## WEBVTT

00:00:18.750 --> 00:00:21.340 - All right, I see more people joining

 $00{:}00{:}31{.}960$ --> $00{:}00{:}34{.}760$  Jeff, how long do you how long do you have like an hour?

 $00:00:35.633 \longrightarrow 00:00:36.466$  Less than that?

 $00:00:36.466 \rightarrow 00:00:39.510$  - I think I can probably finish in less than an hour.

 $00:00:39.510 \longrightarrow 00:00:41.157$  - Less than hour, all right.

 $00:00:58.180 \longrightarrow 00:01:00.113$  I think we should get started.

00:01:01.580 --> 00:01:03.270 So hi, everyone.

 $00:01:03.270 \rightarrow 00:01:06.810$  Welcome to our seminar series on COVID-19,

00:01:06.810 --> 00:01:10.260 organized by the Department of Biostatistics.

 $00{:}01{:}10.260 \dashrightarrow 00{:}01{:}14.750$  I'm very pleased to have here today, Jeff Thompson,

 $00{:}01{:}14.750 \dashrightarrow 00{:}01{:}19.750$  Professor of biostatistics, Ecology and Evolutionary Biology

 $00:01:20.330 \longrightarrow 00:01:22.523$  from the Yale School of Public Health.

 $00:01:23.400 \rightarrow 00:01:26.670$  Thank you, Jeff, for being here today with us.

 $00:01:26.670 \rightarrow 00:01:29.690$  As usual, you're welcome to write questions

 $00{:}01{:}29.690$  -->  $00{:}01{:}34.573$  in the chat box or even unmute yourself, if you can,

 $00:01:34.573 \rightarrow 00:01:38.151$  and other people are not talking.

00:01:38.151 --> 00:01:42.191 And, Jeff, why don't you take it from here?

00:01:42.191 --> 00:01:44.817 - Okay, thank you very much for the introduction, Laura.

 $00{:}01{:}44.817 \dashrightarrow 00{:}01{:}45.650$  I'm really pleased to have an opportunity to talk

 $00:01:45.650 \dashrightarrow 00:01:48.267$  about the work that we've been doing.

00:01:49.164 --> 00:01:51.882 I think like many speakers in this series, you know,

 $00{:}01{:}51{.}882 \dashrightarrow 00{:}01{:}54{.}013$  we've been doing a lot of work very hard

 $00{:}01{:}54{.}013 \dashrightarrow 00{:}01{:}56{.}993$  on a short period to try to get some progress on COVID-19.

 $00:01:57.830 \rightarrow 00:01:59.300$  Ironically, this is the first work

 $00:01:59.300 \dashrightarrow 00:02:02.900$  I think that I started In response to the COVID-19 epidemic

 $00:02:02.900 \rightarrow 00:02:07.374$  and it's turned out to be a lot of work.  $00:02:07.374 \longrightarrow 00:02:08.953$  So it's actually gotten the least far.  $00:02:11.276 \rightarrow 00:02:12.528$  So we've done a little bit of work, for instance, 00:02:12.528 --> 00:02:13.673 on epidemic modeling of COVID-19. 00:02:14.948 --> 00:02:17.919 That's already, it's actually been submitted,  $00:02:17.919 \rightarrow 00:02:20.190$  I actually have some other work on quarantine  $00:02:20.190 \rightarrow 00:02:23.830$  and stuff that turns out to be really interesting  $00:02:23.830 \longrightarrow 00:02:25.443$  and far along in the research. 00:02:26.380 --> 00:02:27.790 And then this work, which I started early on,  $00:02:27.790 \rightarrow 00:02:30.762$  which is more evolutionary, and looking at the zoonotic  $00:02:30.762 \rightarrow 00:02:32.390$  process has gone a little bit slower.  $00:02:32.390 \rightarrow 00:02:34.592$  So what that means is consistent with  $00:02:34.592 \rightarrow 00:02:35.480$  many other speakers in this series,  $00:02:35.480 \longrightarrow 00:02:37.716$  I'm gonna be talking a lot about  $00:02:37.716 \rightarrow 00:02:40.265$  the methods that we're going to be using,  $00:02:40.265 \rightarrow 00:02:43.089$  which are well developed, and what we're planning to do,  $00:02:43.089 \rightarrow 00:02:44.110$  I don't have a lot of results.  $00:02:44.110 \rightarrow 00:02:47.076$  But I think that's consistent with these talks in general.  $00:02:47.076 \rightarrow 00:02:48.910$  So hopefully, that will be of interest to you  $00:02:48.910 \rightarrow 00:02:53.330$  and also be illuminating in terms  $00:02:53.330 \rightarrow 00:02:58.330$  of possible research approaches towards this kind of work. 00:02:58.340 --> 00:03:00.020 So as Laura mentioned,  $00:03:00.020 \rightarrow 00:03:02.120$  I use a lot of evolutionary approaches  $00:03:02.120 \longrightarrow 00:03:04.180$  to do my analyses of things.  $00:03:04.180 \rightarrow 00:03:08.220$  And the title of this talk is model averaged estimation  $00:03:08.220 \rightarrow 00:03:11.500$  of molecular evolution and natural selection  $00:03:11.500 \rightarrow 00:03:14.240$  in SARS coronavirus, one and SARS coronavirus two

 $00:03:14.240 \rightarrow 00:03:18.000$  two Corona viruses during the zoonotic period.

 $00{:}03{:}18{.}000 \dashrightarrow 00{:}03{:}21{.}170$  So what was attracting my interest in this particular case

 $00{:}03{:}21.170$  -->  $00{:}03{:}24.729$  is that it's usually very difficult and challenging to find.

 $00:03:24.729 \rightarrow 00:03:27.480$  And I'll get to this later in the talk to figure

 $00:03:27.480 \rightarrow 00:03:29.480$  out what's going on during the zoonotic period,

 $00{:}03{:}29{.}480$  -->  $00{:}03{:}32{.}233$  because you don't usually get much sampling there.

 $00:03:32.233 \rightarrow 00:03:34.700$  So, what I wanted to do was apply some techniques

 $00:03:34.700 \dashrightarrow 00:03:37.700$  that I've developed to this problem.

00:03:37.700 --> 00:03:39.400 And I will get to those techniques

 $00{:}03{:}40{.}659 \dashrightarrow 00{:}03{:}42{.}849$  and the application to this problem.

00:03:42.849 --> 00:03:45.736 But I first just wanna give a little bit of introduction,

 $00:03:45.736 \rightarrow 00:03:46.790$  I think, maybe from a statistics point of view

 $00{:}03{:}46{.}790$  -->  $00{:}03{:}49{.}330$  towards some of the methodologies that we're using,

 $00:03:49.330 \rightarrow 00:03:51.210$  just so everyone can sort of see on board

 $00:03:51.210 \rightarrow 00:03:53.330$  at least how I see this as contributing

 $00:03:54.643 \rightarrow 00:03:57.040$  to interesting statistical questions.

 $00{:}03{:}57{.}040$  -->  $00{:}03{:}59{.}889$  So and in a broad sense, if I can get this to Move forward.

 $00:03:59.889 \rightarrow 00:04:01.320$  Here we go.

 $00:04:01.320 \longrightarrow 00:04:02.780$  I think one of the most intriguing

 $00{:}04{:}02{.}780$  -->  $00{:}04{:}04{.}900$  and interesting and challenging areas of mathematics

 $00:04:04.900 \rightarrow 00:04:07.610$  and statistics is understanding this border

 $00{:}04{:}07.610$  -->  $00{:}04{:}09.280$  between the discrete and the continuous.

 $00:04:09.280 \longrightarrow 00:04:12.550$  So these are just some one particular

 $00:04:12.550 \dashrightarrow 00:04:15.730$  example you can pick out is, if you look at discrete

 $00:04:15.730 \rightarrow 00:04:18.711$  and continuous distributions that are frequently

00:04:18.711 --> 00:04:21.360 in use in statistical probabilistic analyses,

 $00{:}04{:}21{.}360 \dashrightarrow 00{:}04{:}25{.}240$  we have the geometric and negative binomial distributions.

 $00{:}04{:}25{.}240$  -->  $00{:}04{:}27{.}840$  And we have the exponential and gamma distributions.

 $00{:}04{:}29{.}809 \dashrightarrow 00{:}04{:}31{.}906$  These are basically essentially waiting for discrete events

 $00:04:31.906 \rightarrow 00:04:33.340$  when you have a probability over time.

 $00:04:33.340 \rightarrow 00:04:35.217$  We're waiting for the earth event if you

00:04:35.217 - 00:04:36.709 have probably over time,

 $00{:}04{:}36{.}709$  -->  $00{:}04{:}39{.}160$  and they correspond to the distributions on a continuous

 $00:04:39.160 \longrightarrow 00:04:42.450$  time for the wait for the first event

 $00:04:42.450 \longrightarrow 00:04:44.650$  or the wait for the alpha event.

 $00:04:44.650 \rightarrow 00:04:46.330$  So there's a real clear correspondence

 $00:04:46.330 \longrightarrow 00:04:47.670$  between these two distributions.

 $00:04:47.670 \rightarrow 00:04:49.690$  And you can actually see in the mathematics,

 $00:04:49.690 \longrightarrow 00:04:51.183$  how they're similar as well.

00:04:52.558 --> 00:04:54.190 And that correspondence is kind of interesting.

 $00:04:54.190 \rightarrow 00:04:56.280$  And the reason why I say it's interesting is

 $00:04:56.280 \rightarrow 00:04:59.034$  because often many of the biggest problems I think

 $00:04:59.034 \rightarrow 00:05:00.820$  we wrestle with in statistics are when we're trying

 $00{:}05{:}00{.}820 \dashrightarrow 00{:}05{:}03{.}840$  to deal with data that is some intermediate

 $00:05:03.840 \rightarrow 00:05:06.600$  level between continuous and discrete,

 $00:05:06.600 \rightarrow 00:05:08.470$  and where we're trying to figure out which

 $00{:}05{:}08{.}470 \dashrightarrow 00{:}05{:}11{.}288$  approach is the best to use, should we use some sort

00:05:11.288 --> 00:05:12.830 sort of parameterize distribution to address it?

 $00:05:12.830 \rightarrow 00:05:15.290$  Or should we use some sort of nonparametric

 $00:05:16.731 \longrightarrow 00:05:17.780$  approach based on the discrete?

 $00:05:17.780 \dashrightarrow 00:05:19.300$  I'm not sure in any particular case.

00:05:19.300 --> 00:05:21.010 But I just wanna mention

 $00:05:21.010 \rightarrow 00:05:21.843$  that I think that's a very interesting area.

 $00:05:21.843 \rightarrow 00:05:23.480$  And the technique I'm gonna tell you about

 $00{:}05{:}23{.}480$  -->  $00{:}05{:}26{.}910$  is definitely wrestling with exactly this kind of question.

 $00:05:26.910 \rightarrow 00:05:28.540$  So what kind of question do I mean?

 $00{:}05{:}28{.}540$  -->  $00{:}05{:}32{.}050$  Well, I mean, questions that deal with state spaces,

00:05:32.050 --> 00:05:35.890 over time, or over any discrete or continuous axis. 00:05:35.890 --> 00:05:39.970 And you can see in this diagram just give you a picture

 $00:05:39.970 \longrightarrow 00:05:42.660$  of the kinds of problems that one deals with

 $00:05:42.660 \rightarrow 00:05:45.420$  between discrete and continuous measures.

00:05:45.420 --> 00:05:47.950 You can have here it's depicted as time,

 $00{:}05{:}47{.}950 \dashrightarrow 00{:}05{:}50{.}640$  you could have a discrete state space,

 $00:05:50.640 \dashrightarrow 00:05:52.890$  state space you're measuring over time,

 $00:05:52.890 \rightarrow 00:05:56.240$  you could have a continuous sorry,

 $00:05:56.240 \rightarrow 00:05:59.270$  you're gonna have discrete measurements

 $00:05:59.270 \rightarrow 00:06:01.400$  over where You've got discrete time

 $00:06:01.400 \longrightarrow 00:06:03.480$  in a discrete state space,

 $00:06:03.480 \dashrightarrow 00:06:05.900$  you could also have discrete time

 $00{:}06{:}05{.}900 \dashrightarrow 00{:}06{:}08{.}210$  and a continuous state space.

00:06:08.210 --> 00:06:09.960 You can have continuous, continuous

 $00:06:11.638 \rightarrow 00:06:13.012$  or you can have discrete, continuous.

 $00:06:13.012 \rightarrow 00:06:15.380$  And this two on the bottom are, two on the left,

 $00{:}06{:}15{.}380 \dashrightarrow 00{:}06{:}17{.}429$  sorry, are the relevant ones for

 $00{:}06{:}17.429 \dashrightarrow 00{:}06{:}18.520$  what I wanna talk to you about.

 $00:06:18.520 \rightarrow 00:06:21.660$  In my research, which is largely focused

 $00{:}06{:}21.660$  -->  $00{:}06{:}26.050$  on informatik data that we can obtain from sequencing

 $00:06:26.050 \longrightarrow 00:06:28.388$  or other approaches like that.

 $00{:}06{:}28{.}388 \dashrightarrow 00{:}06{:}30{.}050$  A lot of what we're trying to do is look at these discrete

 $00{:}06{:}30{.}050$  -->  $00{:}06{:}34{.}145$  linear sequences that have sites DNA sites or amino acid

 $00:06:34.145 \rightarrow 00:06:37.100$  sites and trying to understand is there some

 $00:06:37.100 \rightarrow 00:06:39.760$  pattern in those sites that allows us to understand

 $00:06:39.760 \rightarrow 00:06:41.450$  something about the biology of the organism

 $00{:}06{:}41.450$  -->  $00{:}06{:}44.590$  or the biology that we want to know something more about?

 $00:06:44.590 \rightarrow 00:06:47.884$  So what essentially I'm gonna be doing

 $00:06:47.884 \rightarrow 00:06:50.053$  is telling you about approach an approach

00:06:50.053 --> 00:06:53.730 that takes essentially discrete items over some X axis

 $00{:}06{:}53.730 \dashrightarrow 00{:}06{:}55.760$  here, in which case in my case, it's always going to be

 $00:06:55.760 \rightarrow 00:06:58.280$  sequence space, like the nucleotides

 $00{:}06{:}58.280 \dashrightarrow 00{:}07{:}00.540$  or the amino acids of a sequence.

