrow 00:14:29.130$  So this is the broad idea of the methodology.
- $304\ 00:14:29.130 --> 00:14:32.250$  So for the COMSA data, which is the unpaired data,
- 305 00:14:32.250 --> 00:14:34.440 you get only the verbal autopsy record
- $306\ 00:14:34.440 \longrightarrow 00:14:37.110$  so you can get an estimate of the predicted cause of deaths
- $307\ 00:14:37.110 \longrightarrow 00:14:38.880$  from the verbal autopsy.
- $308~00{:}14{:}38.880 \dashrightarrow 00{:}14{:}41.190$  From the CHAMPS data, which is the paired data,

- $309\ 00:14:41.190 --> 00:14:44.400$  you can get an estimate of the misclassification rates.
- 310~00:14:44.400 --> 00:14:47.670 And then the only unknown is then the probabilities
- $311\ 00:14:47.670 \longrightarrow 00:14:49.500$  of the cause of death
- $312\ 00:14:49.500 \longrightarrow 00:14:54.090$  if you were able to do the MITS autopsy for every death.
- $313\ 00{:}14{:}54.090 \dashrightarrow 00{:}14{:}57.859$  So then this is an equation with two knowns and one unknown
- $314\ 00:14:57.859 \longrightarrow 00:15:01.320$  and you can solve for it and get the calibrating message.
- $315\ 00:15:01.320 \longrightarrow 00:15:04.533$  So that's the broad idea and we do it in a model-based way.
- $316\ 00:15:08.880 \longrightarrow 00:15:10.650$  So here's the formal model.
- $317\ 00:15:10.650 --> 00:15:14.700$  So for the CHAMPS dataset with the unlabeled data or the U,
- $318\ 00:15:14.700 \longrightarrow 00:15:17.280$  we have the predicted labels, ar,
- $319\ 00:15:17.280 \longrightarrow 00:15:18.483$  and then for the,
- 320 00:15:19.560 --> 00:15:21.000 that's for the COMSA data,
- 321 00:15:21.000 --> 00:15:22.110 and for the CHAMPS data,
- $322\ 00:15:22.110 \longrightarrow 00:15:25.560$  we have both the predicted labels from verbal autopsy, ar,
- $323\ 00{:}15{:}25.560 {\:{\mbox{--}}}{>}\ 00{:}15{:}27.783$  as well as the MITS determine labels, yr.
- $324~00{:}15{:}28.800 \dashrightarrow 00{:}15{:}33.120$  And our quantity of interest is the probabilities of yr
- $325\ 00:15:34.284 \longrightarrow 00:15:35.984$  belonging to the different causes.
- $326\ 00:15:40.740 --> 00:15:43.110$  There's a conditional sign missing here.
- $327~00:15:44.250 \longrightarrow 00:15:47.730$  But if the conditional probabilities
- 328 00:15:47.730 --> 00:15:52.380 are denoted by Mij, which is if the MITS cause is i,
- $329\ 00:15:52.380 \longrightarrow 00:15:55.563$  what is the probability that the via predicted cause is j?
- $330\ 00:15:57.090 --> 00:15:59.340$  Then you can use a law of total probability
- 331 00:15:59.340  $\rightarrow$  00:16:01.650 to write down the marginal distribution

- $332\ 00:16:01.650 \longrightarrow 00:16:03.270$  of the via predicted cause.
- $333\ 00{:}16{:}03.270 \dashrightarrow 00{:}16{:}06.720$  So that would be in terms of the misclassification rates
- $334\ 00{:}16{:}06.720$  -->  $00{:}16{:}09.680$  and the marginal cause distribution of the MITS-COD.
- $335\ 00:16:09.680 \longrightarrow 00:16:11.010$  So that's the whole idea.
- 336 00:16:11.010 --> 00:16:14.880 So you can write this in terms of a matrix vector notation
- $337\ 00:16:14.880 --> 00:16:18.030$  as probability of a as M transpose p
- $338\ 00:16:18.030 \longrightarrow 00:16:20.760$  where M is the misclassification rate matrix,
- 339 00:16:20.760 --> 00:16:23.640 p is the unknown quantity of interest,
- 340 00:16:23.640 --> 00:16:26.610 which is probability that the cause of death
- 341 00:16:26.610 --> 00:16:29.390 is coming from an unknown cause.
- 342 00:16:31.440 --> 00:16:33.840 So the data model is very simple,
- $343\ 00:16:33.840 \longrightarrow 00:16:36.000$  but the unlabeled data,
- $344\ 00:16:36.000 \longrightarrow 00:16:38.220$  it follows multinomial with this probability
- $345\ 00{:}16{:}38.220 \dashrightarrow 00{:}16{:}41.400$  which is coming from this law of total probability.
- $346\ 00:16:41.400 \longrightarrow 00:16:42.690$  And then for the label data,
- $347\ 00:16:42.690 \longrightarrow 00:16:46.320$  this is ar given yr equals to i,
- $348\ 00:16:46.320 --> 00:16:47.850$  it follows multinomial with the i
- $349\ 00:16:47.850 \longrightarrow 00:16:49.410$  throughout the misclassification matrix.
- $350\ 00:16:49.410 \longrightarrow 00:16:51.030$  So if the MITS-COD is i,
- $351\ 00:16:51.030 \longrightarrow 00:16:53.010$  the misclassification rates are given by the i
- 352 00:16:53.010 --> 00:16:55.350 throughout the misclassification matrix,
- $353\ 00:16:55.350 \longrightarrow 00:16:58.500$  so it's multinomial with that probability.
- $354\ 00:16:58.500 --> 00:17:00.477$  And then we've put priors on M and p
- $355\ 00{:}17{:}01.349 \dashrightarrow 00{:}17{:}03.930$  and then we can get estimates of both M and p.
- $356\ 00:17:03.930 --> 00:17:06.830\ \mathrm{M}$  is a nuisance parameter, p is the parameter of interest.
- $357\ 00:17:09.900 --> 00:17:13.380$  Just to carefully go over what are the assumptions here.

- $358\ 00:17:13.380 --> 00:17:17.610$  The main assumption is that the misclassification rates
- 359 00:17:17.610 --> 00:17:20.040 of verbal autopsy given MITS
- $360\ 00:17:20.040 \longrightarrow 00:17:22.530$  are the same in your label data
- $361\ 00:17:22.530 \longrightarrow 00:17:24.750$  as they would be in your unlabeled data.
- $362\ 00:17:24.750 --> 00:17:27.540$  This is not verifiable because we don't have
- $363\ 00:17:27.540 \longrightarrow 00:17:29.760$  any true cause of death in the unlabeled data,
- $364\ 00:17:29.760 \longrightarrow 00:17:30.873$  so it's an assumption.
- $365\ 00:17:33.210 \longrightarrow 00:17:34.890$  Given that the verbal autopsy
- 366 00:17:34.890 --> 00:17:36.930 is a function of your symptoms,
- $367\ 00:17:36.930 \longrightarrow 00:17:41.133$  the assumption is essentially that given a true cause,
- $368~00{:}17{:}42.000 \dashrightarrow 00{:}17{:}44.370$  the probability of the symptoms are going to be same
- $369\ 00:17:44.370 --> 00:17:46.403$  in your unlabeled dataset as in your labeled dataset.
- $370\ 00:17:49.207 --> 00:17:50.100$  And it's a reasonable assumption
- $371\ 00:17:50.100 \longrightarrow 00:17:52.530$  as if you have a cause of death,
- $372\ 00{:}17{:}52.530 \dashrightarrow 00{:}17{:}56.430$  it's likely that you have certain symptoms will appear
- $373\ 00:17:56.430 --> 00:17:58.500$  and some certain symptoms will not appear.
- $374\ 00{:}17{:}58.500 \dashrightarrow 00{:}18{:}02.400$  And that is true regardless of whether the data is coming
- $375\ 00:18:02.400 \longrightarrow 00:18:03.473$  from the labeled set or the unlabeled set.
- $376~00{:}18{:}08.462 \dashrightarrow 00{:}18{:}12.240$  We do not assume that the marginal distribution
- $377\ 00{:}18{:}12.240$  -->  $00{:}18{:}15.690$  of the CHAMPS data of the causes in the label data
- 378 00:18:15.690 --> 00:18:17.370 is representative of the population
- $379~00:18:17.370 \longrightarrow 00:18:19.920$  because they are not, because the CHAMPS state,
- $380\ 00:18:19.920 \longrightarrow 00:18:21.450$  so the CHAMPS project is done
- $381\ 00:18:21.450 --> 00:18:24.420$  at specific hospitals in the country
- $382\ 00:18:24.420 --> 00:18:27.540$  and distribution of causes in hospitals