 $00{:}07{:}00{.}540$  -->  $00{:}07{:}03{.}920$  And turns it into these kinds of more discrete models.

 $00{:}07{:}03{.}920$  -->  $00{:}07{:}07{.}142$  And then in some, in a procedure that I'm going to tell you

 $00{:}07{:}07{.}142 \dashrightarrow 00{:}07{:}09{.}090$  about actually gives us more of a continuous measure

 $00:07:10.405 \rightarrow 00:07:13.290$  over that space, it's not completely continuous,

 $00:07:13.290 \longrightarrow 00:07:14.470$  it actually is on every site.

00:07:14.470 --> 00:07:17.010 But when you work with hundreds of sites,

00:07:17.010 --> 00:07:18.810 it turns out to look very continuous

 $00:07:19.727 \longrightarrow 00:07:20.953$  in terms of how it appears.

 $00:07:22.259 \rightarrow 00:07:23.092$  But it's done with a discrete model

 $00{:}07{:}23.092 \dashrightarrow 00{:}07{:}24.330$  that looks over multiple sites.

00:07:24.330 --> 00:07:26.280 So well, I'll tell you how it works in a moment.

00:07:26.280 --> 00:07:28.300 And I hope it's of interest to you guys.

00:07:28.300 --> 00:07:30.640 So just to introduce that, in general,

 $00{:}07{:}30{.}640 \dashrightarrow 00{:}07{:}33{.}620$  the lab has worked on a lot of different kinds of data,

 $00:07:33.620 \rightarrow 00:07:35.950$  and including things like gene expression data

 $00{:}07{:}35{.}950$  -->  $00{:}07{:}39{.}130$  that borders this discrete continuous measurement.

 $00:07:39.130 \rightarrow 00:07:41.710$  The old micro arrays we used to use give us

00:07:42.559 --> 00:07:43.900 essentially continuous measures of gene expression.

 $00:07:43.900 \longrightarrow 00:07:45.903$  Now we get discrete counts

 $00:07:45.903 \rightarrow 00:07:49.230$  from our census sequencing approaches.

 $00:07:49.230 \rightarrow 00:07:50.870$  Then all the sequence data we work with

 $00:07:50.870 \rightarrow 00:07:53.480$  often ends up being essentially clusters

 $00:07:53.480 \longrightarrow 00:07:55.750$  of sites and various kinds.

 $00{:}07{:}55{.}750 \dashrightarrow 00{:}07{:}58{.}880$  And then we also use a lot of phylogenetic inference,

 $00:07:58.880 \rightarrow 00:08:01.140$  which is another kind of just discrete modeling

 $00:08:01.140 \rightarrow 00:08:03.160$  in terms of the topology, but the borders

 $00{:}08{:}03{.}160 \dashrightarrow 00{:}08{:}05{.}780$  between these two because we have discrete modeling of the

 $00:08:06.840 \rightarrow 00:08:07.890$  topology, there are certain topologies

 $00:08:09.600 \rightarrow 00:08:11.704$  that the taxa that we're interested in looking at

 $00:08:11.704 \rightarrow 00:08:13.310$  that show their relationship to each other.

 $00:08:13.310 \longrightarrow 00:08:15.190$  At the same time, there's also a continuous

 $00:08:15.190 \rightarrow 00:08:17.420$  measure out of that, which is these branch lengths,

 $00:08:17.420 \rightarrow 00:08:19.210$  or how diverge these different tacks

 $00{:}08{:}19{.}210$  -->  $00{:}08{:}22{.}193$  are from each other and constructing the phylogeny.

 $00:08:22.193 \rightarrow 00:08:23.950$  So this sort of border between discrete

00:08:23.950 --> 00:08:27.640 and continuous measures, always sort of plagues

00:08:27.640 --> 00:08:30.090 and intrigues me, I guess it would be the question.

00:08:30.090 --> 00:08:31.680 Okay, so what am I gonna do today?

 $00{:}08{:}31.680 \dashrightarrow 00{:}08{:}34.520$  What I wannado today is talk about

 $00{:}08{:}34{.}520$  -->  $00{:}08{:}37{.}290$  maximum likelihood model averaging to profile clustering

 $00:08:37.290 \rightarrow 00:08:39.540$  of site types across discrete linear sequences.

 $00:08:39.540 \longrightarrow 00:08:40.780$  So at the very base level,

 $00:08:40.780 \longrightarrow 00:08:43.610$  how do we take kind of these discrete sequences

00:08:43.610 --> 00:08:45.760 of amino acids or nucleotides

 $00{:}08{:}45{.}760 \dashrightarrow 00{:}08{:}49{.}610$  and understand whether sites are closer to each other

 $00{:}08{:}49{.}610 \dashrightarrow 00{:}08{:}51{.}210$  or farther apart from each other

 $00:08:52.115 \rightarrow 00:08:52.948$  this is the question are they just uniformly

 $00:08:52.948 \rightarrow 00:08:54.760$  distributed site types across a sequence?

 $00:08:54.760 \rightarrow 00:08:57.110$  Are they clustered close together or far apart?

 $00:08:58.330 \longrightarrow 00:09:01.135$  Secondly, I'm gonna talk about how we can

00:09:01.135 --> 00:09:03.650 then use that approach to understand whether sites

 $00{:}09{:}03.650$  -->  $00{:}09{:}07.360$  are under selection in a gene expressed in a sequence.

 $00:09:07.360 \rightarrow 00:09:09.190$  And what I mean by under selection is that,

00:09:09.190 --> 00:09:11.670 in fact, sites are changing in a rapid

 $00:09:11.670 \rightarrow 00:09:14.430$  or at a more rapid pace than you'd expect simply

 $00:09:14.430 \longrightarrow 00:09:16.199$  by mutation alone.

00:09:16.199 --> 00:09:17.929 So mutation, of course, is going to introduce

 $00:09:17.929 \rightarrow 00:09:19.050$  variation into a genetic sequence.

 $00{:}09{:}19{.}050 \dashrightarrow 00{:}09{:}21{.}460$  But when you see changes that are happening faster

 $00:09:21.460 \longrightarrow 00:09:23.330$  over time in a population,

 $00:09:23.330 \rightarrow 00:09:25.997$  then mutation alone would produce

 $00{:}09{:}25{.}997$  -->  $00{:}09{:}28{.}670$  that implies that every time that mutation is happening,

 $00:09:28.670 \rightarrow 00:09:29.503$  it's spreading across the population.

 $00:09:29.503 \rightarrow 00:09:31.310$  And that's why you see that uptick

 $00:09:31.310 \rightarrow 00:09:33.720$  in the rate of change of those sites.

 $00:09:33.720 \rightarrow 00:09:35.610$  So we can actually use this clustering approach

 $00:09:35.610 \rightarrow 00:09:38.210$  to identify regions of the gene that have

 $00:09:38.210 \rightarrow 00:09:40.750$  that sort of uptick and I'll explain how we do that.

00:09:40.750 --> 00:09:43.360 Now lastly, I'm just going to show you a very few slides

 $00:09:43.360 \longrightarrow 00:09:44.800$  on the title of the talk,

 $00{:}09{:}44.800$  -->  $00{:}09{:}47.540$  which is this model average estimation of the molecular

 $00{:}09{:}47.540$  -->  $00{:}09{:}50.600$  evolution and natural selection in SARS Coronavirus one

00:09:50.600 --> 00:09:53.493 and SARS Coronavirus two during the zoonosis.

 $00:09:55.020 \rightarrow 00:09:56.800$  So by the time we refer to these,

 $00{:}09{:}56{.}800 \dashrightarrow 00{:}09{:}59{.}440$  I'll just let you know we're almost done with the talk.

 $00{:}09{:}59{.}440 \dashrightarrow 00{:}10{:}01{.}160$  AlL right, so to talk about the first one

 $00{:}10{:}01{.}160 \dashrightarrow 00{:}10{:}03{.}390$  maximum likelihood model averaging five clustering

 $00:10:03.390 \longrightarrow 00:10:06.153$  of sites across the street linear sequences.

00:10:08.860 --> 00:10:11.299 I just want to... (phone ringing)

 $00:10:11.299 \rightarrow 00:10:14.716$  Sorry, emphasize that we wanna figure out

 $00{:}10{:}20{.}430$  -->  $00{:}10{:}22{.}390$  whether site types are clustered within a linear sequence.

 $00:10:22.390 \longrightarrow 00:10:24.350$  This sounds like a very straightforward

 $00:10:24.350 \rightarrow 00:10:26.831$  statistical question seems like something

 $00{:}10{:}26.831 \dashrightarrow 00{:}10{:}28.441$  that should have been addressed many, many times

 $00:10:28.441 \longrightarrow 00:10:29.320$  in the statistical literature.

 $00:10:29.320 \rightarrow 00:10:30.470$  Much to my surprise,

 $00:10:30.470 \rightarrow 00:10:34.070$  it's actually not terribly well explored.

 $00:10:34.070 \longrightarrow 00:10:35.645$  You have a linear sequence,

 $00:10:35.645 \rightarrow 00:10:37.630$  it's so long and you have site types of one type

 $00:10:37.630 \rightarrow 00:10:39.420$  or another are they clustered next to each other?

 $00{:}10{:}39{.}420$  -->  $00{:}10{:}41{.}600$  Well, if you know the bounds of the region of interest,

00:10:41.600 --> 00:10:43.150 and others, if you can describe oh,

 $00:10:43.150 \rightarrow 00:10:45.450$  it's I'm interested in this domain right here,

 $00{:}10{:}46{.}331 \dashrightarrow 00{:}10{:}48{.}228$  and it's from site to site 90 or some other description.

 $00:10:48.228 \rightarrow 00:10:49.434$  If you know the bounds,

 $00:10:49.434 \rightarrow 00:10:52.090$  it's very simple to analyze that kind of data.

 $00:10:52.090 \rightarrow 00:10:54.810$  You can just quantify the site type proportions

00:10:54.810 -> 00:10:56.630 within and outside those bounds.

 $00{:}10{:}56{.}630 \dashrightarrow 00{:}10{:}59{.}419$  use something like a straightforward fisher's exact

 $00:10:59.419 \rightarrow 00:11:01.030$  test for significance extremely simple problem.

00:11:01.030 --> 00:11:03.590 But what if you don't actually know those bounds? 00:11:03.590 --> 00:11:04.950 What if you don't know even what you're looking for exactly?

 $00:11:04.950 \rightarrow 00:11:07.090$  you just know you're interested in concentrations

 $00:11:07.090 \rightarrow 00:11:09.700$  of one site type compared to another site type

 $00:11:09.700 \rightarrow 00:11:11.640$  across some discrete linear sequence,

 $00:11:11.640 \rightarrow 00:11:14.880$  like this series of zeros and ones you see below.

00:11:14.880 --> 00:11:16.970 There's one, zero, zeros, there's one, zero, ones,

 $00{:}11{:}16{.}970 \dashrightarrow 00{:}11{:}19{.}920$  there's periods where ones are closer to each other a series

 $00:11:19.920 \longrightarrow 00:11:22.440$  of ones are closer or farther apart from each other.

 $00:11:22.440 \longrightarrow 00:11:24.220$  How should we figure out whether things

 $00:11:24.220 \rightarrow 00:11:25.590$  are actually clustered in that site?

 $00:11:25.590 \rightarrow 00:11:26.930$  Or are they random?

 $00:11:26.930 \rightarrow 00:11:30.680$  So if you don't know exactly where to describe,

 $00:11:30.680 \rightarrow 00:11:33.050$  or what size you're looking for,

 $00:11:33.050 \rightarrow 00:11:34.700$  the most common solution people use

 $00:11:34.700 \rightarrow 00:11:36.330$  is some kind of sliding window,

 $00:11:36.330 \rightarrow 00:11:38.310$  they take a window over the series,

 $00:11:38.310 \rightarrow 00:11:40.257$  and they slide it across and say,

 $00:11:40.257 \rightarrow 00:11:41.480$  "How many are in this window?"

00:11:41.480 --> 00:11:44.100 And then you can come up with based on the sliding window

 $00:11:44.100 \rightarrow 00:11:45.835$  a sort of diagram of the clustering.

 $00:11:45.835 \rightarrow 00:11:49.450$  And that's an approach that actually does

 $00:11:49.450 \rightarrow 00:11:51.470$  give a good metric of the clustering

 $00:11:51.470 \rightarrow 00:11:53.280$  in terms of like you see peaks where there's

 $00:11:53.280 \rightarrow 00:11:55.740$  a lot of clustering and valleys where there is none.

 $00{:}11{:}55{.}740$  -->  $00{:}11{:}59{.}022$  However, significance testing with that kind of approach

 $00:11:59.022 \longrightarrow 00:12:00.150$  is often awkward to construct.

00:12:00.150 --> 00:12:02.400 Due to a strong or autocorrelation

 $00:12:02.400 \rightarrow 00:12:04.490$  among this URL overlapping windows.

00:12:04.490 --> 00:12:05.610 And of course, if you just sort of

 $00{:}12{:}05{.}610$  -->  $00{:}12{:}09{.}070$  take windows arbitrarily from one location to another,

 $00:12:09.070 \rightarrow 00:12:12.756$  then you're really instituting, (indistinct chatter)  $00:12:12.756 \rightarrow 00:12:14.364$  then that causes problems.

 $00:12:14.364 \rightarrow 00:12:16.140$  Because what if the cluster is really on a border

 $00{:}12{:}16{.}140$  -->  $00{:}12{:}19{.}205$  between two windows, so you have to slide it over and then

00:12:19.205 - 00:12:20.040 you have the autocorrelation.

 $00:12:20.040 \longrightarrow 00:12:21.440$  And it becomes actually statistically

00:12:21.440 --> 00:12:23.990 quite challenging to sort of account

 $00:12:23.990 \rightarrow 00:12:25.410$  for all of those auto correlations.

 $00:12:25.410 \longrightarrow 00:12:27.310$  Secondly, they need to specify that window

 $00{:}12{:}27{.}310 \dashrightarrow 00{:}12{:}30{.}610$  size itself presents a user with a procedural ambiguity

 $00{:}12{:}30{.}610$  -->  $00{:}12{:}33{.}790$  that almost inevitably leads to post hoc selection of window

 $00{:}12{:}33{.}790 \dashrightarrow 00{:}12{:}37{.}010$  size and can mislead inference that is just the fact that

 $00:12:37.010 \rightarrow 00:12:39.030$  you have to choose a window size.

 $00:12:39.030 \rightarrow 00:12:41.070$  And if you don't actually have a good arbitrary

 $00:12:41.070 \longrightarrow 00:12:42.570$  outside reason to choose it.

00:12:42.570 --> 00:12:44.480 It's very hard not to choose a window size

 $00{:}12{:}44{.}480 \dashrightarrow 00{:}12{:}48{.}830$  that ends up validating your hypothesis in some way.

 $00:12:48.830 \rightarrow 00:12:50.680$  So it'd be better if we could just have an approach

 $00:12:50.680 \rightarrow 00:12:52.980$  that does not require us to place in some

 $00:12:52.980 \rightarrow 00:12:55.760$  arbitrary parameter that gives us a window size.

00:12:55.760 --> 00:12:57.680 So in order to address this question,

 $00{:}12{:}57.680 \dashrightarrow 00{:}13{:}00.710$  a postdoc of mine, John John, who you see below work

 $00:13:00.710 \longrightarrow 00:13:02.610$  with me to address it.

00:13:02.610 --> 00:13:03.950 Oh, I wanted to say one other thing,

 $00{:}13{:}03{.}950 \dashrightarrow 00{:}13{:}07{.}390$  which is that, yes, this has been addressed with some

 $00{:}13{:}07{.}390 \dashrightarrow 00{:}13{:}09{.}840$  nonparametric methods that people have developed,

00:13:10.750 --> 00:13:14.270 including some rather famous people like Sam Carlin.

 $00{:}13{:}14{.}270 \dashrightarrow 00{:}13{:}17{.}360$  And these are methods that do not assume prior knowledge.

00:13:17.360 --> 00:13:19.690 And they've been suggested to detect this clustering

 $00:13:19.690 \longrightarrow 00:13:20.860$  and discrete linear sequences.

00:13:20.860 --> 00:13:22.420 So you can do runs tests that look for

 $00{:}13{:}22{.}420 \dashrightarrow 00{:}13{:}25{.}700$  the longest unbroken run, or the variance of the run

 $00{:}13{:}25{.}700 \dashrightarrow 00{:}13{:}27{.}290$  links across the entire sequence.

 $00:13:27.290 \rightarrow 00:13:29.640$  Both of these are indicators of clustering.

 $00:13:29.640 \rightarrow 00:13:32.170$  Unfortunately, both of those are using

 $00:13:32.170 \longrightarrow 00:13:34.110$  are not sufficient tests.

00:13:34.110 --> 00:13:36.290 And those they don't use enough of the information

 $00{:}13{:}36{.}290 \dashrightarrow 00{:}13{:}38{.}860$  to say that you're actually have as much power as you'd

 $00:13:38.860 \longrightarrow 00:13:40.080$  like to do the analysis.

 $00:13:40.080 \longrightarrow 00:13:41.730$  And that's because if you use like

00:13:41.730 --> 00:13:43.700 the longest run link, for instance, of course,

 $00:13:43.700 \rightarrow 00:13:45.200$  you're only really using a little bit

 $00:13:45.200 \rightarrow 00:13:47.260$  of information about the entire sequence.

00:13:47.260 --> 00:13:49.450 And of course, you're really missing anything

00:13:49.450 --> 00:13:52.340 like the cluster of ones that are have a bunch of small

 $00:13:52.340 \rightarrow 00:13:54.200$  clusters that are all next to each other interspersed

 $00{:}13{:}54{.}200 \dashrightarrow 00{:}13{:}55{.}710$  with a few of the other type,

 $00:13:55.710 \rightarrow 00:13:58.740$  so the longest unbroken run doesn't work well.

00:13:58.740 --> 00:14:00.970 If you use the In terms of power,

00:14:00.970 --> 00:14:03.701 if you use the variance of long run link

 $00{:}14{:}03{.}701$  -->  $00{:}14{:}05{.}160$  that gets rid of the fact that you're looking for just one.

 $00{:}14{:}05{.}160$  -->  $00{:}14{:}07{.}440$  But unfortunately, a variance doesn't tell you anything

00:14:07.440 --> 00:14:09.290 about the relative position of site

 $00:14:11.102 \rightarrow 00:14:14.060$  that are of the same type across the sequence.

00:14:14.060 --> 00:14:17.535 So the fact that this one, one, one, one here is close

 $00{:}14{:}17.535 \dashrightarrow 00{:}14{:}19.828$  to the one, one here, and the one another is,

 $00{:}14{:}19{.}828$  -->  $00{:}14{:}22{.}335$  and this the fact that these are all close to each other,

 $00:14:22.335 \rightarrow 00:14:25.210$  does not give us the power that it should

 $00:14:25.210 \rightarrow 00:14:26.590$  for understanding this region may

00:14:26.590 --> 00:14:30.250 be under maybe cluster.

 $00{:}14{:}30{.}250$  -->  $00{:}14{:}33{.}210$  So variants of run length is also an underpowered approach.

 $00{:}14{:}33{.}210$  -->  $00{:}14{:}36{.}170$  The most powerful approach that's been published out there,

 $00{:}14{:}36{.}170 \dashrightarrow 00{:}14{:}38{.}140$  aside from the ones we've been working on,

 $00:14:38.140 \longrightarrow 00:14:40.620$  is the empirical cumulative distribution functions

 $00{:}14{:}40{.}620$  -->  $00{:}14{:}43{.}410$  to sick that's where you sort of go across the sequence

 $00{:}14{:}43{.}410$  -->  $00{:}14{:}46{.}728$  and just say, "oh, okay, we're accumulating ones here,

 $00:14:46.728 \rightarrow 00:14:47.561$  we're shooting more accumulating more."

 $00:14:48.873 \rightarrow 00:14:49.830$  And there's fortunately a number

 $00:14:51.502 \rightarrow 00:14:53.153$  of highly developed statistical approaches

 $00:14:53.153 \rightarrow 00:14:55.400$  to look at the empirical distribution and figure

 $00:14:55.400 \rightarrow 00:15:00.030$  out whether you see an increase beyond

 $00:15:00.030 \rightarrow 00:15:02.950$  expected during some period during that ECDF,

 $00{:}15{:}02{.}950 \dashrightarrow 00{:}15{:}04{.}950$  the power is better than either the previous methods,

 $00:15:04.950 \rightarrow 00:15:06.700$  but it's still not very strong.

 $00:15:06.700 \rightarrow 00:15:08.340$  It's not clear that it includes all the

 $00:15:08.340 \longrightarrow 00:15:10.180$  information that it should.

 $00:15:10.180 \longrightarrow 00:15:11.756$  And it can be affected.

 $00{:}15{:}11.756 \dashrightarrow 00{:}15{:}13.730$  Research has shown that it can be affected

 $00{:}15{:}13{.}730 \dashrightarrow 00{:}15{:}16{.}060$  by the location of the cluster, which is not desirable.

00:15:16.060 --> 00:15:17.930 So if you have a cluster on an end,

 $00:15:17.930 \rightarrow 00:15:20.640$  that has less the ECDF will have less power

 $00:15:20.640 \rightarrow 00:15:23.320$  or more power compared to a cluster in the middle.

 $00:15:23.320 \rightarrow 00:15:26.300$  It's also challenging to interpret in the end,

 $00:15:26.300 \rightarrow 00:15:28.830$  for reasons I'm not gonna go into right away.

 $00:15:28.830 \longrightarrow 00:15:29.970$  So what did we do?

 $00:15:29.970 \rightarrow 00:15:32.420$  What we did was develop a tripartite divide

 $00{:}15{:}32{.}420 \dashrightarrow 00{:}15{:}34{.}920$  and conquer approach to model variant sites

 $00:15:34.920 \rightarrow 00:15:36.930$  based on iterative sub clustering.

00:15:36.930 --> 00:15:38.820 And I'll describe it in detail right now.

 $00:15:38.820 \rightarrow 00:15:40.370$  I'll just tell you the plus and the minus

 $00{:}15{:}40{.}370 \dashrightarrow 00{:}15{:}42{.}150$  of this approach at the beginning,

 $00:15:42.150 \longrightarrow 00:15:44.620$  which is it's sort of a bioinformatics approach

 $00:15:44.620 \rightarrow 00:15:47.930$  and that are bioinformatics statisticians approach

 $00{:}15{:}47{.}930 \dashrightarrow 00{:}15{:}50{.}380$  and that it uses intensive computation

 $00{:}15{:}50{.}380 \dashrightarrow 00{:}15{:}52{.}480$  to solve the problem instead of giving

 $00:15:52.480 \longrightarrow 00:15:54.373$  a strict analytical result.

00:15:55.409 - 00:15:57.810 And in fact, what it does is it just says,

00:15:57.810 --> 00:16:00.160 Well, if we're interested in clustering in any case,

 $00:16:00.160 \rightarrow 00:16:03.226$  clusters should be represented by increases in

 $00:16:03.226 \rightarrow 00:16:05.680$  the probability within some cluster central region

 $00:16:05.680 \rightarrow 00:16:08.310$  compared to some side regions.

 $00:16:08.310 \rightarrow 00:16:10.810$  And if we define CS and CE to be anything

00:16:10.810 --> 00:16:13.600 from the very beginning to the very end of the sequence,

00:16:13.600 --> 00:16:16.700 it encompasses all possible single clusters

 $00:16:16.700 \longrightarrow 00:16:19.404$  within a sequence.

 $00:16:19.404 \rightarrow 00:16:22.360$  So, for instance, if the cluster were on the far left  $00:16:22.360 \rightarrow 00:16:24.600$  we can just define CS to be at zero,

 $00{:}16{:}24.600 \dashrightarrow 00{:}16{:}28.220$  the left hand cluster is nothing and the right hand cluster,

 $00{:}16{:}28{.}220 \dashrightarrow 00{:}16{:}33{.}220$  right hand area that has depressed in variant type intensity

 $00:16:35.220 \rightarrow 00:16:38.240$  would be the other category.

 $00:16:38.240 \rightarrow 00:16:41.600$  Anyway, so, what we can do is divide any sequence

 $00:16:41.600 \rightarrow 00:16:43.890$  into three sections, just count up the number

 $00:16:43.890 \rightarrow 00:16:46.460$  of site types in each one, estimate the maximum

 $00:16:46.460 \rightarrow 00:16:50.040$  likelihood probability for the site type

 $00:16:50.040 \rightarrow 00:16:51.970$  to be of the variant type of interest,

 $00:16:51.970 \rightarrow 00:16:54.900$  say it's a glycine amino acids within a protein

 $00{:}16{:}54{.}900 \dashrightarrow 00{:}16{:}59{.}900$  or add mean nucleotides limited gene, whatever it is.

 $00{:}16{:}59{.}960 \dashrightarrow 00{:}17{:}02{.}580$  So then you can just come up with a null hypothesis,

 $00:17:02.580 \rightarrow 00:17:06.060$  which is the likelihood under the hypothesis

 $00:17:06.060 \rightarrow 00:17:09.490$  that these things are located at random

 $00{:}17{:}09{.}490 \dashrightarrow 00{:}17{:}11{.}320$  across the whole sequence.

 $00:17:11.320 \longrightarrow 00:17:13.660$  And then an alternate hypothesis that allows

 $00{:}17{:}13.660$  -->  $00{:}17{:}17.520$  that is invoking a model which involves more parameters,

 $00:17:17.520 \rightarrow 00:17:20.990$  which then separate separates into a clustered

 $00:17:20.990 \longrightarrow 00:17:22.890$  versus non-clustered state.

00:17:22.890 - 00:17:24.600 So that would be fine if what we really

00:17:24.600 --> 00:17:26.944 expected in a sequence was one cluster,

 $00:17:26.944 \rightarrow 00:17:29.094$  compared to nothing else,

00:17:29.094 --> 00:17:33.120 compared to the sort of baseline rate of clustering,

 $00:17:33.120 \rightarrow 00:17:35.414$  sort of baseline rate of variant types.

 $00:17:35.414 \rightarrow 00:17:39.040$  And but what we really want is an approach

 $00:17:39.040 \rightarrow 00:17:41.590$  that can take clustering at many, many levels.

 $00{:}17{:}41.590 \dashrightarrow 00{:}17{:}43.470$  So what if there's a cluster within the cluster

 $00:17:43.470 \rightarrow 00:17:44.780$  or cluster within left?

 $00:17:44.780 \longrightarrow 00:17:46.450$  So what you can do is then take each

00:17:46.450 --> 00:17:49.680 of these sub clusters you've identified and actually

00:17:49.680 --> 00:17:52.560 do the same process on them looking for whether there's

 $00{:}17{:}52{.}560 \dashrightarrow 00{:}17{:}56{.}030$  a higher likelihood of the data given another cluster

 $00{:}17{:}56{.}030$  -->  $00{:}17{:}59{.}358$  somewhere within this sequence, et cetera, et cetera.

 $00{:}17{:}59{.}358 \dashrightarrow 00{:}18{:}03{.}730$  Now, if you think so this sort of dictates a procedure,

 $00:18:03.730 \rightarrow 00:18:06.890$  which is that you start, you input the sequence,

00:18:06.890 --> 00:18:08.900 you start at, you know, the first at

 $00:18:08.900 \rightarrow 00:18:10.770$  the left and move all the way to the right,

 $00:18:10.770 \rightarrow 00:18:13.200$  essentially, you find the most likely cluster

 $00:18:13.200 \longrightarrow 00:18:15.110$  among all the possible clusters.

 $00:18:15.110 \longrightarrow 00:18:17.200$  If the cluster is statistically significant,

 $00:18:17.200 \rightarrow 00:18:20.920$  you then sub sequence each of those three parts,

 $00:18:20.920 \rightarrow 00:18:23.730$  the left hand part, the central center part

 $00:18:23.730 \longrightarrow 00:18:25.870$  and the right hand part, find the most

 $00{:}18{:}25{.}870 \dashrightarrow 00{:}18{:}27{.}480$  likely clusters within each of them.

 $00:18:27.480 \rightarrow 00:18:29.560$  And proceed doing this until you reach a point

 $00{:}18{:}29{.}560 \dashrightarrow 00{:}18{:}31{.}830$  where you can no longer find any statistical evidence

 $00:18:31.830 \rightarrow 00:18:33.760$  that there is continued clustering within it.