- $383\ 00:18:27.540 --> 00:18:29.910$  are typically not same as distribution
- $384\ 00:18:29.910 \longrightarrow 00:18:31.110$  of causes in the community.
- $385\ 00:18:31.110 \longrightarrow 00:18:31.950$  And we are interested
- $386\ 00:18:31.950 \longrightarrow 00:18:34.080$  in the cause distribution in the population.
- $387\ 00:18:34.080 \longrightarrow 00:18:35.470$  So there is no assumption
- $388\ 00:18:36.509 --> 00:18:40.170$  that the marginal distribution of y in the label data
- $389\ 00:18:40.170 --> 00:18:42.960$  is same as the marginal distribution of y in unlabeled data,
- $390\ 00:18:42.960 \longrightarrow 00:18:44.970$  which is our quantity of interest.
- $391\ 00:18:44.970 \longrightarrow 00:18:47.010$  And the reason there is no assumption
- $392\ 00:18:47.010 \longrightarrow 00:18:50.610$  is we only model a given y in the label data.
- $393\ 00:18:50.610 \longrightarrow 00:18:53.013$  We never model y in the label data.
- $394\ 00:18:53.910 \longrightarrow 00:18:55.560$  So we only model the conditional
- $395~00{:}18{:}55.560 \dashrightarrow 00{:}18{:}56.910$  and the assumption is the condition
- 39600:18:56.910 --> 00:18:59.610 of misclassification rates are transportable
- $397\ 00:18:59.610 \longrightarrow 00:19:01.883$  from the labeled to the unlabeled side.
- $398\ 00:19:05.707 \longrightarrow 00:19:07.230$  So that's the main idea.
- $399\ 00:19:07.230 \longrightarrow 00:19:09.380$  And this was the first work we did,
- $400\ 00:19:09.380 \longrightarrow 00:19:13.170$  we just used this top cause prediction.
- $401\ 00:19:13.170 \longrightarrow 00:19:14.610$  But many of these algorithms
- $402\ 00:19:14.610 \longrightarrow 00:19:16.800$  are actually probabilistic in nature in the sense
- 403 00:19:16.800 --> 00:19:18.090 that if you look at their outputs,
- 404 00:19:18.090 --> 00:19:20.130 they won't give a single cause of death,
- $405\ 00:19:20.130 --> 00:19:22.470$  but they will give scores to each cause.
- $406\ 00:19:22.470 \longrightarrow 00:19:23.910$  So for example,
- $407\ 00:19:23.910 --> 00:19:26.460$  this would be a typical output of an algorithm
- $408\ 00:19:26.460 \longrightarrow 00:19:28.380$  for like say 6%.
- 409 00:19:28.380 --> 00:19:30.180 So for the first person, it will say
- $410\ 00:19:33.194 \longrightarrow 00:19:35.344\ 70\%$  HIV, 20% malaria, 10% sepsis and so on.
- $411\ 00{:}19{:}38.100 \dashrightarrow 00{:}19{:}40.770$  And the standard procedure is to take the top cause,

- 412 00:19:40.770 --> 00:19:43.680 so for the first person, it would be HIV,
- $413\ 00:19:43.680 \dashrightarrow 00:19:47.610$  for the second person, it will be malaria and so on.
- $414\ 00:19:47.610 \longrightarrow 00:19:49.590$  So that's how you get a single cause
- $415\ 00:19:49.590 \longrightarrow 00:19:51.190$  from a probabilistic prediction.
- $416\ 00:19:53.430 \longrightarrow 00:19:56.037$  So that essentially ignores sort of the scores
- $417\ 00:19:57.390 \longrightarrow 00:20:00.810$  assigned to the second most likely cause,
- $418\ 00:20:00.810 \longrightarrow 00:20:03.630$  the third most likely cause and so on.
- $419\ 00:20:03.630 \longrightarrow 00:20:08.630$  And you ignore those, you can end up with a biased estimate.
- $420\ 00:20:09.030 --> 00:20:11.940$  So you can see these are the CSMF estimates
- 421 00:20:11.940 --> 00:20:13.650 using the top cause,
- $422\ 00:20:13.650 \longrightarrow 00:20:14.940$  these are the CSM estimates
- $423\ 00:20:14.940 \longrightarrow 00:20:16.950$  using the exact scores that are assigned
- 424 00:20:16.950 --> 00:20:18.300 and those are different, right?
- $425~00{:}20{:}18.300 \dashrightarrow 00{:}20{:}21.600$  So when we kind of change this probabilistic output
- $426\ 00{:}20{:}21.600 \dashrightarrow 00{:}20{:}25.863$  to a single cause output, we discard information.
- 427 00:20:29.640 --> 00:20:31.530 So we wanted to extend the work
- $428\ 00{:}20{:}31.530 \dashrightarrow 00{:}20{:}35.790$  to kind of use the full set of scores and the set of scores
- $429\ 00{:}20{:}35.790 \dashrightarrow 00{:}20{:}38.100$  can be thought of as a compositional data in the sense
- $430\ 00:20:38.100 \longrightarrow 00:20:40.170$  that the scores sum up to one
- $431~00{:}20{:}40.170 \dashrightarrow 00{:}20{:}44.610$  because it assigns 100% probability across all causes
- $432\ 00:20:44.610 \longrightarrow 00:20:47.670$  and then they're each non-negative.
- 433 00:20:47.670 --> 00:20:50.610 The issue is that for the categorical data,
- $434\ 00{:}20{:}50.610 \dashrightarrow 00{:}20{:}53.460$  our model is based on multinomial distribution.
- $435\ 00:20:53.460 \longrightarrow 00:20:55.110$  And then for compositional data,
- 436 00:20:55.110 --> 00:20:57.030 the models are typically like Dirichlet

- 437 00:20:57.030 --> 00:20:58.920 or log ratio based models,
- $438\ 00:20:58.920 --> 00:21:01.870$  which are very different from the multinomial distribution.
- $439\ 00:21:03.450 \longrightarrow 00:21:05.070$  So if we have some cases
- 440 00:21:05.070 --> 00:21:07.050 for which we have categorical output,
- $441\ 00:21:07.050 \longrightarrow 00:21:09.090$  for some, we have compositional output,
- 442 00:21:09.090 --> 00:21:10.830 this would lead to different models
- $443\ 00:21:10.830 \longrightarrow 00:21:12.580$  for different parts of the dataset.
- 444 00:21:14.760 --> 00:21:16.710 These Dirichlet or log-ratio models
- $445\ 00:21:16.710 \longrightarrow 00:21:19.500$  also do not allow zeros in the data.
- 446 00:21:19.500 --> 00:21:21.810 So if you have zeros or ones in the composition,
- $447\ 00:21:21.810 \longrightarrow 00:21:23.430$  they don't allow that.
- $448\ 00{:}21{:}23.430 \dashrightarrow 00{:}21{:}26.820$  And then there are very specific models about the data
- $449\ 00:21:26.820 \longrightarrow 00:21:29.100$  which are subjective model and specification.
- $450\ 00{:}21{:}29.100 \dashrightarrow 00{:}21{:}32.670$  So the data distribution does not look like a Dirichlet
- 451 00:21:32.670 --> 00:21:33.660 assuming a Dirichlet layer
- 452 00:21:33.660 --> 00:21:37.713 would lead to kind of wrong results.
- $453\ 00{:}21{:}40.800 \dashrightarrow 00{:}21{:}45.800$  So how do we extend the multinomial framework we had
- $454\ 00:21:46.110 \longrightarrow 00:21:49.233$  for categorical data to compositional data?
- $455\ 00:21:50.790 --> 00:21:55.680$  Again, there would be a conditional sign here.
- $456\ 00:21:55.680 \longrightarrow 00:21:57.750$  But the basic assumption that we had
- $457\ 00{:}21{:}57.750 \dashrightarrow 00{:}22{:}01.650$  for the multinomial case was probability of a given y
- $458\ 00{:}22{:}01.650 {\:{\mbox{--}}}{>} 00{:}22{:}04.620$  is the i throughout misclassification matrix, right?
- $459\ 00{:}22{:}04.620 \dashrightarrow 00{:}22{:}09.620$  And for categorical data, a probability statement
- 460 00:22:09.900 --> 00:22:12.030 is same as an expectation statement, right?
- $461\ 00:22:12.030 \longrightarrow 00:22:13.860$  So we can equivalently write this
- $462\ 00:22:13.860 \longrightarrow 00:22:16.170$  as expectation of a given y

- $463\ 00:22:16.170 \longrightarrow 00:22:17.470$  is the i throughout the M.
- $464\ 00{:}22{:}18.919 \longrightarrow 00{:}22{:}20.430$  The advantage of the expectation statement
- $465\ 00:22:20.430 \longrightarrow 00:22:23.310$  is that it's more generally applicable.
- 466 00:22:23.310 --> 00:22:27.150 It will not be just for categorical data, right?
- 467 00:22:27.150 --> 00:22:30.150 So for categorical data, there's a equivalent.
- $468\ 00{:}22{:}30.150 \dashrightarrow 00{:}22{:}33.390$  For other data types, this statement can be valid
- $469\ 00:22:33.390 \longrightarrow 00:22:36.690$  even though the previous statement may not be applicable.
- $470\ 00:22:36.690 \longrightarrow 00:22:40.887$  So we kind of write this as our model
- $471\ 00{:}22{:}40.887 \dashrightarrow 00{:}22{:}45.210$  for the compositional data and we make no other assumptions
- $472\ 00:22:45.210 \longrightarrow 00:22:46.260$  about this distribution.
- $473\ 00:22:46.260 --> 00:22:50.920$  So only a first moment conditional expectation statement
- $474\ 00:22:53.400 \longrightarrow 00:22:56.313$  without any full distributional specification.
- $475\ 00:22:58.650 \longrightarrow 00:23:00.450$  So what do we do?
- $476\ 00:23:00.450 \longrightarrow 00:23:02.880$  So we have expectation of a given y
- $477\ 00:23:02.880 --> 00:23:05.343$  is the i throughout the misclassification matrix.
- $478\ 00:23:08.040 \longrightarrow 00:23:09.567$  We can use something called
- $479\ 00:23:09.567 --> 00:23:11.520$  the Kullback Leibler Divergence
- $480\ 00:23:11.520 \longrightarrow 00:23:13.710$  or the cross entropy loss
- $481\ 00:23:13.710 \longrightarrow 00:23:16.770$  between a and its model expectation.
- $482\ 00:23:16.770 \longrightarrow 00:23:20.013$  So these are all the conditional signs are missing here.
- $483\ 00:23:22.050 \longrightarrow 00:23:25.353$  So basically a is the data we observe,
- 484 00:23:26.400 --> 00:23:28.860 this is the modeled expectation,
- $485\ 00:23:28.860 \longrightarrow 00:23:29.693$  which is basically the i
- $486\ 00:23:29.693 \longrightarrow 00:23:31.287$  through of the misclassification matrix
- $487\ 00:23:31.287 \longrightarrow 00:23:33.630$  and we use the cross entropy loss,
- 488 00:23:33.630 --> 00:23:36.810 the Kullback Leibler loss between the two.
- $489\ 00:23:36.810 \longrightarrow 00:23:37.800$  What's the advantage?