 $00:18:33.760 \rightarrow 00:18:35.600$  And that's the point at which you stop.

 $00:18:35.600 \longrightarrow 00:18:36.670$  And then what you can do.

00:18:36.670 --> 00:18:38.500 And this, I think, is sort of a key because

 $00{:}18{:}38{.}500 \dashrightarrow 00{:}18{:}41{.}780$  at the end of that, what you get is one discrete diagram,

00:18:41.780 --> 00:18:43.520 kind of like that diagram I showed you initially,

 $00:18:43.520 \rightarrow 00:18:45.750$  where it proceeds flat, goes up,

00:18:45.750 -> 00:18:47.243 proceeds flat goes down, et cetera.

 $00:18:47.243 \rightarrow 00:18:49.890$  I'll show you an example of that in a moment.

00:18:49.890 --> 00:18:52.835 But what you really wanna do possibly,

 $00:18:52.835 \rightarrow 00:18:54.795$  right, what I think is really appealing about

 $00:18:54.795 \rightarrow 00:18:55.760$  this approach is that then you can take

 $00{:}18{:}55{.}760$  -->  $00{:}18{:}58{.}720$  that as one model, the most likely model and you can look

 $00{:}18{:}58{.}720 \dashrightarrow 00{:}19{:}00{.}290$  at all the other possible models

 $00:19:00.290 \rightarrow 00:19:01.660$  that you could have constructed.

00:19:01.660 --> 00:19:04.730 And you can use AIC weighting to actually figure

00:19:04.730 --> 00:19:09.730 out how much you should believe what is the weight

00:19:11.375 - 00:19:13.039 for every possible model.

 $00:19:13.039 \rightarrow 00:19:14.470$  And then you can average across those models

 $00:19:14.470 \rightarrow 00:19:16.742$  to give you a continuous description

 $00{:}19{:}16{.}742 \dashrightarrow 00{:}19{:}18{.}180$  of how much clustering you see across the sequence.

 $00:19:18.180 \rightarrow 00:19:20.430$  And again, the advantage that I mentioned

 $00:19:20.430 \longrightarrow 00:19:21.530$  early on about this,

00:19:21.530 --> 00:19:23.870 from my standpoint is I haven't put in anything

 $00:19:23.870 \longrightarrow 00:19:26.350$  about how big a window how big a cluster,

 $00{:}19{:}26{.}350 \dashrightarrow 00{:}19{:}28{.}300$  I put in nothing about what I'm expecting

 $00:19:28.300 \longrightarrow 00:19:29.610$  to see out of the sequence.

00:19:29.610 --> 00:19:32.220 I'm just asking, what's the most likely description

 $00{:}19{:}32{.}220 \dashrightarrow 00{:}19{:}36{.}560$  of this given the assay penalty for parameterization

 $00:19:36.560 \longrightarrow 00:19:38.940$  and what the result gives me.

 $00:19:38.940 \rightarrow 00:19:41.400$  So then we have a bunch of different weights

 $00:19:41.400 \longrightarrow 00:19:43.003$  for all our different models.

 $00:19:44.251 \rightarrow 00:19:45.250$  And what it gives us something like this.

 $00{:}19{:}45{.}250$  -->  $00{:}19{:}47{.}820$  So on the top, I've shown you the AIC model selection

 $00{:}19{:}47.820 \dashrightarrow 00{:}19{:}48.900$  which is the first thing I showed you

 $00{:}19{:}48{.}900 \dashrightarrow 00{:}19{:}51{.}420$  if I just took the most likely description

 $00:19:51.420 \longrightarrow 00:19:52.890$  of this particular sequence.

00:19:52.890 --> 00:19:54.820 It's not important what it is it's PRF

 $00{:}19{:}54{.}820$  -->  $00{:}19{:}59{.}430$  ADHD, which has been widely studied in evolutionary biology.

 $00:19:59.430 \rightarrow 00:20:02.420$  But if you take this model selection would,

 $00:20:02.420 \longrightarrow 00:20:04.610$  the most likely description

 $00:20:04.610 \rightarrow 00:20:06.670$  given that sub clustering looks something like this

 $00{:}20{:}06{.}670 \dashrightarrow 00{:}20{:}09{.}660$  where we have a region with fairly high concentration

00:20:09.660 --> 00:20:13.730 of polymorphism, in this case, a valley,

00:20:13.730 --> 00:20:15.700 a region, an intermediate level,

 $00:20:15.700 \rightarrow 00:20:18.520$  a point where we have a lot of polymorphism.

 $00{:}20{:}18{.}520$  -->  $00{:}20{:}21{.}260$  And then it moves and changes across the sequence.

 $00{:}20{:}21{.}260 \dashrightarrow 00{:}20{:}24{.}700$  Now, if you then instead take not just that one model,

 $00{:}20{:}24{.}700$  -->  $00{:}20{:}27{.}500$  but a series of models and do the AIC model average,

00:20:27.500 --> 00:20:29.750 you get a much more continuous description across

 $00:20:29.750 \rightarrow 00:20:32.790$  the sequence of what the probability

 $00:20:32.790 \rightarrow 00:20:34.983$  of sight types being different is.

 $00:20:35.845 \rightarrow 00:20:37.280$  And that enables us to ask a question

 $00:20:37.280 \rightarrow 00:20:41.050$  that's a little bit more interesting in many cases,

 $00:20:41.050 \rightarrow 00:20:43.080$  and I'll show you how it enables us to ask questions

 $00{:}20{:}43.080 \dashrightarrow 00{:}20{:}45.400$  about natural selection in a moment.

00:20:45.400 --> 00:20:47.900 So in particular, it allows us to get an estimate,

00:20:48.975 - 00:20:50.353 you know of what the probability

 $00:20:50.353 \rightarrow 00:20:51.186$  is across the entire sequence.

 $00:20:51.186 \longrightarrow 00:20:52.310$  Even though we don't have

 $00:20:52.310 \longrightarrow 00:20:54.480$  observations within the central region

 $00:20:54.480 \longrightarrow 00:20:56.420$  or this barren region here.

 $00:20:56.420 \rightarrow 00:20:59.600$  We can still estimate what the model average,

 $00{:}20{:}59{.}600 \dashrightarrow 00{:}21{:}02{.}130$  probably of a change of hearing in different places

 $00:21:02.130 \longrightarrow 00:21:04.590$  have this gene are and that enables us

 $00:21:04.590 \rightarrow 00:21:07.640$  to ask questions that we otherwise could not do.

 $00:21:07.640 \rightarrow 00:21:11.160$  All right, so that's an introduction of MACML.

 $00{:}21{:}11{.}160 \dashrightarrow 00{:}21{:}14{.}010$  I'll just mention, and I could give you more detail on this.

 $00:21:14.010 \rightarrow 00:21:16.010$  It's like this is actually published work,

 $00:21:16.010 \longrightarrow 00:21:17.220$  so you can find it.

 $00{:}21{:}17{.}220 \dashrightarrow 00{:}21{:}19{.}080$  But compared to the ECDF statistics,

00:21:19.080 --> 00:21:21.140 that approach I just showed you has greater power

 $00:21:21.140 \longrightarrow 00:21:23.090$  to detect heterogeneous clusters

 $00{:}21{:}23.090$  -->  $00{:}21{:}25.710$  it identifies clusters with greater accuracy and precision

 $00{:}21{:}25{.}710$  -->  $00{:}21{:}28{.}410$  based on the Kullback-Liebler divergence between  $00{:}21{:}28{.}410$  -->  $00{:}21{:}31{.}450$  the actual distribution of the observed distribution,

 $00:21:31.450 \longrightarrow 00:21:32.950$  sorry, the actual distribution

 $00{:}21{:}34{.}201 \dashrightarrow 00{:}21{:}35{.}615$  and the inferred distribution.

 $00{:}21{:}35.615 \dashrightarrow 00{:}21{:}36.610$  It has better power and accuracy across

00:21:36.610 --> 00:21:37.920 different levels of clustering,

00:21:37.920 --> 00:21:39.520 better power and accuracy across

00:21:40.357 --> 00:21:41.315 different sequence links,

 $00:21:41.315 \rightarrow 00:21:43.071$  and better power and accuracy and finding

 $00:21:43.071 \rightarrow 00:21:44.540$  multiple clusters compared to a single cluster.

 $00:21:44.540 \rightarrow 00:21:46.560$  The disadvantage is, it's extraordinarily

00:21:46.560 --> 00:21:49.160 computationally intensive, and it is prohibitively

 $00:21:49.160 \longrightarrow 00:21:50.720$  so for very long sequences.

 $00:21:50.720 \rightarrow 00:21:53.160$  So for genes a very long length,

 $00:21:53.160 \rightarrow 00:21:55.210$  we can't actually run it on the full-length gene

 $00:21:55.210 \rightarrow 00:21:58.270$  and we have to do some more heuristic processes

 $00:21:58.270 \rightarrow 00:22:00.620$  to crunch those genes into smaller size.

 $00{:}22{:}00{.}620 \dashrightarrow 00{:}22{:}02{.}820$  Which we then can analyze and then build them up.

00:22:02.820 --> 00:22:04.880 Again, I won't go into those at the moment.

 $00:22:04.880 \rightarrow 00:22:07.100$  But the point is that at certain links,

 $00:22:07.100 \rightarrow 00:22:09.430$  it gets just computationally too intensive to go

 $00{:}22{:}09{.}430 \dashrightarrow 00{:}22{:}12{.}909$  through all the possible models that could explain the data.

 $00{:}22{:}12{.}909 \dashrightarrow 00{:}22{:}17{.}030$  Now, I've talked about the maximum-likelihood averaging

 $00:22:17.030 \rightarrow 00:22:18.890$  to profile clustering of site types

00:22:18.890 --> 00:22:21.210 across discrete linear sequences,

 $00{:}22{:}21{.}210$  -->  $00{:}22{:}24{.}030$  introduced that methodology to now I'm gonna talk about

 $00:22:24.030 \rightarrow 00:22:26.200$  how we can at apply that methodology

 $00{:}22{:}26{.}200 \dashrightarrow 00{:}22{:}29{.}250$  to get us a better idea of which sites are under selection

 $00{:}22{:}29{.}250$  -->  $00{:}22{:}32{.}120$  using a what's called a pause on random fields approach.

 $00:22:32.120 \rightarrow 00:22:33.980$  And don't worry about that terminology.

00:22:33.980 --> 00:22:37.170 You might know it from statistics,

 $00:22:37.170 \longrightarrow 00:22:39.700$  it has to do with a particular observation

00:22:39.700 --> 00:22:42.078 in molecular evolutionary biology,

 $00:22:42.078 \rightarrow 00:22:42.911$  which is why they're using it

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00:22:44.433 \rightarrow 00:22:45.530 and it's not really important for this talk,
00:22:45.530 \longrightarrow 00:22:46.740 why it's called that.
00:22:48.385 \rightarrow 00:22:51.110 So let's go on and go ahead and do that talk
00:22:51.110 \rightarrow 00:22:53.155 about the model-averaged site selection
00:22:53.155 --> 00:22:54.377 using Poisson random fields.
00:22:54.377 \rightarrow 00:22:56.383 So first, I need to give you a little bit of background
00:22:56.383 \rightarrow 00:22:57.620 in the evolutionary biology for those of you
00:22:59.071 \rightarrow 00:23:00.465 who haven't had a lot of biology,
00:23:00.465 \longrightarrow 00:23:01.570 so you understand how this fits in with
00:23:01.570 \rightarrow 00:23:03.020 what we tend to do another strategy.
00:23:03.020 --> 00:23:04.906 Of course, evolutionary biologists
00:23:04.906 --> 00:23:05.960 are often very interested in understanding
00{:}23{:}05{.}960 \dashrightarrow 00{:}23{:}07{.}190 what things are under selection.
00:23:07.190 \rightarrow 00:23:08.730 And in the context of this talk,
00:23:08.730 \rightarrow 00:23:09.860 why is that important?
00:23:09.860 --> 00:23:12.035 Well, we'd really like to know what things
00:23:12.035 \rightarrow 00:23:13.800 are under selection in the COVID epidemic,
00:23:13.800 \rightarrow 00:23:15.860 because we'd like to know what sites
00:23:15.860 \rightarrow 00:23:17.760 are actually causing the COVID epidemic
00:23:17.760 \rightarrow 00:23:21.380 to spread more or not, and what sites may have
00:23:21.380 \rightarrow 00:23:23.580 been important in it prior to zoonosis,
00:23:23.580 \rightarrow 00:23:26.270 MSN, perhaps, especially in the context of this
talk.
00:23:26.270 \rightarrow 00:23:27.660 what sites were selected during
00:23:27.660 --> 00:23:30.610 that zoonotic process that made this virus perhaps
able
00:23:30.610 \rightarrow 00:23:32.590 to infect humans in the first place.
00:23:32.590 \rightarrow 00:23:34.312 So what we're doing is,
00:23:34.312 \longrightarrow 00:23:36.080 so to give you an introduction,
00:23:36.080 \rightarrow 00:23:38.560 I just wanna mention that they're sort of ways
00:23:38.560 \rightarrow 00:23:40.270 to look at ancient times and understand
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 $00:23:40.270 \rightarrow 00:23:41.890$  whether selection was happening.

 $00:23:41.890 \longrightarrow 00:23:44.145$  And that's this approach that's called

 $00:23:44.145 \rightarrow 00:23:45.080$  that looks at phylogenetic divergence,

 $00:23:45.080 \rightarrow 00:23:47.397$  looking at multiple sites and saying,

00:23:47.397 --> 00:23:49.340 "Oh, we have a whole bunch of phylogeny

 $00:23:49.340 \rightarrow 00:23:51.070$  of how these organisms are related."

 $00{:}23{:}51{.}070$  -->  $00{:}23{:}54{.}910$  And then we have a bunch of sites that are for each taxon.

 $00:23:54.910 \rightarrow 00:23:56.700$  When we see sites like this, for instance,

00:23:56.700 --> 00:23:59.660 that's having A and then a couple C's and then a G

 $00{:}23{:}59{.}660$  -->  $00{:}24{:}02{.}870$  and another tacks on, we know that this site changed twice

 $00:24:02.870 \rightarrow 00:24:04.690$  on that phylogeny, at least right?

 $00{:}24{:}04.690 \dashrightarrow 00{:}24{:}08.770$  So it changed to probably change from C ancestrally

 $00{:}24{:}08{.}770 \dashrightarrow 00{:}24{:}11{.}460$  to an A in this lineage and to a G

 $00:24:11.460 \longrightarrow 00:24:13.060$  in this lineage independently.

 $00:24:13.060 \rightarrow 00:24:15.510$  And so the fact that it changed twice means

 $00{:}24{:}15{.}510 \dashrightarrow 00{:}24{:}18{.}210$  that it's got an elevated rate of change.

 $00{:}24{:}18{.}210 \dashrightarrow 00{:}24{:}19{.}500$  And that elevated rate of change is an indication

 $00:24:19.500 \longrightarrow 00:24:21.810$  that there's been positive selection for change.

 $00:24:21.810 \rightarrow 00:24:24.920$  It's especially likely in sort of pathogen hosts

 $00:24:24.920 \rightarrow 00:24:27.690$  interactions that high rates of high change are

00:24:27.690 --> 00:24:30.124 because pathogens are changing in order

 $00:24:30.124 \rightarrow 00:24:32.590$  to not be recognizable by their hosts.

 $00:24:32.590 \rightarrow 00:24:34.510$  And often the host has recognition proteins

00:24:34.510 --> 00:24:36.470 that are changing to still recognize the pathogen,

00:24:36.470 - 00:24:38.040 even the pathogen is changing.

 $00{:}24{:}38.040 \dashrightarrow 00{:}24{:}39.560$  So these high rates of evolution

 $00:24:39.560 \rightarrow 00:24:41.788$  are very strong indicators of selection

 $00:24:41.788 \longrightarrow 00:24:44.880$  in host pathogen situations.

 $00:24:44.880 \rightarrow 00:24:48.460$  So this is one way to study a natural selection.

 $00{:}24{:}48{.}460$  -->  $00{:}24{:}52{.}030$  It does depend, though, on having a lot of data going back

 $00{:}24{:}52{.}030$  -->  $00{:}24{:}54{.}630$  in time because you're actually reliant on these changes

 $00{:}24{:}54{.}630 \dashrightarrow 00{:}24{:}57{.}820$  are occurring in multiple places on multiple lineages.

 $00{:}24{:}57{.}820$  -->  $00{:}25{:}02{.}230$  Now, a more recent level, and I'm going to go back

 $00:25:02.230 \longrightarrow 00:25:03.530$  to the middle in a moment.

 $00{:}25{:}04{.}837 \dashrightarrow 00{:}25{:}05{.}740$  But a very recent time, you may have

 $00:25:06.648 \rightarrow 00:25:08.294$  heard of selective sweep detection,

 $00:25:08.294 \rightarrow 00:25:10.812$  a couple of methods people use are tajima's D,

 $00{:}25{:}10.812 \dashrightarrow 00{:}25{:}13.700$  or IHS, there's a bunch of other methods that are out now.

 $00:25:13.700 \rightarrow 00:25:16.100$  And the idea there is to look at polymorphism.

 $00:25:16.100 \rightarrow 00:25:19.550$  And if you look at an individual, before selection,

00:25:19.550 --> 00:25:21.540 this is sort of just a idea diagram,

 $00:25:21.540 \longrightarrow 00:25:22.840$  not what you look at.

 $00{:}25{:}22{.}840$  -->  $00{:}25{:}26{.}380$  But so if you look at an individual who has a variant,

 $00:25:26.380 \rightarrow 00:25:30.110$  and what you see in a population is that

 $00{:}25{:}30{.}110 \dashrightarrow 00{:}25{:}33{.}290$  one individual with variant, a variant that's important

 $00:25:33.290 \rightarrow 00:25:35.380$  as somehow swept across the population.

 $00:25:35.380 \rightarrow 00:25:37.240$  So if you see this would be before selection,

 $00{:}25{:}37{.}240 \dashrightarrow 00{:}25{:}39{.}280$  there's a lot of variation at a particular locus

 $00:25:39.280 \longrightarrow 00:25:41.410$  in the genome after selection,

 $00{:}25{:}41{.}410 \dashrightarrow 00{:}25{:}44{.}255$  that one individuals variant which contributed

 $00:25:44.255 \rightarrow 00:25:46.430$  to the reproductive fitness would then imply

 $00:25:46.430 \rightarrow 00:25:50.310$  that they would spread across the population.

 $00:25:50.310 \rightarrow 00:25:51.950$  And if they spread across the population,

 $00:25:51.950 \rightarrow 00:25:53.980$  then the genetic variants that were present

 $00:25:53.980 \rightarrow 00:25:56.210$  in that original individual spread across

 $00{:}25{:}56{.}210$  -->  $00{:}25{:}59{.}700$  the population as well along with this selected site,

 $00{:}25{:}59{.}700 \dashrightarrow 00{:}26{:}03{.}820$  and so you can look for this kind of partial or speedy.

 $00:26:03.820 \longrightarrow 00:26:07.469$  And the selection is going on neither

 $00:26:07.469 \rightarrow 00:26:08.991$  of the approaches that I just talked about

 $00:26:08.991 \rightarrow 00:26:09.890$  or the approach that I'm doing today.

00:26:09.890 --> 00:26:12.036 So I just wanted to introduce those,

 $00{:}26{:}12.036 \dashrightarrow 00{:}26{:}12.869$  so you knew those are different.

 $00:26:12.869 \rightarrow 00:26:15.299$  And they're different because we're looking

 $00{:}26{:}15{.}299 \dashrightarrow 00{:}26{:}16{.}495$  at a more intermediate timescale.

 $00:26:16.495 \rightarrow 00:26:18.790$  That's like the sweet detection is purely

 $00:26:18.790 \rightarrow 00:26:20.880$  dependent on polymorphism in the population,

00:26:20.880 --> 00:26:23.720 like what's happening in a population right now.

00:26:23.720 --> 00:26:25.720 The phylogenetic divergence is purely dependent

 $00{:}26{:}25{.}720 \dashrightarrow 00{:}26{:}28{.}400$  on this ancient changes that you get from a phylogeny

00:26:28.400 --> 00:26:31.409 understanding how different species are related

 $00{:}26{:}31{.}409 \dashrightarrow 00{:}26{:}33{.}010$  to each other at an intermediate level,

00:26:33.010 --> 00:26:35.487 our methods use that use both the polymorphism 00:26:35.487 --> 00:26:37.260 and the divergence.

 $00{:}26{:}37{.}260$  -->  $00{:}26{:}39{.}990$  And the idea here in the McDonald-Kreitman approach,

 $00:26:39.990 \rightarrow 00:26:41.980$  and the master approach I'm going to tell you

00:26:41.980 --> 00:26:45.600 about is that the polymorphism what you see generally

 $00:26:45.600 \rightarrow 00:26:48.298$  in the population is sort of consistent with this.

00:26:48.298 --> 00:26:51.240 Sorry, if I go back to this slide.

 $00:26:51.240 \longrightarrow 00:26:53.420$  With this before selection, you know,

 $00{:}26{:}53{.}420 \dashrightarrow 00{:}26{:}54{.}970$  all of these blue sites are assumed

 $00:26:54.970 \longrightarrow 00:26:56.510$  to not be under selection,

 $00{:}26{:}56{.}510$  -->  $00{:}26{:}59{.}290$  and that generally what we believe in evolutionary biology,

 $00:26:59.290 \rightarrow 00:27:01.960$  because of empirical data that validates it

 $00{:}27{:}01{.}960 \dashrightarrow 00{:}27{:}05{.}220$  is that most sites that you find varying in populations

 $00:27:05.220 \longrightarrow 00:27:06.640$  are not under strong selection.

 $00:27:06.640 \rightarrow 00:27:07.930$  If they were on stronger selection,

 $00{:}27{:}07{.}930 \dashrightarrow 00{:}27{:}10{.}273$  they would probably fix it, every one would have them.

 $00:27:11.441 \rightarrow 00:27:13.116$  And if they were under negative selection,

 $00{:}27{:}13.116 \dashrightarrow 00{:}27{:}13.949$  they wouldn't rise to a high frequency.

00:27:13.949 --> 00:27:16.706 So generally speaking sites that you actually see

 $00{:}27{:}16.706 \dashrightarrow 00{:}27{:}18.330$  change differences between us and our genetics

 $00:27:18.330 \rightarrow 00:27:20.170$  typically are not affecting anything.

 $00:27:20.170 \longrightarrow 00:27:22.584$  Of course, we spend in our...

 $00:27:22.584 \rightarrow 00:27:23.850$  In the media, you only hear about the changes

 $00:27:23.850 \longrightarrow 00:27:25.060$  that actually affect things.

 $00:27:25.060 \rightarrow 00:27:26.470$  And that's because those are important to us,

 $00:27:26.470 \longrightarrow 00:27:28.429$  the ones that don't change anything

 $00:27:28.429 \longrightarrow 00:27:29.417$  we don't really care about.

 $00:27:29.417 \rightarrow 00:27:30.250$  So nobody talks about that much.

 $00{:}27{:}30{.}250$  -->  $00{:}27{:}32{.}750$  But most of the changes within population or differences

 $00:27:32.750 \longrightarrow 00:27:35.175$  within population don't have much material effect.

 $00:27:35.175 \rightarrow 00:27:37.100$  So under that hypothesis,

 $00:27:37.100 \rightarrow 00:27:38.960$  then when you look at polymorphism,

 $00:27:38.960 \rightarrow 00:27:41.240$  most polymorphism is just an indication

 $00:27:41.240 \rightarrow 00:27:42.760$  of the underlying mutation rate,

 $00:27:42.760 \rightarrow 00:27:44.970$  some mutation happened didn't have any effect.

 $00:27:44.970 \rightarrow 00:27:47.410$  It's drifting up and down in the population.

 $00:27:47.410 \rightarrow 00:27:49.810$  And so the advantage of that is if you know

 $00:27:49.810 \rightarrow 00:27:52.040$  that polymorphism is signal is a signature

00:27:52.040 --> 00:27:53.966 of just random mutation, it gives us an estimate 00:27:53.966 --> 00:27:57.160 of the underlying mutation rate, which we can then compare

 $00:27:57.160 \rightarrow 00:27:59.610$  to the divergence and using that comparison,

 $00:27:59.610 \rightarrow 00:28:02.350$  we can understand how organisms are related.

 $00:28:02.350 \rightarrow 00:28:05.207$  So whether organisms are under selection

 $00:28:05.207 \rightarrow 00:28:07.104$  or not, if the divergence is high compared

 $00{:}28{:}07{.}104 \dashrightarrow 00{:}28{:}08{.}940$  to the polymorphism, that indicates a lot of selection.

 $00:28:08.940 \rightarrow 00:28:12.211$  That means (indistinct chatter)

 $00:28:12.211 \rightarrow 00:28:14.180$  in the timescale of the analysis you're doing,

 $00:28:14.180 \longrightarrow 00:28:17.280$  we have a lot of change the population,

 $00{:}28{:}17{.}280 \dashrightarrow 00{:}28{:}19{.}520$  and on the other hand, you have a lot of polymorphism

 $00{:}28{:}19{.}520 \dashrightarrow 00{:}28{:}22{.}100$  and not that much divergence, then that indicates

 $00:28:22.100 \rightarrow 00:28:23.350$  you've got a lot of change going on,

 $00:28:23.350 \rightarrow 00:28:25.809$  but it's not actually being directionally

 $00:28:25.809 \rightarrow 00:28:27.340$  selected because the divergence is much lower.

 $00:28:27.340 \rightarrow 00:28:29.640$  So how does that test work in practice?

00:28:29.640 --> 00:28:31.820 Well, just to step back for one moment,

 $00:28:31.820 \rightarrow 00:28:33.770$  so we're gonna apply that kind of test.

 $00:28:34.664 \rightarrow 00:28:36.210$  In this talk I'm applying that test

 $00:28:36.210 \longrightarrow 00:28:39.450$  to the emergence of COVID-19.

 $00{:}28{:}39{.}450 \dashrightarrow 00{:}28{:}43{.}600$  I'm actually applying it but also to SARS, which is fairly

 $00:28:43.600 \rightarrow 00:28:46.170$  closely related the SARS coronavirus one

 $00:28:46.170 \rightarrow 00:28:48.040$  because we have similar data and can apply

 $00{:}28{:}48{.}040 \dashrightarrow 00{:}28{:}51{.}820$  the same test in the same way to that data set.

 $00{:}28{:}51{.}820 \dashrightarrow 00{:}28{:}54{.}250$  And we're using in addition the SARS like

 $00:28:55.340 \longrightarrow 00:28:57.870$  Coronavirus in a sample that had been sequence

 $00:28:57.870 \longrightarrow 00:28:59.870$  basically collected from bats.

 $00:28:59.870 \longrightarrow 00:29:01.930$  Over the past 20 years or so,

 $00:29:01.930 \rightarrow 00:29:05.199$  so what you can see here is a phylogeny,

 $00{:}29{:}05{.}199$  -->  $00{:}29{:}09{.}160$  which includes COVID-19 epidemic ongoing now in humans,

00:29:09.160 --> 00:29:12.790 the SARS epidemic, which caused some 400 deaths

 $00:29:12.790 \longrightarrow 00:29:17.610$  or so back in the early 2000s.

 $00{:}29{:}17.610 \dashrightarrow 00{:}29{:}21.260$  And what we're doing is analyzing both and looking at,

 $00:29:21.260 \rightarrow 00:29:24.890$  in particular, the very short internode here

 $00{:}29{:}24{.}890 \dashrightarrow 00{:}29{:}29{.}890$  were between the most closely related non human infections

 $00:29:30.950 \rightarrow 00:29:33.200$  and the human infection set that we can see.

 $00:29:33.200 \rightarrow 00:29:36.040$  And this internode here, also,

 $00{:}29{:}36{.}040 \dashrightarrow 00{:}29{:}39{.}040$  between these non human infections and the human

 $00:29:39.040 \rightarrow 00:29:41.770$  infections we can see here, because the changes

 $00:29:41.770 \rightarrow 00:29:45.010$  that may have enabled, we don't know,

 $00:29:45.010 \rightarrow 00:29:47.230$  there may be no changes that enabled it,

 $00:29:47.230 \longrightarrow 00:29:48.780$  maybe this virus throughout

 $00:29:48.780 \rightarrow 00:29:50.620$  its entire history could have infected humans,

 $00:29:50.620 \rightarrow 00:29:53.420$  but it just never managed to or never did.