- 490 00:23:37.800 --> 00:23:38.633 So first of all,
- $491\ 00{:}23{:}38.633 \dashrightarrow 00{:}23{:}41.610$  the Kullback Leibler loss allows zeroes in the composition.
- $492\ 00{:}23{:}41.610 \dashrightarrow 00{:}23{:}45.330$  So it is well-defined even if you have zeroes or ones.
- $493\ 00:23:45.330 \longrightarrow 00:23:47.970$  If you take the negative loss and exponentiate it,
- 494 00:23:47.970 --> 00:23:49.940 it's exactly the multinomial likelihood.
- 495 00:23:49.940 --> 00:23:52.050 So if your data is indeed multinomial,
- $496\ 00:23:52.050 \longrightarrow 00:23:54.420$  you get back your likelihood that you're using
- $497\ 00:23:54.420 \longrightarrow 00:23:57.120$  for your single class model.
- 498 00:23:57.120 --> 00:23:59.550 But if your data is not multinomial,
- $499\ 00{:}23{:}59.550 \dashrightarrow > 00{:}24{:}02.100$  you get a pseudo likelihood that you can work with.
- $500~00:24:03.960 \longrightarrow 00:24:06.660$  If you can take the derivative of the loss function
- $501\ 00:24:06.660 \longrightarrow 00:24:10.170$  and take the expectation under the two parameter,
- 502 00:24:10.170 --> 00:24:13.001 you'll see that it's a valid score function
- $503\ 00:24:13.001 \longrightarrow 00:24:15.750$  in the sense that you get an unbiased estimating equation
- 504 00:24:15.750 --> 00:24:18.900 for your misclassification rate matrix, M,
- $505\ 00:24:18.900 --> 00:24:21.033$  based on just the first moment as option.
- $506\ 00:24:22.890 --> 00:24:24.720$  And then similarly, you can do the same thing
- $507\ 00:24:24.720 \longrightarrow 00:24:26.730$  for the unlabeled data.
- $508~00{:}24{:}26.730 \dashrightarrow 00{:}24{:}29.520$  The probability statement becomes expectation statement
- $509~00{:}24{:}29.520 \dashrightarrow 00{:}24{:}32.400$  and then we have the Kullback Leibler loss.
- $510~00{:}24{:}32.400 \dashrightarrow 00{:}24{:}36.360$  This is an unbiased estimated equation for both M and p.
- 511 00:24:36.360 --> 00:24:37.500 And again,
- $512\ 00:24:37.500 \longrightarrow 00:24:40.680$  if the data is truly multinomial and not compositional,

- $513~00{:}24{:}40.680 --> 00{:}24{:}43.410$  this becomes exactly the multinomial likelihood.
- 514 00:24:43.410 --> 00:24:44.760 If the data is compositional,
- 515 00:24:44.760 --> 00:24:46.310 it becomes a pseudo likelihood.
- 516 00:24:49.860 --> 00:24:52.170 Okay, so how do we do Bayes analysis
- $517\ 00:24:52.170 --> 00:24:54.240$  with pseudo likelihoods?
- $518\ 00:24:54.240 \longrightarrow 00:24:56.970$  So this is where this idea of generalized Bayes
- 51900:24:56.970 --> 00:24:58.920 or model-free Bayesian inference comes in
- $520\ 00:24:58.920 \longrightarrow 00:25:01.200$  and there have been parallel developments
- $521~00{:}25{:}01.200 \dashrightarrow 00{:}25{:}04.290$  in both computer science, econometrics and statistics
- $522\ 00:25:04.290 \dashrightarrow 00:25:06.870$  without much communication among the three fields
- $523\ 00:25:06.870 \longrightarrow 00:25:10.080$  for the last 30, 40 years.
- $524~00:25:10.080 \longrightarrow 00:25:12.570$  Basically, if you're given a loss function
- $525\ 00:25:12.570 \longrightarrow 00:25:15.480$  without a given like a full likelihood for the data,
- $526~00:25:15.480 \longrightarrow 00:25:18.330$  you can take negative of that loss function
- 527 00:25:18.330 --> 00:25:20.823 multiplied by some tuning parameter, alpha,
- $528~00{:}25{:}21.870 \dashrightarrow 00{:}25{:}25.620$  exponentiate it and treat it as a pseudo likelihood
- $529\ 00:25:25.620 \longrightarrow 00:25:27.270$  and apply your priors
- $530\ 00:25:27.270 --> 00:25:30.000$  and then your posterior is going to be proportional to this
- $531\ 00:25:30.000 \longrightarrow 00:25:32.850$  as long as the normalization constant exists.
- $532\ 00{:}25{:}32.850 \dashrightarrow 00{:}25{:}35.460$  And there has been a lot of work that has shown
- $533\ 00:25:35.460 \longrightarrow 00:25:37.590$  that this is a valid posterior,
- 534 00:25:37.590 --> 00:25:40.500 it is a generalization of the Bayesian posterior,
- 535 00:25:40.500 --> 00:25:42.360 like if this is an actual likelihood,
- 536 00:25:42.360 --> 00:25:44.040 this is the Bayesian posterior,
- 537 00:25:44.040 --> 00:25:46.173 but if it's not a actual likelihood,
- $538\ 00:25:47.654 \longrightarrow 00:25:49.470$  this has been shown that it basically minimizes

- $539\ 00:25:49.470 --> 00:25:52.503$  the Bayes risk for that loss function.
- 540 00:25:54.120 --> 00:25:56.280 It has nice asymptotic properties
- 541 00:25:56.280 --> 00:25:59.400 shown by Victor Chernozhukov in this paper
- $542\ 00:25:59.400 \longrightarrow 00:26:03.960$  and then in this JSS paper in 2016 I think
- 543 00:26:03.960 --> 00:26:06.000 it showed that if you're given a loss function
- 544 00:26:06.000 --> 00:26:07.140 and a prior,
- $545\ 00:26:07.140 \longrightarrow 00:26:10.173$  this is the only coherent way you can get a posterior.
- $546~00{:}26{:}11.670 \dashrightarrow 00{:}26{:}14.670$  So there's now been a lot of work and it's been called
- $547\ 00:26:14.670 \longrightarrow 00:26:17.340$  by different names like Gibbs posteriors,
- 548 00:26:17.340 --> 00:26:19.740 pseudo posterior, Laplace-type estimators
- $549\ 00:26:19.740 --> 00:26:23.043$  and quasi-Bayesian estimators along with generalized Bayes.
- $550\ 00:26:25.470 \longrightarrow 00:26:28.470$  So for our case, we have the pseudo likelihood
- $551\ 00:26:28.470 \longrightarrow 00:26:29.460$  for the label data.
- $552~00{:}26{:}29.460 \dashrightarrow 00{:}26{:}31.530$  We have the pseudo likelihood for the unlabeled data.
- $553\ 00:26:31.530 \longrightarrow 00:26:33.270$  We put priors.
- 554 00:26:33.270 --> 00:26:35.190 If all of our data were categorical,
- $555\ 00{:}26{:}35.190 {\:{\mbox{--}}\!>\:} 00{:}26{:}37.560$  this reduces to that multinomial model we had
- $556\ 00:26:37.560 \longrightarrow 00:26:39.120$  for the categorical data.
- 557 00:26:39.120 --> 00:26:41.190 But if some of the data is compositional,
- 558 00:26:41.190 --> 00:26:43.830 then this becomes generalized Bayes,
- $559~00:26:43.830 \longrightarrow 00:26:47.160$  so we call it generalized Bayes quantification learning.
- $560\ 00:26:47.160 \longrightarrow 00:26:50.190$  It allows sparsity of the outputs in the sense
- $561\ 00:26:50.190 \longrightarrow 00:26:53.520$  that if some of the data have zeroes and ones in them,
- $562\ 00:26:53.520 \longrightarrow 00:26:55.590$  this is well-defined.
- $563\ 00:26:55.590 --> 00:26:57.750$  It's the same pseudo likelihood
- $564\ 00:26:57.750 \longrightarrow 00:27:00.510$  for categorical compositional predictions.

- $565\ 00:27:00.510 \longrightarrow 00:27:01.950$  And then it also allows
- 566 00:27:01.950 --> 00:27:05.013 a nice Gibbs sample using conjugacy.
- $567\ 00:27:10.920 --> 00:27:14.820$  One final sort of data aspect we had
- 568 00:27:14.820 --> 00:27:18.420 was that this minimal tissue sampling
- $569\ 00:27:18.420 \longrightarrow 00:27:20.730$  was also sometimes inconclusive in the sense
- $570\ 00:27:20.730 \longrightarrow 00:27:22.230$  that they gave two causes.
- $571\ 00:27:22.230$  --> 00:27:27.230 Like often, they were ambiguous between HIV and tuberculosis
- $572\ 00{:}27{:}28.890 \longrightarrow 00{:}27{:}30.750$  and they would give one as the immediate cause
- $573\ 00:27:30.750 \longrightarrow 00:27:32.040$  and one as the underlying cause.
- $574\ 00{:}27{:}32.040 \dashrightarrow 00{:}27{:}35.820$  So sometimes, even the true cause of death is compositional.
- $575\ 00:27:35.820 \longrightarrow 00:27:38.790$  So your predicted cause of death is compositional,
- $576\ 00:27:38.790 --> 00:27:40.647$  your true cause of death is also compositional
- $577~00{:}27{:}40.647 \dashrightarrow 00{:}27{:}45.270$  and we call it like b, which represents the belief.
- 578 00:27:45.270 --> 00:27:49.380 And you can show that if you're only given b
- 579 00:27:49.380 --> 00:27:51.273 instead of a single cause of death,
- $580~00:27:52.603 \dots > 00:27:55.800$  your conditional expectation becomes M transpose b
- $581~00:27:55.800 \longrightarrow 00:27:59.340$  instead of the i through of the M matrix.
- 582 00:27:59.340 --> 00:28:01.380 And you can do the same thing
- $583\ 00:28:01.380 --> 00:28:04.543$  using the compositional true cause of death
- $584\ 00:28:04.543 --> 00:28:07.620$  instead of the actual true cause of death.
- $585~00:28:07.620 \longrightarrow 00:28:09.540$  And all the conditional signs are missing here
- 586 00:28:09.540 --> 00:28:13.800 but you can just formulate the Kullback Leibler likelihood
- $587\ 00:28:13.800 --> 00:28:16.593$  to generate pseudo likelihood.
- $588\ 00:28:18.870 --> 00:28:21.570$  So this kind of give rise to a digression
- 589 00:28:21.570 --> 00:28:24.040 where we kind of looked at this is basically

- $590\ 00{:}28{:}25.152 --> 00{:}28{:}28.080$  your true cause of death is a compositional covariate
- $591~00{:}28{:}28.080 \dashrightarrow 00{:}28{:}31.350$  and your predicted cause of death is a compositional output.
- $592\ 00:28:31.350 --> 00:28:33.120$  So we kind of looked at regression
- $593\ 00:28:33.120 --> 00:28:36.270$  of a compositional outcome on compositional predictors.
- $594\ 00:28:36.270 --> 00:28:39.750$  So this was kind of an offshoot paper
- 595 00:28:39.750 --> 00:28:41.850 where we just developed this piece
- $596\ 00:28:41.850 \longrightarrow 00:28:45.390$  and if you look at compositional regression,
- $597\ 00:28:45.390 --> 00:28:50.160$  most of the work has been done using Dirichlet models
- $598\ 00:28:50.160 --> 00:28:52.440$  or log ratio transformations.
- $599~00{:}28{:}52.440 \dashrightarrow 00{:}28{:}55.343$  So this was a different approach to that in the sense
- $600\ 00:28:55.343 \longrightarrow 00:28:57.060$  that it's both transformation free
- 601 00:28:57.060 --> 00:28:58.920 and it doesn't specify a whole distribution
- 602 00:28:58.920 --> 00:28:59.753 like the Dirichlet,
- $603\ 00:28:59.753 \longrightarrow 00:29:02.040$  it just uses a first moment as option.
- $604\ 00:29:02.040$  --> 00:29:07.040 And we have an R-package to do a regression on composition,
- $605~00{:}29{:}07.470 \dashrightarrow 00{:}29{:}10.370$  to do composition on composition regression called codalm.
- 606 00:29:12.150 --> 00:29:14.673 But going back to the verbal autopsy work,
- $607\ 00:29:16.050 \longrightarrow 00:29:17.220$  we have the loss functions
- $608\ 00:29:17.220 \longrightarrow 00:29:19.173$  for the labeled and unlabeled data,
- $609\ 00:29:20.220 \longrightarrow 00:29:22.500$  we do the negative pseudo likelihoods,
- $610~00{:}29{:}22.500 \dashrightarrow 00{:}29{:}26.103$  put priors on the parameters and we get posterior inference.
- 611 00:29:27.780 --> 00:29:30.990 One last extension of the methodology
- $612\ 00:29:30.990 \longrightarrow 00:29:33.780$  was that there are multiple different
- $613\ 00{:}29{:}33.780 {\: -->\:} 00{:}29{:}35.970$  verbal autopsy algorithms and there are papers

- $614~00{:}29{:}35.970 \dashrightarrow 00{:}29{:}38.700$  where every new algorithm comes out and they say
- $615\ 00:29:38.700 \longrightarrow 00:29:40.620$  they're better than all the previous algorithms.
- $616\ 00:29:40.620$  --> 00:29:44.190 And in practice, you never know which is the best algorithm.
- $617\ 00{:}29{:}44.190 \dashrightarrow 00{:}29{:}48.990$  So we developed an ensemble method that takes in predictions
- $618\ 00:29:48.990 \longrightarrow 00:29:53.760$  from multiple algorithms, estimates classifier
- $619\ 00:29:53.760 \longrightarrow 00:29:56.550$  algorithm-specific misclassification rates
- $620~00{:}29{:}56.550 \dashrightarrow 00{:}30{:}00.270$  and then they're connected to the unknown estimand.
- $621\ 00:30:00.270 \longrightarrow 00:30:04.140$  So we can show that it gives more weight
- $622\ 00{:}30{:}04.140 \dashrightarrow 00{:}30{:}06.900$  to the more accurate algorithm in a data-driven way.
- 623 00:30:06.900 --> 00:30:10.380 And then you're not kind of,
- 624 00:30:10.380 --> 00:30:11.970 you don't have to make the choice
- $625\ 00:30:11.970 \longrightarrow 00:30:13.950$  of which is the best algorithm in advance.
- 626 00:30:13.950 --> 00:30:15.300 If you have multiple candidates,
- $627\ 00:30:15.300 \longrightarrow 00:30:18.603$  you can use multiple algorithms together.
- $628\ 00{:}30{:}22.560 \dashrightarrow 00{:}30{:}26.340$  So we looked at some theoretical properties of the method.
- $629~00{:}30{:}26.340 \rightarrow 00{:}30{:}28.830$  We have two log functions, one for the label data,
- $630\ 00:30:28.830 \longrightarrow 00:30:31.080$  one for the unlabeled data.
- $631\ 00:30:31.080 \longrightarrow 00:30:31.913$  The label data
- 632 00:30:31.913  $\rightarrow$  00:30:35.610 doesn't even feature the estimand, which is p,
- 633 00:30:35.610 --> 00:30:38.910 so it will, on its own, it cannot identify p.
- $634\ 00:30:38.910 \longrightarrow 00:30:43.050$  The unlabeled data only uses p through this quantity,
- $635\ 00:30:43.050 \longrightarrow 00:30:44.190\ M\ transpose\ p.$
- 636 00:30:44.190 --> 00:30:47.640 So again, for different combinations of M and p,
- $637\ 00:30:47.640 \longrightarrow 00:30:49.800$  as long as this product is the same,

- $638\ 00:30:49.800 \longrightarrow 00:30:52.680$  it will never be able to identify p on its own.
- $639\ 00:30:52.680 \longrightarrow 00:30:54.240$  So each loss function on its own
- 640 00:30:54.240 --> 00:30:56.520 cannot identify through parameters.
- 641 00:30:56.520 --> 00:30:59.070 But using both the loss functions together,
- 642 00:30:59.070 --> 00:31:02.070 you can identify the estimand, T,
- $643\ 00:31:02.070 \longrightarrow 00:31:06.360$  and we were able to show that posterior has nice properties
- 644 00:31:06.360 --> 00:31:08.400 in terms of asymptotic normality
- $645~00:31:08.400 \longrightarrow 00:31:10.500$  and well calibrated interval estimate
- $646\ 00:31:10.500 \longrightarrow 00:31:12.990$  and near parametric concentration rates.
- $647\ 00{:}31{:}12.990 \dashrightarrow 00{:}31{:}16.320$  And the theory also extends to the ensemble method
- $648\ 00{:}31{:}16.320 \dashrightarrow 00{:}31{:}19.470$  and we use some approximations and we give sampler
- $649\ 00:31:19.470 \longrightarrow 00:31:21.273$  and theory holds for that.
- 650 00:31:24.150 --> 00:31:25.953 Some empirical validations,
- $651\ 00{:}31{:}27.450 {\:{\mbox{--}}\!>\:} 00{:}31{:}32.220$  since we're estimating a probability vector,
- $652\ 00:31:32.220 \longrightarrow 00:31:34.380$  the common metric that is used is called
- $653\ 00:31:34.380 \longrightarrow 00:31:37.800$  this chance-corrected normalized absolute accuracy,
- 654 00:31:37.800 --> 00:31:40.743 which is basically a scaled L1 error,
- $655~00{:}31{:}41.670 \dashrightarrow 00{:}31{:}45.510$  centered by the L1 error you would get if you had predicted
- $656\ 00:31:45.510 \longrightarrow 00:31:46.740$  the cause of death randomly.
- $657\ 00:31:46.740 \longrightarrow 00:31:49.500$  So this is the error if you predict randomly
- $658~00{:}31{:}49.500 \dashrightarrow 00{:}31{:}51.900$  and then we look at how much improvement we get
- $659\ 00:31:51.900 \longrightarrow 00:31:53.613$  over random predictions.
- $660~00:31:56.790 \dashrightarrow 00:32:00.510$  So this is an illustration of what happens if the data
- $661\ 00:32:00.510 --> 00:32:03.420$  is not Dirichlet and you use Dirichlet distribution.
- 662 00:32:03.420 --> 00:32:05.070 So on the left-hand side,