00:29:53.420 --> 00:29:55.970 But if there are changes that are unique to this virus

 $00{:}29{:}55{.}970$  -->  $00{:}29{:}58{.}890$  that happened during zoonosis, enabling it to infect us,

00:29:58.890 - > 00:30:00.430 they happened on this lineage,

 $00{:}30{:}00{.}430$  -->  $00{:}30{:}03{.}280$  and so we're interested in seeing what those changes are.

00:30:04.200 --> 00:30:06.100 And so that's what we're gonna do is we're gonna run

 $00{:}30{:}06{.}100$  -->  $00{:}30{:}10{.}030$  this polymorphism and divergence approach on this lineage.

 $00:30:10.030 \rightarrow 00:30:13.190$  And what I just want to make (indistinct chatter)

 $00:30:13.190 \longrightarrow 00:30:14.390$  clear to you is the reason

 $00:30:14.390 \rightarrow 00:30:17.510$  why the polymorphism divergence approach is important is  $00:30:17.510 \rightarrow 00:30:20.482$  the phylogenetic approach, the ancient approach  $00:30:20.482 \rightarrow 00:30:22.180$  relies on a large clade of data, which we don't have  $00:30:22.180 \longrightarrow 00:30:24.248$  for that particular lineage here,  $00:30:24.248 \rightarrow 00:30:25.600$  we just have the human infection,  $00:30:25.600 \rightarrow 00:30:26.433$  which is no longer zoonotic.  $00:30:26.433 \longrightarrow 00:30:27.500$  And we have this one lineage.  $00:30:27.500 \longrightarrow 00:30:29.890$  And so what we can do is an cestrally reconstruct  $00:30:29.890 \rightarrow 00:30:32.710$  the ancestor of this lineage, which is right here,  $00:30:32.710 \rightarrow 00:30:34.190$  actually on the phylogeny, 00:30:34.190 - > 00:30:36.700 and also the ancestor right here,  $00:30:36.700 \rightarrow 00:30:40.090$  and then use mass PRF, this approach that's based  $00:30:40.090 \rightarrow 00:30:42.600$  on polymorphism in the room, so I'll explain to you  $00:30:42.600 \rightarrow 00:30:45.560$  on the divergence between that ancestor  $00:30:45.560 \rightarrow 00:30:48.390$  and the first ancestor of all the human infections.  $00:30:48.390 \rightarrow 00:30:51.050$  And we can take that as the near zoonosis time  $00:30:51.050 \rightarrow 00:30:52.620$  and figure out what mutations might  $00:30:52.620 \rightarrow 00:30:54.290$  have happened during that time.  $00:30:54.290 \rightarrow 00:30:56.410$  All right, so we're gonna do that in both  $00:30:56.410 \rightarrow 00:30:58.163$  the COVID-19 and SARS cases. 00:30:59.130 --> 00:31:01.620 Now, how does this work in principle?  $00:31:01.620 \rightarrow 00:31:02.660$  Well, there's an old approach,  $00:31:02.660 \rightarrow 00:31:04.590$  which is not what we're using.  $00{:}31{:}04.590 \dashrightarrow 00{:}31{:}05.960$  But I have to compare it to in order to  $00:31:05.960 \rightarrow 00:31:08.653$  sort of reference it in terms of the literature.  $00:31:09.490 \longrightarrow 00:31:11.480$  And that is that when you assume  $00:31:11.480 \rightarrow 00:31:13.480$  that polymorphism is neutral,  $00:31:13.480 \rightarrow 00:31:15.530$  we expect a different proportion of replacement

 $00{:}31{:}15{.}530$  -->  $00{:}31{:}18{.}070$  to synonymous divergence compared to replacement

 $00:31:18.070 \rightarrow 00:31:21.150$  to synonymous polymorphism in a gene.

00:31:21.150 - 00:31:23.450 So it's just a two by two table here, again,

 $00:31:23.450 \rightarrow 00:31:25.360$  very simple statistics, where we look at

 $00:31:25.360 \rightarrow 00:31:27.730$  the number of replacement sites that are divergent

00:31:27.730 --> 00:31:30.113 the number of synonymous sites replacement,

 $00:31:30.113 \rightarrow 00:31:31.725$  again, is when an amino acid change

00:31:31.725 --> 00:31:32.580 occurs in a DNA sequence.

00:31:32.580 --> 00:31:35.070 DNA sequence changes can either change the amino acid

 $00{:}31{:}35{.}070$  -->  $00{:}31{:}38{.}620$  or not depending on what the sequence of the code on

 $00{:}31{:}38{.}620 \dashrightarrow 00{:}31{:}41{.}600$  the three base pair code on in the DNA sequences.

 $00:31:41.600 \rightarrow 00:31:43.680$  So if there's a replacement, we tally it here,

 $00{:}31{:}43.680 \dashrightarrow 00{:}31{:}45.730$  if it's a synonymous change, that doesn't change the amino

 $00:31:45.730 \rightarrow 00:31:48.473$  acid, we tally it here, these ones are preserved.

 $00{:}31{:}48{.}473 \dashrightarrow 00{:}31{:}49{.}760$  Sometimes changes are presumably neutral because

 $00:31:49.760 \rightarrow 00:31:52.370$  they don't change anything about your protein.

 $00{:}31{:}52{.}370$  -->  $00{:}31{:}55{.}690$  And then the if it's a polymorphic replacement,

 $00:31:55.690 \rightarrow 00:31:57.210$  then we see it here.

 $00{:}31{:}57{.}210$  -->  $00{:}31{:}58{.}920$  And if it's a synonymous polymorphism we see it here.

 $00{:}31{:}58{.}920 \dashrightarrow 00{:}32{:}01{.}460$  So under the hypothesis that I mentioned,

 $00:32:01.460 \longrightarrow 00:32:03.930$  all three of these cells should occur, it should

 $00:32:03.930 \rightarrow 00:32:06.330$  be sort of changing in exactly the same way

00:32:06.330 --> 00:32:08.720 because polymorphic sites, whether they're replacement

 $00:32:08.720 \rightarrow 00:32:10.840$  are synonymous, we're assuming are neutral,

 $00:32:10.840 \rightarrow 00:32:12.380$  synonymous sites, whether the divergent

 $00:32:12.380 \rightarrow 00:32:15.084$  or polymorphic, we're assuming is neutral.

 $00:32:15.084 \rightarrow 00:32:16.330$  The only one that apparently that under

 $00:32:17.191 \rightarrow 00:32:19.021$  assumption is not neutral are these replacement

 $00:32:19.021 \rightarrow 00:32:21.690$  changes at replacement divergence sites.

 $00:32:21.690 \dashrightarrow 00:32:25.390$  So, if this replacement divergence, if the marginals

 $00{:}32{:}25{.}390 \dashrightarrow 00{:}32{:}28{.}510$  add up so that this replacement divergence is sort of in

 $00{:}32{:}28{.}510$  -->  $00{:}32{:}30{.}415$  line with all these others, then we assume nothing important

 $00{:}32{:}30{.}415 \dashrightarrow 00{:}32{:}33{.}060$  is happening in that gene, it's probably not selected,

 $00:32:33.060 \rightarrow 00:32:35.460$  it's just neutral changes that are happening there.

 $00:32:35.460 \rightarrow 00:32:37.924$  If this divergence is higher, though,

 $00{:}32{:}37{.}924 \dashrightarrow 00{:}32{:}39{.}391$  then we might conclude that it's under

 $00:32:39.391 \longrightarrow 00:32:40.860$  selection for changes at a rapid pace.

 $00:32:40.860 \dashrightarrow 00:32:43.770$  So neutrality yields a DN over DS that's equal

 $00:32:43.770 \rightarrow 00:32:45.945$  to the PN over PS positive selection means

 $00{:}32{:}45{.}945$  -->  $00{:}32{:}49{.}680$  that the DN DS is greater than the PN PS and negative

 $00:32:49.680 \dashrightarrow > 00:32:53.010$  selection where changes are actually being selected against

00:32:53.010 - > 00:32:56.130 at a high level indicates the DN DS

 $00:32:56.130 \longrightarrow 00:32:57.913$  is gonna be less than PN PS.

 $00:32:58.840 \rightarrow 00:33:01.010$  All right now Let's get to a little bit of the

00:33:01.010 --> 00:33:04.245 complexity on this thing that I mentioned that's called

 $00{:}33{:}04{.}245 \dashrightarrow 00{:}33{:}05{.}078$  Poisson random field theory, quantitatively estimates

00:33:05.078 --> 00:33:09.270 gene-wide selection intensity.

 $00:33:09.270 \longrightarrow 00:33:10.820$  So what you can do is take that

 $00{:}33{:}12{.}108$  -->  $00{:}33{:}13{.}880$  same two by two table, and you can say under a model of

 $00{:}33{:}13.880 \dashrightarrow 00{:}33{:}17.675$  selection, what do we actually think is happening here.

 $00{:}33{:}17.675 \dashrightarrow 00{:}33{:}19.877$  And that gives us the ability to estimate the selection

00:33:19.877 --> 00:33:21.760 coefficient, which is a basically the rate at which that

 $00:33:21.760 \dashrightarrow 00:33:25.420$  change allows the virus to increase its reproductive ability

 $00:33:25.420 \longrightarrow 00:33:27.382$  or survival ability in the host.

 $00:33:27.382 \rightarrow 00:33:31.700$  And that that is this gamma term right here

 $00:33:31.700 \rightarrow 00:33:34.070$  in these terms, and this, these look complicated,

 $00:33:34.070 \longrightarrow 00:33:36.350$  but essentially, these formulas are just saying

 $00{:}33{:}36{.}350 \dashrightarrow 00{:}33{:}38{.}880$  that the expectation for a synonymous sorry,

 $00:33:38.880 \longrightarrow 00:33:41.385$  the synonymous and replacement have reversed

00:33:41.385 - 00:33:43.061 on this chart compared to the last,

 $00:33:43.061 \longrightarrow 00:33:44.538$  so don't be confused by that.

 $00:33:44.538 \rightarrow 00:33:45.480$  But the expectation under synonymous

 $00:33:45.480 \rightarrow 00:33:47.613$  changes is essentially the mutation rate.

 $00{:}33{:}48{.}487{\:-}{-}>00{:}33{:}50{.}220$  And these terms are just about the sampling properties

 $00{:}33{:}50{.}220$  -->  $00{:}33{:}52{.}470$  of when you sequence how many of these things you get,

 $00{:}33{:}52{.}470 \dashrightarrow 00{:}33{:}54{.}600$  I don't need to go into the detail about that here.

 $00{:}33{:}54.600 \dashrightarrow 00{:}33{:}56.680$  Similarly, the polymorphic sequence

 $00:33:56.680 \rightarrow 00:33:59.850$  is just basically dependent on the mutation rate.

 $00{:}33{:}59{.}850 \dashrightarrow 00{:}34{:}02{.}060$  How the replacement sequences are a little bit more

 $00{:}34{:}02{.}060 \dashrightarrow 00{:}34{:}06{.}680$  complicated in that they have to account

 $00:34:06.680 \rightarrow 00:34:09.683$  for kinds of selection that may be going on.

00:34:10.780 --> 00:34:12.450 For reasons that I don't wanna get into

 $00{:}34{:}12{.}450$  -->  $00{:}34{:}15{.}820$  the polymorphic selection, so both of them are depending

 $00:34:15.820 \rightarrow 00:34:17.990$  on the mutation rate for replacement sites,

 $00:34:17.990 \longrightarrow 00:34:20.045$  and both of them depend on

 $00:34:20.045 \dashrightarrow 00:34:22.620$  how much each variant is selected.

 $00:34:22.620 \rightarrow 00:34:24.810$  Selection doesn't pack the polymorphism  $00:34:24.810 \longrightarrow 00:34:27.000$  to a certain degree in the sense that if variants  $00:34:27.000 \rightarrow 00:34:29.520$  are moving through the population very fast,  $00:34:29.520 \rightarrow 00:34:32.180$  that can change how much polymorphism you see.  $00:34:32.180 \rightarrow 00:34:35.750$  But then if you use these sampling formulas, and the formula  $00:34:35.750 \rightarrow 00:34:38.050$  for the estimate of the strength of selection,  $00:34:38.050 \rightarrow 00:34:40.850$  given how many variants we see changing,  $00:34:40.850 \rightarrow 00:34:43.560$  you get these formulas for how much replacement  $00:34:44.409 \rightarrow 00:34:46.697$  divergence and polymorphism you expect to see.  $00:34:46.697 \rightarrow 00:34:48.830$  So this is a population genetics that was worked  $00:34:48.830 \rightarrow 00:34:52.420$  out by Stan Sawyer and Dan Hurley in 1992.  $00:34:52.420 \rightarrow 00:34:55.860$  The only change I'm making in this is pure F,  $00:34:55.860 \rightarrow 00:35:00.400$  instead of using a year which was how many grants  $00:35:00.400 \rightarrow 00:35:04.190$  that you see in the the McConnell Craven uses it, 00:35:04.190 --> 00:35:07.680 I'm taking the probabilities of replacement divergence  $00:35:07.680 \rightarrow 00:35:10.695$  and the probabilities of some polymorphism  $00:35:10.695 \rightarrow 00:35:12.286$  and putting them in here.  $00:35:12.286 \rightarrow 00:35:13.250$  And the advantage here is that what  $00:35:13.250 \rightarrow 00:35:15.170$  I can do with that is what I mentioned earlier, 00:35:15.170 --> 00:35:17.750 I can go back to the old mass MACML 00:35:17.750 --> 00:35:20.320 approach sequence clustering approach 00:35:20.320 --> 00:35:23.070 that I mentioned before, estimating those probabilities  $00:35:24.665 \rightarrow 00:35:26.530$  across the entire gene, I can then estimate action across  $00:35:26.530 \rightarrow 00:35:30.370$  the entire gene by using these probability single site,  $00:35:30.370 \rightarrow 00:35:32.430$  I don't have changes for single site.  $00:35:32.430 \longrightarrow 00:35:33.850$  So what this allows  $00:35:33.850 \rightarrow 00:35:37.709$  us to estimate this gamma, minimizing likelihood

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of what

 $00:35:37.709 \rightarrow 00:35:41.900$  gamma is to blame those problems exist, see.

 $00{:}35{:}41{.}900 \dashrightarrow 00{:}35{:}46{.}360$  So this is a very complex diagram of how this all works,

 $00{:}35{:}46{.}360 \dashrightarrow 00{:}35{:}50{.}050$  again, is a pretty elaborate method of computation.

 $00{:}35{:}50{.}050$  -->  $00{:}35{:}53{.}190$  But again, has the nice properties that I'm not putting

00:35:53.190 --> 00:35:55.090 in any I'm not using assumptions

 $00:35:55.090 \rightarrow 00:35:56.480$  and not putting in any parameters.

 $00:35:56.480 \longrightarrow 00:35:57.934$  They go in.

 $00{:}35{:}57{.}934$  -->  $00{:}36{:}00{.}740$  I just take the polymorph at the end analyze it for

 $00:36:00.740 \dashrightarrow 00:36:03.860$  weather sites are clustered into four different categories.

00:36:03.860 --> 00:36:05.690 Again, replacement polymorphism.

 $00:36:05.690 \longrightarrow 00:36:07.050$  That's this arc here.

 $00{:}36{:}07{.}050$  -->  $00{:}36{:}11{.}233$  So polymorphisms anonymous divergence, placement divergence,

 $00:36:12.427 \rightarrow 00:36:15.300$  we cluster within all four of those categories.

 $00:36:15.300 \rightarrow 00:36:16.990$  We calculate the model average probability,

 $00:36:16.990 \rightarrow 00:36:20.200$  all those clusters and merge the data together.

00:36:20.200 --> 00:36:21.560 I'm not going to go through the details.

 $00:36:21.560 \rightarrow 00:36:24.890$  But just if you were to do essentially the KML,

 $00:36:24.890 \rightarrow 00:36:27.050$  like clustering on those four categories

 $00:36:27.050 \longrightarrow 00:36:29.570$  for a particular gene polymorphisms

 $00:36:29.570 \dashrightarrow 00:36:32.690$  and Ana's polymorphisms, monster and placement divergence

 $00{:}36{:}32.690 \dashrightarrow 00{:}36{:}36.550$  if you plug those in, to the formulas I showed you before,

00:36:36.550 --> 00:36:39.354 you're basically plugging into these categories,

 $00:36:39.354 \dashrightarrow 00:36:40.904$  you can estimate those formulas.

 $00:36:40.904 \longrightarrow 00:36:42.000$  And in the end, what you get is

 $00{:}36{:}42.000 \dashrightarrow 00{:}36{:}46.763$  an estimate of gamma across nucleotide positions in a gene.

00:36:48.750 --> 00:36:50.870 I won't go into what this result here,

 $00:36:50.870 \longrightarrow 00:36:52.770$  it's an interesting result for reasons

 $00:36:53.920 \rightarrow 00:36:55.180$  that are only of interest mostly to evolutionary

00:36:56.146 --> 00:36:58.150 biologist, but you can see here in this particular gene

 $00{:}36{:}58{.}150 \dashrightarrow 00{:}37{:}02{.}360$  that there's a lot of variation in the selection

 $00:37:02.360 \longrightarrow 00:37:04.140$  intensity across the gene.

 $00:37:04.140 \longrightarrow 00:37:05.590$  Now, that is actually really

 $00:37:05.590 \rightarrow 00:37:07.560$  consistent with what we'd expect.

 $00:37:07.560 \rightarrow 00:37:10.223$  From a sort of basic biology standpoint.

 $00{:}37{:}11{.}340 \dashrightarrow 00{:}37{:}13{.}210$  Different parts of a gene are gonna either

 $00:37:13.210 \longrightarrow 00:37:15.230$  be very strongly selected to stay the same

00:37:15.230 --> 00:37:18.321 or they're gonna change, you shouldn't really expect

 $00:37:18.321 \rightarrow 00:37:19.770$  that all parts of gene are equally likely to change.

 $00:37:19.770 \rightarrow 00:37:22.129$  And this gives a very nice diagram

 $00:37:22.129 \dashrightarrow 00:37:23.185$  that allows you to understand how

 $00:37:23.185 \longrightarrow 00:37:24.730$  it's different across the gene.

 $00:37:24.730 \rightarrow 00:37:27.070$  So if we compare this kind of approach

 $00:37:27.070 \rightarrow 00:37:30.451$  to the McDonald kreitman tests, which again,

 $00{:}37{:}30{.}451 \dashrightarrow 00{:}37{:}33{.}460$  are just putting in the DN DS, PN PS values

 $00:37:33.460 \longrightarrow 00:37:35.666$  into this two by two table,

 $00{:}37{:}35{.}666$  -->  $00{:}37{:}38{.}520$  and I went through that, the important difference is that

 $00{:}37{:}38{.}520$  -->  $00{:}37{:}41{.}760$  the Mk test assumes this intergenic homogeneous selection

 $00:37:41.760 \longrightarrow 00:37:44.070$  that in fact, a gene has the same selection

 $00:37:44.070 \longrightarrow 00:37:45.570$  across the entire sequence.

 $00:37:45.570 \longrightarrow 00:37:48.350$  The problem with that is if you have one small

 $00:37:48.350 \longrightarrow 00:37:49.983$  region that's under selection,

 $00{:}37{:}49{.}983 \dashrightarrow 00{:}37{:}52{.}633$  the averaging out process across that entire gene

 $00:37:52.633 \dashrightarrow 00:37:53.910$  can mean that you don't detect the selection there,

00:37:53.910 --> 00:37:57.160 even though it may be very strong for that small region.

 $00:37:57.160 \rightarrow 00:38:00.540$  And so the hope is that mastery graph can

 $00:38:00.540 \rightarrow 00:38:02.120$  identify those regions much better

00:38:02.120 --> 00:38:04.290 than MK for instance, would.

00:38:04.290 --> 00:38:07.173 And in fact, I went through this already.

00:38:08.528 --> 00:38:11.673 I'll just skip past this because I went through it already.

 $00{:}38{:}12{.}900 \dashrightarrow 00{:}38{:}17{.}820$  And this it does do that.

 $00{:}38{:}17.820 \dashrightarrow 00{:}38{:}20.830$  So this is an example of McDonnell Craven

 $00:38:20.830 \rightarrow 00:38:23.290$  tests here applied to a Drosophila gene,

 $00:38:23.290 \rightarrow 00:38:27.200$  what you see is this high evolution of a high level

 $00:38:27.200 \rightarrow 00:38:29.750$  of replacement divergence, which turns out

 $00:38:29.750 \longrightarrow 00:38:32.760$  to indicate high selection.

 $00:38:32.760 \longrightarrow 00:38:35.370$  And you can see here that the DN DS ratio

 $00:38:35.370 \longrightarrow 00:38:38.410$  is about eight to one word as the PN PS ratio

 $00{:}38{:}38{.}410 \dashrightarrow 00{:}38{:}39{.}880$  is almost even.

 $00:38:39.880 \rightarrow 00:38:42.390$  So this is a gene that's under very strong selection

 $00:38:42.390 \dashrightarrow 00:38:44.970$  based on the McDonald kreitman test.

 $00:38:44.970 \rightarrow 00:38:46.820$  Now, interestingly, so this one works

 $00:38:46.820 \longrightarrow 00:38:49.000$  with a homogeneity.

 $00:38:49.000 \rightarrow 00:38:53.427$  And then if you analyze the ACP 26 AA gene

 $00:38:55.220 \rightarrow 00:38:57.900$  and look for the probability of all four categories.

 $00:38:57.900 \rightarrow 00:39:00.960$  These are the four categories and of course,

 $00:39:00.960 \rightarrow 00:39:03.622$  the replacement divergence here is the one

 $00:39:03.622 \rightarrow 00:39:05.720$  that's most likely to drive selection.

 $00:39:05.720 \dashrightarrow 00:39:08.773$  What do you get when you estimate gamma using this?

00:39:08.773 --> 00:39:09.840 Well, interestingly, what you see is not something 00:39:09.840 --> 00:39:12.710 that's under very strong selection across the entire gene,

 $00{:}39{:}12{.}710$  -->  $00{:}39{:}14{.}970$  but something that's on moderately strong selection,

 $00:39:14.970 \rightarrow 00:39:16.740$  basically in the second half of the gene,

 $00:39:16.740 \longrightarrow 00:39:18.780$  and then one peak of very strong

 $00:39:18.780 \rightarrow 00:39:20.850$  selection right around the middle of the gene.

 $00:39:20.850 \longrightarrow 00:39:23.060$  And this is visible in currents because

 $00:39:23.060 \longrightarrow 00:39:25.690$  of a number of changes that occur

 $00:39:25.690 \rightarrow 00:39:28.280$  in one particular domain of the gene here.

00:39:28.280 --> 00:39:30.370 Now, if you look at just the replacement divergence,

 $00:39:30.370 \longrightarrow 00:39:32.176$  you wouldn't be able to figure this out.

 $00:39:32.176 \longrightarrow 00:39:33.710$  Because you see there are other

 $00{:}39{:}33{.}710 \dashrightarrow 00{:}39{:}34{.}722$  peaks along here.

 $00:39:34.722 \dashrightarrow 00:39:36.180$  Those don't turn out to be so important.

 $00:39:36.180 \dashrightarrow 00:39:37.960$  And the reason why they don't turn out to be so important

 $00{:}39{:}39{.}206$  -->  $00{:}39{:}40{.}820$  is that the synonymous divergence synonymous by morphism

 $00:39:40.820 \rightarrow 00:39:42.110$  replacement polymorphism.

 $00:39:42.110 \rightarrow 00:39:44.370$  Tell us more about the underlying mutation rate

 $00{:}39{:}44{.}370 \dashrightarrow 00{:}39{:}46{.}650$  that says those elevations are probably have

 $00{:}39{:}46{.}650$  -->  $00{:}39{:}49{.}300$  something to do with mutation rate, and not necessarily

 $00:39:49.300 \longrightarrow 00:39:52.340$  to do with added divergence.

 $00{:}39{:}52{.}340 \dashrightarrow 00{:}39{:}53{.}860$  You can sort of see this elevation

 $00:39:53.860 \rightarrow 00:39:55.940$  on the right hand side over here compared

00:39:55.940 - > 00:39:58.930 to the small dip right here and up here

 $00:39:58.930 \rightarrow 00:40:01.803$  and the way it all works out mathematically

 $00{:}40{:}01{.}803 \dashrightarrow 00{:}40{:}04{.}110$  is we can really see that there's strong selection here.

 $00{:}40{:}04{.}110$  -->  $00{:}40{:}06{.}230$  We can also get what I call model intervals for this.

 $00:40:06.230 \longrightarrow 00:40:08.010$  If you look across all the models,

 $00:40:08.010 \rightarrow 00:40:10.580$  what are the estimates of selection?

 $00{:}40{:}10.580 \dashrightarrow 00{:}40{:}14.480$  Possibly, what do we get is the 95% model interval for this?

 $00:40:14.480 \rightarrow 00:40:17.391$  And that's what these very faint gray lines you

 $00{:}40{:}17.391 \dashrightarrow 00{:}40{:}18.910$  may be able to see are those allow us to detect whether

 $00:40:18.910 \rightarrow 00:40:21.560$  these are significant, least significant,

 $00:40:21.560 \rightarrow 00:40:24.080$  statistically significant differences in selection.

 $00{:}40{:}24.080 \dashrightarrow 00{:}40{:}26.650$  All right, I'm gonna skip through this

 $00{:}40{:}26.650 \dashrightarrow 00{:}40{:}28.572$  just because I want to spend the time

 $00:40:28.572 \rightarrow 00:40:29.405$  but the point is, you can do this for other genes,

 $00:40:29.405 \longrightarrow 00:40:31.530$  and it shows similar results that allow us

 $00{:}40{:}31{.}530$  -->  $00{:}40{:}34{.}324$  to understand where sites are under selection in that gene.

00:40:34.324 --> 00:40:36.920 I'll just cover a few more examples

 $00:40:36.920 \longrightarrow 00:40:38.970$  of how we've used this to give you an idea

 $00{:}40{:}38{.}970$  -->  $00{:}40{:}41{.}740$  of what it can look like in a comparison between humans

 $00{:}40{:}41{.}740$  -->  $00{:}40{:}43{.}870$  and chimpanzees where we've run this just to understand

 $00:40:43.870 \rightarrow 00:40:45.973$  how we've diverged from chimpanzees.

 $00{:}40{:}46{.}870 \dashrightarrow 00{:}40{:}49{.}660$  We see a bunch of different examples here.

 $00:40:49.660 \rightarrow 00:40:51.530$  Again, doing a little bit of comparison to

 $00{:}40{:}51{.}530 \dashrightarrow 00{:}40{:}54{.}066$  that traditional McDonald kreitman test

 $00{:}40{:}54.066 \dashrightarrow 00{:}40{:}55.640$  and the mass PRF test.

 $00{:}40{:}55{.}640 \dashrightarrow 00{:}40{:}59{.}995$  Here you see a gene, which is statistically significant

 $00:40:59.995 \longrightarrow 00:41:01.246$  people's point of view.

 $00:41:01.246 \rightarrow 00:41:03.640$  Based on the Mk tests, the four categories

 $00:41:03.640 \longrightarrow 00:41:06.780$  of the four tallies of which are indicated here.

00:41:06.780 --> 00:41:09.710 Here's the MASS -PRF profile, and it shows us again

 $00{:}41{:}09{.}710 \dashrightarrow 00{:}41{:}11{.}880$  a particular region within this SLC AA

 $00:41:11.880 \longrightarrow 00:41:14.110$  one gene that is under selection.

00:41:14.110 --> 00:41:17.106 There are interesting stories behind all of these,

 $00{:}41{:}17.106$  -->  $00{:}41{:}18.523$  but I'm not gonna take the time to go through them.

00:41:19.440 --> 00:41:21.800 Here's another example where and this is an example

 $00:41:21.800 \rightarrow 00:41:23.450$  where the McDonald pregnant test

 $00:41:23.450 \longrightarrow 00:41:24.790$  comes out is not significant.

 $00:41:24.790 \rightarrow 00:41:26.450$  There's just not that much divergence

 $00:41:26.450 \rightarrow 00:41:28.060$  compared to the other categories.