- $663\ 00:32:05.070 \longrightarrow 00:32:07.647$  the data is generated from Dirichlet
- $664\ 00:32:07.647\ -->00:32:11.880$  and we use both our method and the Dirichlet-based model
- $665\ 00:32:11.880 \longrightarrow 00:32:13.650$  and they both do well.
- 666 00:32:13.650 --> 00:32:14.670 On the right-hand side,
- $667\ 00:32:14.670 --> 00:32:17.490$  the data is from an overdispersed Dirichlet
- $668\ 00:32:17.490 \longrightarrow 00:32:19.530$  and we use the Dirichlet in our model.
- $669\ 00:32:19.530 \longrightarrow 00:32:22.080$  And because our model doesn't specify a distribution,
- 670 00:32:22.080 --> 00:32:24.690 it just uses a first moment specification,
- 671 00:32:24.690 --> 00:32:27.820 it's much robust and has much higher accuracy
- $672\ 00:32:28.860 --> 00:32:31.657$  than for the Dirichlet which becomes misspecified.
- $673\ 00:32:35.010 \longrightarrow 00:32:37.020$  And then we also did a bunch of evaluations
- $674\ 00:32:37.020 \longrightarrow 00:32:38.400$  using the PHMRC data.
- $675\ 00:32:38.400 \longrightarrow 00:32:41.580$  So what we did was we trained the classifiers
- $676~00{:}32{:}41.580 \dashrightarrow 00{:}32{:}44.370$  on three of the countries leaving one country out
- $677\ 00:32:44.370 --> 00:32:47.460$  and then used a slice of data from that left out country
- 678 00:32:47.460 --> 00:32:49.710 to estimate the misclassification rates,
- $679\ 00:32:49.710 \longrightarrow 00:32:51.723$  and then we apply our method.
- $680\ 00:32:54.600 \longrightarrow 00:32:56.400$  The green one is our method
- $681\ 00:32:56.400 \longrightarrow 00:33:01.400$  and the x axis is the sample size of the dataset
- $682\ 00:33:02.220 \longrightarrow 00:33:04.154$  used from the left out country
- $683\ 00:33:04.154 \longrightarrow 00:33:06.930$  to estimate the misclassification rates.
- $684\ 00:33:06.930 \longrightarrow 00:33:10.650$  The blue one is sort of the uncalibrated one,
- $685\ 00:33:10.650 \longrightarrow 00:33:12.750$  the red one is the one that is calibrated
- $686\ 00:33:12.750 \longrightarrow 00:33:14.250$  using the training data.
- $687~00{:}33{:}14.250 \dashrightarrow 00{:}33{:}17.760$  So you can see that our method does better than both of them
- $688\ 00:33:17.760 \longrightarrow 00:33:20.220$  and the higher the sample size we use
- $689\ 00:33:20.220 \longrightarrow 00:33:22.890$  from the left out country of interest

 $690\ 00:33:22.890 --> 00:33:25.973$  to estimate the misclassifications, the more accurate it is.

691 00:33:29.637 --> 00:33:31.440 And also one interesting aspect

 $692\ 00:33:31.440 \longrightarrow 00:33:33.300$  was that we looked at calibration

 $693\ 00{:}33{:}33.300 \dashrightarrow 00{:}33{:}35.700$  using individual algorithms and the calibration

 $694\ 00:33:35.700 \longrightarrow 00:33:37.440$  using the ensemble one.

695 00:33:37.440 --> 00:33:40.380 And more often than not, the ensemble one,

 $696\ 00:33:40.380 \longrightarrow 00:33:41.970$  which is the orange one,

 $697\ 00:33:41.970 \longrightarrow 00:33:45.570$  tends to perform similar to the best performing algorithm,

 $698\ 00{:}33{:}45.570 \dashrightarrow 00{:}33{:}48.450$  and the best performing algorithm can be very different

 $699\ 00:33:48.450 \longrightarrow 00:33:49.530$  across different countries.

 $700\ 00:33:49.530 \longrightarrow 00:33:51.450$  For example, in Mexico,

 $701\ 00:33:51.450 \longrightarrow 00:33:54.120\ \text{InSilicoVA}$  is one of the best performing algorithms,

702 00:33:54.120 --> 00:33:57.390 but in Tanzania, In<br/>SilicoVA was doing very poorly

 $703\ 00:33:57.390 \longrightarrow 00:33:58.660$  and then InterVA was one

 $704\ 00:33:59.499 --> 00:34:00.332$  of the better performing algorithms.

 $705\ 00{:}34{:}00{.}332 \dashrightarrow 00{:}34{:}02{.}970$  So the ensemble always tend to give more weights

 $706\ 00:34:02.970 \longrightarrow 00:34:04.773$  to more accurate algorithms.

 $707\ 00:34:07.380 \longrightarrow 00:34:10.020$  So this is an overview of what we did for Mozambique.

 $708\ 00{:}34{:}10.020 {\:\hbox{--}}{>}\ 00{:}34{:}13.920$  So we had the unlabeled data with only verbal autopsies.

 $709\ 00:34:13.920 \longrightarrow 00:34:16.230$  We've passed it through two algorithms,

710~00:34:16.230 -->  $00:34:20.520~\mathrm{InSilicoVA}$  and Expert VA, to get the uncalibrated estimates.

711 00:34:20.520 --> 00:34:23.070 Then we had the label data with the MITS cause of death

 $712\ 00:34:23.070 \longrightarrow 00:34:25.350$  with which we estimated the misclassifications

- $713\ 00:34:25.350 \longrightarrow 00:34:27.660$  of those two algorithms
- 714 00:34:27.660 --> 00:34:30.450 and then we combine them in the ensemble method
- $715\ 00:34:30.450 \longrightarrow 00:34:32.100$  and getting calibrated estimates.
- $716\ 00:34:37.680 \longrightarrow 00:34:39.900$  Some results from Mozambique.
- 717 00:34:39.900 --> 00:34:41.520 We have two age groups,
- 718 00:34:41.520 --> 00:34:44.850 neonatal deaths, first four weeks,
- $719\ 00:34:44.850 \longrightarrow 00:34:47.820$  and children that's under five years.
- $720\ 00:34:47.820 \longrightarrow 00:34:51.720$  Two algorithms, seven causes of death for children,
- $721\ 00:34:51.720 \longrightarrow 00:34:53.613$  five causes of death for neonates.
- 722 00:34:54.690 --> 00:34:56.880 I'm going to just show the neonatal results here.
- $723\ 00{:}34{:}56.880 \dashrightarrow 00{:}35{:}00.540$  So these are the misclassification matrices for neonates.
- 724 00:35:00.540 --> 00:35:03.060 And ideally, you would want the matrices
- $725\ 00:35:03.060 \longrightarrow 00:35:04.890$  to have large numbers on the diagonals
- $726\ 00:35:04.890 \longrightarrow 00:35:06.840$  because those are the correct matches
- $727\ 00:35:06.840 \longrightarrow 00:35:08.910$  and then small numbers on the off diagonals.
- $728\ 00:35:08.910 \longrightarrow 00:35:09.930$  But you don't see that,
- 729 00:35:09.930 --> 00:35:14.040 you see quite a bit of large numbers on the off diagonals.
- 730 00:35:14.040 --> 00:35:16.740 One thing that stands out is that
- $731\ 00:35:16.740 \longrightarrow 00:35:20.490$  if you look at prematurity, it has a very high sensitivity,
- $732\ 00:35:20.490 \longrightarrow 00:35:21.750$  close to 90%,
- $733\ 00:35:21.750 \longrightarrow 00:35:25.110$  which means that if the true cause is prematurity,
- $734\ 00:35:25.110 \longrightarrow 00:35:28.050$  the verbal autopsy correctly diagnoses it.
- $735\ 00:35:28.050 \longrightarrow 00:35:30.960$  But then it also has high false positives
- $736\ 00:35:30.960 --> 00:35:34.050$  in the sense that if the true cause is infection,
- $737\ 00:35:34.050 \longrightarrow 00:35:37.020\ 20\%$  of time, it is assigned as prematurity.
- $738\ 00:35:37.020 \longrightarrow 00:35:40.149$  If the true cause is intrapartum related events,

- $739\ 00:35:40.149 \longrightarrow 00:35:40.982$  almost 30% of time,
- $740\ 00:35:40.982 \longrightarrow 00:35:43.020$  it's assigned to be prematurity and so on.
- $741\ 00:35:43.020 \longrightarrow 00:35:46.170$  So it tends to over count a lot of deaths
- 742 00:35:46.170 --> 00:35:48.480 from different causes as prematurity.
- $743\ 00:35:48.480 \longrightarrow 00:35:51.540$  So what would be the result after calibration
- $744\ 00:35:51.540 \longrightarrow 00:35:54.240$  is that the percentage of prematurity comes down.
- $745\ 00:35:54.240 \longrightarrow 00:35:58.380$  So this is the uncalibrated estimate of prematurity.
- $746\ 00:35:58.380 \longrightarrow 00:36:00.780$  This is the calibrated estimate of prematurity.
- $747\ 00:36:00.780 \longrightarrow 00:36:02.130$  You can see that it comes down
- 748 00:36:02.130 --> 00:36:04.980 because we can see in the data that there is a lot
- $749\ 00:36:04.980 --> 00:36:07.353$  of over counting of prematurity deaths.
- 750 00:36:08.820 --> 00:36:12.093 So after calibration, it tends to come down quite a bit.
- $751\ 00{:}36{:}16.950 \dashrightarrow 00{:}36{:}21.510$  And also, we looked at the model estimated sensitivities
- $752\ 00:36:21.510 \longrightarrow 00:36:23.550$  using both the single cause
- $753\ 00:36:23.550 --> 00:36:26.043$  and the compositional cause of the data.
- $754\ 00:36:27.180 \longrightarrow 00:36:29.460$  So this is the difference in the sensitivities
- $755\ 00{:}36{:}29.460 \dashrightarrow 00{:}36{:}32.550$  and you can see that using the compositional cause of death,
- 756 00:36:32.550 --> 00:36:36.330 you'll always get a higher match because it kind of uses
- 757 00:36:36.330 --> 00:36:38.580 information for multiple causes and stuff
- 758 00:36:38.580 --> 00:36:40.530 just considering the top cause.
- $759\ 00:36:40.530 \longrightarrow 00:36:42.660$  And so it generally leads to better matching
- $760\ 00:36:42.660 \longrightarrow 00:36:46.263$  between the verbal autopsy and the minimal tissue sampling.
- 761  $00:36:49.440 \longrightarrow 00:36:50.730$  Some ongoing work.
- $762\ 00:36:50.730 \longrightarrow 00:36:53.010$  So when we did this for Mozambique,
- 763 00:36:53.010 --> 00:36:56.820 there was very little amount of payer data.

 $764\ 00:36:56.820 \longrightarrow 00:36:59.070$  So even though the data was for seven countries,

 $765\ 00:36:59.070 \longrightarrow 00:37:00.990$  we kind of merged them together

 $766\ 00:37:00.990 \longrightarrow 00:37:03.900$  and estimated the misclassification rates.

767 00:37:03.900 --> 00:37:06.600 Now we have more data coming in for those countries

 $768\ 00:37:06.600 \longrightarrow 00:37:07.920$  so we have a chance to assess

 $769\ 00:37:07.920 \longrightarrow 00:37:11.610$  whether the misclassification rates vary by country

770 00:37:11.610 --> 00:37:12.450 because if they do,

 $771\ 00:37:12.450 \longrightarrow 00:37:14.920$  we should model the misclassification rates

772 00:37:16.980 --> 00:37:19.173 in a way that's specific to each country.

773 00:37:21.420 --> 00:37:25.890 So these are the misclassification rates now

 $774\ 00:37:25.890 \longrightarrow 00:37:27.270$  resolved by country.

775 00:37:27.270 --> 00:37:30.030 So there are six countries, Bangladesh, Ethiopia,

776 00:37:30.030 --> 00:37:32.283 Kenya, Mali, Mozambique and Sierra Leone.

777 00:37:34.560 --> 00:37:35.760 You can see the estimates.

778 00:37:35.760 --> 00:37:37.260 These are the empirical estimates

 $779\ 00:37:37.260 \longrightarrow 00:37:40.020$  and the confidence intervals for each country.

780 00:37:40.020 --> 00:37:42.090 And the horizontal black line

 $781\ 00:37:42.090 --> 00:37:43.980$  is what the pooled estimate looks like.

 $782\ 00:37:43.980 \longrightarrow 00:37:48.660$  So you can see that there is for some causes like here,

 $783\ 00:37:48.660 \longrightarrow 00:37:51.240$  there is not a variability across countries.

784~00:37:51.240 --> 00:37:55.353 But then for some other cause payers like say here,

 $785\ 00:37:56.250 --> 00:37:59.641$  there's quite a bit of variability across countries.

 $786\ 00:37:59.641 --> 00:38:03.390$  And so now that we are getting more data,

 $787\ 00:38:03.390 \longrightarrow 00:38:05.400$  the next step for the project

 $788\ 00:38:05.400 --> 00:38:08.790$  is to estimate country-specific misclassification rates.

 $789\ 00:38:08.790 --> 00:38:12.450$  The issue however is that even with more data,

 $790~00:38:12.450 \dashrightarrow 00:38:16.530$  there is, I think, around 600 cases here for six countries,

791 00:38:16.530 --> 00:38:19.560 which is approximately 100 case per country.

 $792~00{:}38{:}19.560 \dashrightarrow 00{:}38{:}22.680$  And there are 25 cells of the misclassification matrix.

793 00:38:22.680 --> 00:38:24.720 So that's like four cases per cell,

794 00:38:24.720 --> 00:38:27.450 so that's clearly not enough to do separate

 $795\ 00:38:27.450 \longrightarrow 00:38:29.670$  country specific models.

 $796\ 00:38:29.670 \longrightarrow 00:38:32.220$  So we'd have to kind of do

797 00:38:32.220 --> 00:38:34.950 a sort of a borrowing of information

798 00:38:34.950 --> 00:38:37.920 both across the rows and columns of the matrix

 $799\ 00:38:37.920 --> 00:38:40.083$  but also across different countries.

 $800\ 00:38:42.000 --> 00:38:45.480$  So what we do first is first, we kind of borrow information

 $801\ 00:38:45.480 \longrightarrow 00:38:48.540$  across the rows and columns of the matrix.

 $802\ 00:38:48.540 \longrightarrow 00:38:52.200$  And to do this, we start with a,

803 00:38:52.200 --> 00:38:54.510 instead of an unstructured misclassification matrix

 $804\ 00:38:54.510 \longrightarrow 00:38:56.910$  where we estimated each cell separately,

 $805\ 00:38:56.910$  --> 00:39:00.120 we start with a structured misclassification matrix

 $806\ 00:39:00.120 \longrightarrow 00:39:01.680$  using two basic mechanisms.

 $807\ 00:39:01.680 \longrightarrow 00:39:06.680$  So we say that a classifier operates using two mechanisms,

 $808\ 00:39:07.260$  --> 00:39:11.520 for a given cause, it can either match that cause

809 00:39:11.520 --> 00:39:14.760 and we call that an intrinsic accuracy

 $810\ 00:39:14.760 \longrightarrow 00:39:17.550$  and that matching probability will be different

 $811\ 00:39:17.550 \longrightarrow 00:39:20.250$  for different causes, so there are three causes here,

 $812\ 00:39:20.250 \longrightarrow 00:39:21.330$  and you can see

- $813\ 00:39:21.330 \longrightarrow 00:39:23.940$  that the matching probability can be different.
- 814 00:39:23.940 --> 00:39:25.950 If it doesn't match the true cause,
- 815 00:39:25.950 --> 00:39:28.860 then it randomly distributes its prediction
- $816\ 00:39:28.860 \longrightarrow 00:39:30.750$  to the other causes
- $817\ 00:39:30.750 \longrightarrow 00:39:35.750$  and that random distribution will also have some weights,
- $818\ 00:39:35.970 \longrightarrow 00:39:38.190$  and those we call the systematic bias
- $819\ 00:39:38.190 \longrightarrow 00:39:39.570$  or the pool of the classifier.
- 820 00:39:39.570 --> 00:39:41.550 So if it's not matching,
- 821 00:39:41.550 --> 00:39:45.780 we saw that it'll often assign a cause to prematurity
- $822\ 00:39:45.780 \longrightarrow 00:39:47.730$  regardless of what the true cause is.
- $823\ 00:39:47.730 \longrightarrow 00:39:50.550$  So that's kind of the basis for this model.
- 824 00:39:50.550 --> 00:39:51.810 And if you have this model,
- $825\ 00:39:51.810 --> 00:39:56.230$  we kind of rearrange these three bars here
- $826\ 00:39:57.420 --> 00:39:59.370$  and then we put in the circle from there.
- $827\ 00:39:59.370 --> 00:40:03.120$  And these will give you the misclassification priorities.
- 828 00:40:03.120  $\rightarrow$  00:40:08.120 So we can write each of the misclassification probabilities
- $829\ 00{:}40{:}08.340 \dashrightarrow 00{:}40{:}12.630$  in terms of just these six parameters and we can do the same
- 830  $00:40:12.630 \longrightarrow 00:40:16.890$  for the green cause and for the blue cause.
- $831\ 00{:}40{:}16.890 --> 00{:}40{:}21.570$  And so basically, these are the nine misclassification rates
- 832 00:40:21.570 --> 00:40:23.300 written in terms of the six parameters.
- 833 00:40:23.300  $\rightarrow$  00:40:25.680 So this is not that much of a dimension reduction
- $834\ 00:40:25.680 \longrightarrow 00:40:27.300$  if there are three causes,
- 835 00:40:27.300 --> 00:40:30.213 but if there are in general C causes,
- 836 00:40:31.710 --> 00:40:34.470 this model for misclassification matrix will only have
- 837 00:40:34.470 --> 00:40:38.640 2C 1 parameters as opposed to C square parameters.

- $838\ 00:40:38.640 --> 00:40:43.190$  So in practice, we use seven causes for children
- $839\ 00:40:43.190 \longrightarrow 00:40:44.023$  and five causes for neonates,
- $840\ 00{:}40{:}44.023 \dashrightarrow 00{:}40{:}46.310$  so this leads to a lot of dimension reduction.
- $841\ 00:40:48.690 \longrightarrow 00:40:52.500$  And one of the justification
- $842\ 00:40:52.500 \longrightarrow 00:40:54.360$  for this dimension reduced model
- $843\ 00{:}40{:}54{:}360 \dashrightarrow 00{:}40{:}59{:}070$  is that if this model is true then the misclassification
- 844 00:40:59.070 --> 00:41:01.380 into different causes,
- $845~00:41:01.380 \longrightarrow 00:41:05.220$  the odds of misclassification into two causes, j and k,
- $846\ 00:41:05.220 \longrightarrow 00:41:08.040$  will not depend on what the true cause is.
- $847\ 00:41:08.040 \longrightarrow 00:41:09.720$  And we do see that in the data.
- 848 00:41:09.720 --> 00:41:13.470 So these are different cause payers, j and k,
- $849\ 00{:}41{:}13.470 \longrightarrow 00{:}41{:}16.920$  and these are the odds for what the true cause is.
- 850 00:41:16.920 --> 00:41:19.890 So we are plotting the misclassification rates,
- 851 00:41:19.890 --> 00:41:22.290 mij over mik.
- 852 00:41:22.290 --> 00:41:23.550 So this is j and k
- $853\ 00:41:23.550 \longrightarrow 00:41:25.680$  and the colors here give you i.
- 854 00:41:25.680 --> 00:41:28.470 So you do see that they do not vary
- $855\ 00:41:28.470 \longrightarrow 00:41:30.030$  for different choices of i,
- $856\ 00:41:30.030 \longrightarrow 00:41:32.037$  it only is specific to j and k,
- 857 00:41:32.037 --> 00:41:35.730 and that's an equivalent characterization
- 858 00:41:35.730 --> 00:41:38.970 of that systematic preference
- 859 00:41:38.970 --> 00:41:41.070 and intrinsic accuracy model that we have,
- $860\ 00:41:41.070 --> 00:41:43.203$  so we do see that reflected in the data.
- $861\ 00:41:44.040 \longrightarrow 00:41:49.040$  But we don't have that as the fixed model we have.
- $862\ 00:41:49.230 \longrightarrow 00:41:50.520$  So this is the best model.
- $863\ 00{:}41{:}50.520 \dashrightarrow 00{:}41{:}53.997$  We allow some diversion or shrinkage towards it
- 864 00:41:53.997 --> 00:41:55.800 and there's a tuning parameter.

- $865\ 00:41:55.800 --> 00:41:58.230$  So then we get the homogeneous model
- $866~00{:}41{:}58.230 \dashrightarrow 00{:}42{:}01.260$  and then we have a diversion from the homogeneous model
- 867 00:42:01.260 --> 00:42:02.730 to get country specific model.
- $868\ 00:42:02.730 \longrightarrow 00:42:04.380$  So that's the broad idea,
- 869 00:42:04.380 --> 00:42:06.810 I won't go into the modeling details.
- $870\ 00:42:06.810 \longrightarrow 00:42:08.760$  And these are the predictions
- 871 00:42:08.760 --> 00:42:10.563 using the country specific model.
- 872 00:42:12.750  $\rightarrow$  00:42:15.270 I won't go into details here, but there are many cases,
- 873 00:42:15.270 --> 00:42:16.620 for example, take it here,
- $874\ 00:42:16.620 \longrightarrow 00:42:18.393$  star is the empirical rate,
- $875\ 00:42:19.440 \longrightarrow 00:42:24.180$  angle is the heterogeneous model.
- 876 00:42:24.180 --> 00:42:25.650 And you can see it does much better
- $877\ 00{:}42{:}25.650 \dashrightarrow 00{:}42{:}29.524$  than the horizontal line, which is the homogeneous model.
- $878\ 00{:}42{:}29.524 \dashrightarrow 00{:}42{:}34.163$  And we do see it throughout the classification rates.
- $879\ 00:42:35.850 \longrightarrow 00:42:37.620$  These are the estimates for Bangladesh.
- 880 00:42:37.620 --> 00:42:41.030 So the red density is the pooled estimate
- 881 00:42:41.030 --> 00:42:42.780 of the homogeneous estimate.
- $882\ 00{:}42{:}42.780 \dashrightarrow 00{:}42{:}45.543$  The blue density is the Bangladesh specific estimate.
- 883 00:42:48.090 --> 00:42:49.590 The dotted vertical line
- $884\ 00:42:49.590 --> 00:42:51.657$  is the empirical estimate for Bangladesh
- $885\ 00:42:51.657 \longrightarrow 00:42:53.430$  and the solid vertical line
- 886 00:42:53.430 --> 00:42:56.250 is the pooled empirical estimate.
- $887\ 00:42:56.250 \longrightarrow 00:42:58.620$  So you can see that as we get
- 888 00:42:58.620 --> 00:43:00.600 more and more data from Bangladesh,
- $889\ 00:43:00.600 \longrightarrow 00:43:02.670$  the country specific estimate moves away
- $890\ 00:43:02.670 \longrightarrow 00:43:03.780$  from the pooled estimate
- 891 00:43:03.780  $\rightarrow$  00:43:06.090 towards the country specific estimate.

- 892 00:43:06.090 --> 00:43:11.090 So that's basically the hope is going forward,
- $893\ 00{:}43{:}11.790 \dashrightarrow 00{:}43{:}14.220$  we will have much more data within each country
- $894\ 00:43:14.220 \longrightarrow 00:43:16.410$  and we'll have estimates that are much closer
- $895\ 00:43:16.410 \longrightarrow 00:43:20.013$  to the dotted lines than the solid lines.
- $896\ 00:43:21.810 \longrightarrow 00:43:22.950$  So that's the summary.
- $897\ 00:43:22.950 \longrightarrow 00:43:26.310$  So in general, these cause of death classifiers
- 898 00:43:26.310 --> 00:43:27.810 are super inaccurate.
- $899~00{:}43{:}27.810 \dashrightarrow 00{:}43{:}30.840$  So we need to calibrate for that and we have limited data
- 900 00:43:30.840 --> 00:43:32.490 to estimate their inaccuracy,
- 901 00:43:32.490 --> 00:43:34.773 so we calibrate them innovation way.
- $902\ 00:43:36.240 \longrightarrow 00:43:38.790$  The methods give probabilistic cause of death
- $903\ 00:43:38.790 --> 00:43:40.350$  instead of categorical cause of death.
- 904 00:43:40.350 --> 00:43:42.960 So we develop a generalized Bayes approach
- $905\ 00:43:42.960 \longrightarrow 00:43:45.060$  that is equivalent to a multinomial model
- $906\ 00:43:45.060 \longrightarrow 00:43:47.040$  if the data is categorical.
- $907\ 00:43:47.040 --> 00:43:50.370$  But if it's not categorical, it becomes a pseudo likelihood
- 908 00:43:50.370 --> 00:43:53.550 Bayesian approach for compositional data
- $909\ 00:43:53.550 --> 00:43:57.000$  and that allows zeroes and ones in the data
- 910 00:43:57.000 --> 00:44:01.023 and is not kind of dependent on the model specification.
- 911 00:44:02.490  $\rightarrow$  00:44:04.830 And then it kind of led to this independent development
- $912\ 00:44:04.830 \longrightarrow 00:44:09.020$  of the composition on composition regression.
- 913 00:44:09.020 --> 00:44:10.216 Some papers and software.
- $914\ 00:44:10.216 \longrightarrow 00:44:13.100$  So the single cause paper was the first one,
- $915\ 00:44:13.100 \longrightarrow 00:44:16.934$  then we extend it to compositional data
- $916\ 00:44:16.934 \longrightarrow 00:44:18.991$  and develop the theory for it.
- 917 00:44:18.991 --> 00:44:22.394 The package for calibration is available on GitHub

- 918 00:44:22.394  $\rightarrow$  00:44:24.720 and then the composition on composition regression
- 919 00:44:24.720 --> 00:44:25.980 were the separate piece
- 920 00:44:25.980 --> 00:44:30.360 and we have the coda linear model package for it on CRAN.
- 921 00:44:30.360 --> 00:44:32.460 And then we use this approach
- 922 00:44:32.460 --> 00:44:34.840 to produce calibration estimates
- 923 00:44:36.372 --> 00:44:38.970 for neonate and children deaths in Mozambique
- $924\ 00:44:38.970 \longrightarrow 00:44:41.490$  which were published in the last three papers.
- $925\ 00:44:41.490 \longrightarrow 00:44:42.323$  Thank you.
- 926 00:44:51.390 --> 00:44:52.950 <v -> Questions? Yes.</v>
- 927 00:44:52.950 --> 00:44:54.990 <<br/>v ->So I just had a quick question 'cause you were saying</br/>/v>
- $928\ 00:44:54.990 \longrightarrow 00:44:58.110$  the model basically looks at the symptoms
- 929 00:44:58.110 --> 00:45:00.000 that'll be able to predict which it would be.
- 930 00:45:00.000 --> 00:45:03.660 Does it also factor in what diseases and stuff
- 931 00:45:03.660 --> 00:45:07.140 are most common in those areas or does it kind of just-
- 932 00:45:07.140 --> 00:45:09.360 < v -> Oh, very good question.< / v >
- 933 00:45:09.360 --> 00:45:12.210 It does factor it in but in a very crude way
- $934\ 00:45:12.210 \longrightarrow 00:45:14.280$  in the sense that the models have some settings
- 935 00:45:14.280 --> 00:45:18.360 called like high malaria, low malaria or high HIV, low HIV.
- $936\ 00:45:18.360 \longrightarrow 00:45:20.850$  So depending on which country you're running it,
- 937 00:45:20.850 --> 00:45:24.120 you will set the setting to like high HIV country
- 938 00:45:24.120 --> 00:45:26.550 or low HIV country, the same for malaria,
- 939 00:45:26.550 --> 00:45:29.640 but it doesn't do anything beyond that,
- $940\ 00:45:29.640 \longrightarrow 00:45:31.473$  so only at a very close level.
- 941 00:45:34.350 --> 00:45:35.400 <v -> Causes of death or .</v>
- 942 00:45:36.870 --> 00:45:39.720 <v ->So the ICD-10 classification</v>

- $943\ 00:45:39.720 \longrightarrow 00:45:42.480$  will have around 30 plus causes of death
- 944 00:45:42.480 --> 00:45:44.070 for children's and neonates,
- 945 00:45:44.070 --> 00:45:45.753 I think much more for adults.
- $946\ 00:45:46.620 \longrightarrow 00:45:48.420$  There are no MITS for adults.
- $947\ 00:45:48.420 \longrightarrow 00:45:50.700\ MITS$  was only done for children's and neonates,
- 948 00:45:50.700 --> 00:45:53.343 only now adult MITS are being started,
- $949\ 00:45:54.330 \longrightarrow 00:45:57.330$  but we have to kind of group them into broader categories
- 950 00:45:57.330 --> 00:45:58.980 because if you have 30 causes,
- 951 00:45:58.980 --> 00:46:01.500 your misclassification matrix will be 30 times 30.
- $952\ 00:46:01.500 \longrightarrow 00:46:05.040$  So we don't have the data to do estimation
- $953\ 00:46:05.040 \longrightarrow 00:46:06.300$  at that fine resolution.
- $954\ 00:46:06.300 \longrightarrow 00:46:08.220$  So we group them into broader categories.
- $955\ 00:46:08.220 \longrightarrow 00:46:10.950$  So seven for children, five for new neonates.
- 956 00:46:10.950 --> 00:46:13.770 <v -> Is one of the categories, I have no idea, </v>
- 957 00:46:13.770 --> 00:46:15.210 it is totally unknown.
- 958 00:46:15.210 --> 00:46:18.450 And if so, is that different from the uniform distribution
- $959\ 00:46:18.450 \longrightarrow 00:46:20.373$  across causes of death?
- 960 00:46:21.240 --> 00:46:22.680 <v -> That would be the uniform distribution.</v>
- 961 00:46:22.680 --> 00:46:24.810 There is no category which is, I have no idea,
- $962~00{:}46{:}24.810 \dashrightarrow 00{:}46{:}27.720$  but it'll be probably reflected in a score that is very flat
- $963\ 00:46:27.720 \longrightarrow 00:46:29.550$  across the causes.
- 964 00:46:29.550 --> 00:46:32.040  $<\! {\rm v}$  ->If you think there are seven causes of death</r>
- $965\ 00:46:32.040 --> 00:46:33.540$  and I'm working with the same dataset
- $966\ 00:46:33.540 \longrightarrow 00:46:36.180$  and I think there are 100 causes of death,
- $967\ 00{:}46{:}36.180 \dashrightarrow 00{:}46{:}39.420$  will there be substantial differences in our marginal

- 968 00:46:39.420 --> 00:46:41.340 estimates of probability?
- 969 00:46:41.340 --> 00:46:44.820 Because our uniform posteriors
- 970 00:46:44.820 --> 00:46:48.030 place such different amounts of mass across the say
- 971  $00:46:48.030 \longrightarrow 00:46:50.820$  30 versus 100 causes of death.
- $972\ 00:46:50.820 \longrightarrow 00:46:52.540 < v \longrightarrow Yes$ , there will be differences </v>
- 973 00:46:54.150  $\rightarrow$  00:46:58.380 and even when we are aggregating from the 30 causes
- $974\ 00:46:58.380 \longrightarrow 00:47:01.860$  to seven causes, the assumption is that within each category
- 975 00:47:01.860 --> 00:47:03.930 the misclassification rates are homogeneous
- $976\ 00:47:03.930 \longrightarrow 00:47:05.130$  within the finer category.
- 977 00:47:05.130 --> 00:47:07.860 So that is an assumption that we're working with.
- $978\ 00:47:07.860 \longrightarrow 00:47:09.910$  So definitely, there will be differences.
- 979 00:47:10.890 --> 00:47:11.723 <v ->Thank you.</v>
- 980 00:47:16.380 --> 00:47:18.630 <-> I have one more question.</v>
- 981 00:47:21.690 --> 00:47:23.100 I'll ask a philosophical question
- 982 00:47:23.100 --> 00:47:23.933 if I may. <v ->Sure, yeah.</v>
- 983  $00:47:23.933 \longrightarrow 00:47:24.957 < v \longrightarrow You commented, </v>$
- 984 00:47:26.010 --> 00:47:27.180 I don't know, about halfway through,
- $985\ 00:47:27.180 \longrightarrow 00:47:31.500$  about how statisticians are working on a thing.
- $986~00{:}47{:}31.500 \dashrightarrow 00{:}47{:}34.020$  Computer scientists are working on the same thing.
- $987\ 00:47:34.020 \longrightarrow 00:47:35.570$  There's a third group I forget.
- 988 00:47:37.320 --> 00:47:38.870 And nobody talks to each other.
- 989 00:47:39.930 --> 00:47:41.463 Now, many of us are,
- 990  $00:47:42.330 \longrightarrow 00:47:43.580$  many of the students here
- 991 00:47:44.482 --> 00:47:47.032 are within the data science track of biostatistics.
- 992 00:47:48.660 --> 00:47:50.523 By the way, love your Twitter handle.
- 993 00:47:52.230 --> 00:47:55.890 But yeah, so how do we bridge those things
- $994\ 00:47:55.890 \longrightarrow 00:47:57.450$  that we take advantage of these things

995 00:47:57.450  $\rightarrow$  00:48:00.213 and it's not three separate versions of the same thing?

996 00:48:01.170 --> 00:48:04.320 <v ->I don't know if there's a systematic way.</v>

997 00:48:04.320 --> 00:48:07.530 Honestly, I came to know about much of the literature

998 00:48:07.530 --> 00:48:08.550 going through the revisions

 $999\ 00:48:08.550 \longrightarrow 00:48:10.680$  and one of the reviewer associate editors said

 $1000\ 00:48:10.680 \longrightarrow 00:48:13.620$  there is a lot of work here in the econometrics literature,

 $1001\ 00:48:13.620 \longrightarrow 00:48:14.760$  you should take a look.

1002 00:48:14.760 --> 00:48:15.720 And that's kind of the value

 $1003\ 00{:}48{:}15.720 \dashrightarrow 00{:}48{:}17.490$  of the peer review system I guess.

 $1004~00{:}48{:}17.490 \dashrightarrow 00{:}48{:}20.340$  And so we looked at it and yes, there was a lot of work

 $1005\ 00:48:20.340 \longrightarrow 00:48:22.260$  and they just called it different things

 $1006\ 00:48:22.260 \longrightarrow 00:48:23.250$  and so I had no idea

 $1007\ 00{:}48{:}23.250 \dashrightarrow 00{:}48{:}25.800$  when I was searching for that in the literature.

 $1008\ 00:48:25.800 --> 00:48:28.560$  And we did see the Victor Chernozhukov paper

1009~00:48:28.560 --> 00:48:30.150~I~think is in "Journal of Economics,"

 $1010\ 00:48:30.150 \longrightarrow 00:48:32.610$  but it's basically an asymptotic statistics paper.

 $1011\ 00:48:32.610 \longrightarrow 00:48:35.640$  It kind of shows that these generalized Bayes stuff,

1012 00:48:35.640 --> 00:48:38.400 which they call as Laplace-type estimators,

 $1013\ 00:48:38.400 \longrightarrow 00:48:39.990$  has all these nice properties

 $1014\ 00:48:39.990 \longrightarrow 00:48:42.140$  that a standard vision posterior will have.

1015 00:48:43.200 --> 00:48:46.410 But yeah, I think talking to more people

 $1016~00{:}48{:}46.410 \dashrightarrow 00{:}48{:}48.930$  and like interacting and telling about your work

1017 00:48:48.930 --> 00:48:49.763 will kind of,

```
1018\ 00{:}48{:}49.763 --> 00{:}48{:}52.320 and someone will say that, oh yeah, I do something similar.
```

- 1019 00:48:52.320 --> 00:48:54.600 You should look at this paper,
- 1021 00:48:56.754 --> 00:48:57.587 <v ->Sorry?</v>
- $1022\ 00:48:57.587 --> 00:48:58.420 < v -> Hopefully Twitter helps. < / v >$
- $1023\ 00:48:58.420 \longrightarrow 00:49:00.300 < v \longrightarrow Yeah, yeah, definitely. < / v >$
- 1024 00:49:00.300 --> 00:49:02.340 Engagement through any like in-person
- $1025\ 00{:}49{:}02.340 \dashrightarrow 00{:}49{:}05.463$  or social media platform would be useful, yeah.
- $1026\ 00:49:07.530 \longrightarrow 00:49:08.460 < v \longrightarrow All right, well thanks so much. < / v >$
- $1027\ 00:49:08.460 --> 00:49:11.679\ I$  think we're out of time so we'll stop it there.
- 1028 00:49:11.679 --> 00:49:14.790 (attendant muttering indistinctly)
- $1029\ 00:49:14.790 --> 00:49:16.590$  Hope everybody has a wonderful fall break.
- $1030\ 00:49:16.590 \longrightarrow 00:49:17.640$  See you next week.
- 1031 00:49:19.167 --> 00:49:23.584 (attendants chattering indistinctly)
- $1032\ 00:49:36.727 --> 00:49:37.923 < v \text{ Learner} > \text{The other organizer} < /v >$
- $1033\ 00:49:37.923 \longrightarrow 00:49:39.398$  (learner muttering indistinctly)
- 1034 00:49:39.398 --> 00:49:43.815 (attendants chattering indistinctly)
- 1035 00:49:52.604 --> 00:49:54.760 < v ->Or maybe because they're susceptible.</r>
- 1036 00:49:54.760 --> 00:49:59.177 (attendants chattering indistinctly)
- 1037 00:50:04.226 --> 00:50:06.327 <<br/>v ->Thank you. Anyone else need to sign in?</v>
- 1038 00:50:06.327 --> 00:50:10.744 (attendants chattering indistinctly)
- 1039 00:50:19.104 --> 00:50:20.966 <-> Infection but they're also premature babies.</r>
- 1040 00:50:20.966 --> 00:50:25.383 (attendants chattering indistinctly)
- $1041\ 00:50:30.104 \longrightarrow 00:50:31.890 < v \rightarrow Premature, but also it's that < / v >$
- $1042\ 00:50:31.890 \longrightarrow 00:50:33.506$  it's not a distinct.
- 1043 00:50:33.506 --> 00:50:35.160 (attendants chattering indistinctly)

```
1044 00:50:35.160 --> 00:50:38.070 <
v -> Cause of death is very blurry in this day.
</v>
```

 $1045\ 00:50:38.070 \longrightarrow 00:50:40.414 < v \rightarrow Is that part of why like. </v>$ 

1046 00:50:40.414 --> 00:50:44.831 (attendants chattering indistinctly)

1047 00:50:46.157 --> 00:50:48.057 <-> 'Cause a symptom given cause session</br/>-/v>

 $1048\ 00:50:49.011 --> 00:50:50.520$  with that much of variation across country.

1049~00:50:50.520 --> 00:50:51.548 < v Learner> Cause. < /v>

1050 00:50:51.548 --> 00:50:52.645 (learner muttering indistinctly)

 $1051\ 00:50:52.645 \longrightarrow 00:50:53.790$  Cause.

1052 00:50:53.790 --> 00:50:57.614 <v -> Reporting depends on who is answering.</v>

1053 00:50:57.614 --> 00:51:02.031 (attendants chattering indistinctly)

1054 00:51:03.810 --> 00:51:05.400 <->You need to go next.</v>

 $1055\ 00:51:05.400 --> 00:51:06.233 < v -> Back\ to. </v>$ 

 $1056\ 00:51:09.026 \longrightarrow 00:51:10.347 < v \longrightarrow I guess, yeah. < / v > I$ 

 $1057\ 00:51:10.347 \longrightarrow 00:51:11.795$  You need one of us to let you.

1058 00:51:11.795 --> 00:51:14.062 (lecturer muttering indistinctly)

 $1059\ 00:51:14.062 --> 00:51:15.929 < v -> It might be a short answer. < / v >$ 

1060 00:51:15.929 --> 00:51:16.762 Yeah, and it's short answer.

1061 00:51:16.762 --> 00:51:20.030 (attendants chattering indistinctly)