00:41:28.060 --> 00:41:31.640 But if you do this, spatially with the MASS-PRF test,

 $00:41:31.640 \rightarrow 00:41:34.010$  you actually see that a very central region there

00:41:34.010 --> 00:41:37.200 has very strong selection, and then the rest of the gene

 $00{:}41{:}37{.}200 \dashrightarrow 00{:}41{:}40{.}640$  is under almost zero selection or almost no selection.

 $00{:}41{:}40.640 \dashrightarrow 00{:}41{:}42.660$  So this is an example I talked about,

 $00:41:42.660 \rightarrow 00:41:44.660$  where you could have some very small portion

 $00:41:44.660 \rightarrow 00:41:46.580$  of the gene under very strongest selection.

00:41:46.580 --> 00:41:49.136 And McDonald-Kreitman test wouldn't detect it

 $00{:}41{:}49{.}136 \dashrightarrow 00{:}41{:}50{.}910$  because it's averaging over the entire gene.

00:41:50.910 --> 00:41:52.350 Similarly, you'll get some genes.

 $00{:}41{:}52{.}350 \dashrightarrow 00{:}41{:}53{.}950$  Oops, I didn't mean to do that.

00:41:53.950 --> 00:41:58.200 Some jeans, here's M gamma over here, where there's a...

 $00:41:58.200 \longrightarrow 00:41:59.270$  Well, let me turn to that one last.

00:41:59.270 --> 00:42:01.580 Actually, let me look at TPH First,

 $00{:}42{:}01{.}580 \dashrightarrow 00{:}42{:}06{.}340$  there's no statistical selection according to the Mk tests.

00:42:06.340 --> 00:42:07.810 And in fact, in our MASS-PRF,

 $00:42:07.810 \longrightarrow 00:42:09.240$  there's no specific selection either

 $00:42:09.240 \rightarrow 00:42:12.440$  the error bars are entirely overlapping zero here,

 $00:42:12.440 \longrightarrow 00:42:14.590$  which indicates no selection.

00:42:14.590 --> 00:42:16.180 Lastly, here's M gamma.

 $00:42:16.180 \longrightarrow 00:42:18.370$  This is the one of the very few examples

 $00{:}42{:}18.370$  -->  $00{:}42{:}21.369$  we were able to find where McDonald test did detect

 $00:42:21.369 \rightarrow 00:42:23.740$  selection where, where MASS-PRF didn't.

 $00:42:23.740 \rightarrow 00:42:25.620$  As you can see, there's quite high tallies here,

 $00:42:25.620 \longrightarrow 00:42:27.080$  which means there's a lot of power

 $00:42:27.080 \rightarrow 00:42:28.389$  to detect selection if it's there,

00:42:28.389 --> 00:42:30.040 but it's probably not very strong,

 $00:42:30.040 \longrightarrow 00:42:31.880$  because the numbers are not all that different

 $00:42:31.880 \longrightarrow 00:42:32.723$  from each other.

 $00{:}42{:}34{.}364$  -->  $00{:}42{:}36{.}250$  And McDonald-Kreitman says it's statistically significant.

00:42:36.250 --> 00:42:38.600 Now the reason why McDonald Kreitman is telling

 $00:42:39.502 \rightarrow 00:42:40.820$  it's statistic's nothing compared to mass PRF

 $00{:}42{:}40{.}820$  -->  $00{:}42{:}43{.}940$  is that actually, I didn't explain this in detail to you.

 $00:42:43.940 \rightarrow 00:42:46.540$  But McDonald- Kreitman doesn't actually assume  $00:42:46.540 \rightarrow 00:42:48.370$  that there's an elevation of rate here.

 $00:42:48.370 \rightarrow 00:42:50.830$  And so the significance here is actually driven by

 $00:42:50.830 \rightarrow 00:42:53.310$  the high polymorphic replacement level.

 $00{:}42{:}53{.}310$  -->  $00{:}42{:}55{.}800$  So there's a lot of polymorphic replacements in there.

 $00{:}42{:}55{.}800 \dashrightarrow 00{:}42{:}58{.}450$  And what that means is there's some other

 $00:42:59.641 \longrightarrow 00:43:00.900$  kind of selection that isn't a directional selection.

 $00:43:00.900 \rightarrow 00:43:02.270$  I won't go into the details there.

 $00:43:02.270 \rightarrow 00:43:04.380$  But the nice thing is that in the examples

00:43:04.380 --> 00:43:06.740 where we find that McDonald kreitman is statistically

00:43:06.740 --> 00:43:09.790 significant and MASS-PRF isn't examples

 $00:43:09.790 \longrightarrow 00:43:11.970$  where in fact MASS-PRF is not designed to detect

 $00:43:11.970 \rightarrow 00:43:14.063$  that kind of selection and MK test is.

 $00{:}43{:}15{.}300 \dashrightarrow 00{:}43{:}18{.}138$  In general MASS-PRF turned out to be significant

 $00:43:18.138 \rightarrow 00:43:21.207$  in almost every case math MK tests were not.

00:43:21.207 --> 00:43:23.610 Okay, so how can we use this, apply this

 $00{:}43{:}23.610 \dashrightarrow 00{:}43{:}26.880$  to instances like COVID-19, the point of this whole talk,

 $00:43:26.880 \rightarrow 00:43:29.130$  and I'm just gonna give you one example first

00:43:30.085 - 00:43:32.128 to justify why we think it's a good idea,

 $00:43:32.128 \rightarrow 00:43:33.844$  because we don't have results on doing it,

00:43:33.844 --> 00:43:35.790 at least not many results on doing it to COVID-19

 $00{:}43{:}35{.}790$  -->  $00{:}43{:}38{.}810$  yet, and that is that we applied this influenza before,

 $00{:}43{:}38{.}810 \dashrightarrow 00{:}43{:}42{.}970$  which has some similarities to COVID-19, as every one knows

 $00{:}43{:}42{.}970 \dashrightarrow 00{:}43{:}46{.}370$  and in influenza, again, we're interested in looking across

 $00:43:46.370 \longrightarrow 00:43:48.340$  the gene are there sites that are under selection

 $00:43:48.340 \longrightarrow 00:43:50.380$  because those sites that are under selection

 $00:43:50.380 \rightarrow 00:43:53.480$  are candidates where we need to be aware that

 $00{:}43{:}53{.}480$  -->  $00{:}43{:}56{.}600$  in fact, vaccines need like for every year they design

00:43:57.554 --> 00:43:58.387 a new influenza vaccine, right?

 $00:43:58.387 \rightarrow 00:43:59.910$  And what they're trying to do is accommodate

 $00{:}43{:}59{.}910 \dashrightarrow 00{:}44{:}02{.}500$  the fact that these changes occur on the sites

 $00:44:02.500 \rightarrow 00:44:04.430$  that are actually susceptible

 $00{:}44{:}04{.}430 \dashrightarrow 00{:}44{:}08{.}430$  to your immune system recognizing the influenza virus.

 $00{:}44{:}08{.}430$  -->  $00{:}44{:}10{.}590$  So we need to understand those sites that are changing

 $00{:}44{:}10.590 \dashrightarrow 00{:}44{:}13.390$  and where they are in in order to design

 $00{:}44{:}13{.}390 \dashrightarrow 00{:}44{:}16{.}060$  more universal vaccines that may be could target sites

 $00{:}44{:}16.060$  -->  $00{:}44{:}18.880$  that won't change rapidly because they can't change

 $00{:}44{:}18.880$  -->  $00{:}44{:}21.870$  because they're structurally constrained in the virus.

 $00{:}44{:}21.870$  -->  $00{:}44{:}25.312$  So what we did was apply this MASS-PRF approach

 $00:44:25.312 \rightarrow 00:44:28.950$  to influenza similarly on a phylogeny

00:44:28.950 --> 00:44:30.350 to like I described for Coronavirus.

 $00:44:30.350 \rightarrow 00:44:32.550$  I don't have the phylogeny in the slide set,

 $00{:}44{:}33{.}400 \dashrightarrow 00{:}44{:}36{.}280$  but the point is just looking at the ancestral influenza

00:44:36.280 --> 00:44:40.110 and it's divergent sites within a particular region.

00:44:40.110 --> 00:44:42.850 And what we were able to do is identify a set of sites

 $00:44:42.850 \rightarrow 00:44:45.600$  that are under select---ion using mass PRF

 $00:44:45.600 \rightarrow 00:44:47.930$  that are beyond what people had prophesied

 $00:44:47.930 \rightarrow 00:44:49.920$  as positive selection sites in the past.

 $00:44:49.920 \rightarrow 00:44:52.630$  So there's a paper by Westgeest al 2012

 $00:44:52.630 \rightarrow 00:44:55.350$  which is essentially the gold standard for this

 $00:44:55.350 \rightarrow 00:44:57.830$  and they found a bunch of sites that are all

00:44:57.830 --> 00:45:00.120 these circled sites in gray MASS-PRF.

 $00:45:00.120 \rightarrow 00:45:02.590$  Also found those the orange diagram here

 $00:45:02.590 \longrightarrow 00:45:06.570$  is the MASS-PRF for this gene.

 $00{:}45{:}08{.}550 \dashrightarrow 00{:}45{:}10{.}140$  And it also identified other sites

 $00{:}45{:}10{.}140 \dashrightarrow 00{:}45{:}11{.}790$  that are under selection as well.

 $00:45:13.756 \rightarrow 00:45:15.931$  And we're in the process of understanding

00:45:15.931 - > 00:45:17.040 better how those can be validated.

 $00{:}45{:}17.040 \dashrightarrow 00{:}45{:}19.860$  But the ultimate point is that

 $00{:}45{:}19{.}860$  -->  $00{:}45{:}24{.}540$  these are important selected sites that may be relevant

 $00:45:24.540 \longrightarrow 00:45:28.080$  to the design of vaccines for influenza.

00:45:28.080 --> 00:45:29.930 So similarlY, we'd like to illuminate

 $00:45:30.913 \rightarrow 00:45:33.710$  which sites might be changing rapidly

 $00:45:33.710 \rightarrow 00:45:36.083$  and under positive selection in Coronavirus,

00:45:37.241 --> 00:45:38.913 not only during the human epidemic,

00:45:38.913 --> 00:45:40.930 but again during the zonotic zoonotic time period.

 $00:45:40.930 \rightarrow 00:45:42.670$  And so now we're finally coming to the final

 $00:45:42.670 \rightarrow 00:45:45.530$  part of my talk, which is what we're doing

 $00:45:45.530 \longrightarrow 00:45:48.440$  in terms of the model average estimation the mcos

 $00:45:48.440 \rightarrow 00:45:51.072$  and natural selection in SARS coronavirus,

 $00:45:51.072 \rightarrow 00:45:52.553$  one and SARS coronavirus two,

 $00:45:52.553 \rightarrow 00:45:53.400$  Corona viruses during zoonosis.

 $00:45:53.400 \rightarrow 00:45:55.521$  But the whole point here is really

 $00{:}45{:}55{.}521 \dashrightarrow 00{:}45{:}56{.}730$  explain to you what I've done because the results I have

 $00{:}45{:}56{.}730 \dashrightarrow 00{:}46{:}00{.}696$  as I said are I just have a few plots of some of the stuff

 $00:46:00.696 \rightarrow 00:46:02.559$  longest selection we were able to check

 $00{:}46{:}02{.}559$  -->  $00{:}46{:}04{.}619$  because we have to process through a lot more data

 $00{:}46{:}04{.}619 \dashrightarrow 00{:}46{:}06{.}679$  before we get a more in depth look at the lesser

 $00{:}46{:}06{.}679 \dashrightarrow 00{:}46{:}10{.}130$  selected sites that are on these genes.

 $00:46:10.130 \rightarrow 00:46:13.400$  And so we looked at this for the for Coronavirus.

 $00:46:13.400 \rightarrow 00:46:17.110$  This is just a Coronavirus, Getty image that Yale

 $00:46:17.110 \longrightarrow 00:46:20.453$  has used looking at Coronavirus.

00:46:21.450 --> 00:46:23.010 And again, as I mentioned,

 $00{:}46{:}23.010 \dashrightarrow 00{:}46{:}26.170$  we're looking at these two sites of where COVID-19

 $00{:}46{:}26.170$  -->  $00{:}46{:}30.100$  emergence occurred, and where SARS emergence occurred.

 $00:46:30.100 \longrightarrow 00:46:31.960$  And the question is, are there changes

 $00:46:32.855 \rightarrow 00:46:34.010$  that happen there that are specifically

 $00{:}46{:}34.010$  -->  $00{:}46{:}37.870$  responsible perhaps for those zoonosis and the only results

 $00{:}46{:}37.870 \dashrightarrow 00{:}46{:}40.230$  I have are just a few results again, highlighting some of

 $00:46:40.230 \dashrightarrow 00:46:42.340$  the strongest selection we saw.

 $00:46:42.340 \rightarrow 00:46:44.190$  This is actually a diagram of the spike

 $00{:}46{:}44{.}190{\:-}{>}00{:}46{:}46{.}880$  protein which if you've heard much about COVID-19

 $00{:}46{:}46{.}880$  -->  $00{:}46{:}49{.}430$  molecular biology, you probably have heard about the spike

 $00:46:50.361 \rightarrow 00:46:52.412$  protein, it's what sticks out from the virus.

 $00:46:52.412 \rightarrow 00:46:55.530$  It's what grabs onto the AC receptor,

 $00:46:55.530 \rightarrow 00:46:58.330$  and essentially is what most vaccines

 $00{:}46{:}58{.}330 \dashrightarrow 00{:}47{:}01{.}360$  that one might design for the virus would target.

 $00:47:01.360 \rightarrow 00:47:04.400$  And the point is that the recombination binding

 $00{:}47{:}04{.}400$  -->  $00{:}47{:}07{.}127$  domain, which has gotten a lot of press already turns out

 $00{:}47{:}07.127 \dashrightarrow 00{:}47{:}07.960$  to have the selected sites.

 $00{:}47{:}07{.}960 \dashrightarrow 00{:}47{:}11{.}540$  You can see them here, here, here and here.

 $00:47:11.540 \rightarrow 00:47:12.567$  These are sites that are selected,

 $00:47:12.567 \rightarrow 00:47:13.400$  meaning they're changing rapidly

 $00:47:13.400 \longrightarrow 00:47:16.750$  during the pre zoonotic phase.

 $00{:}47{:}16.750$  -->  $00{:}47{:}19.350$  So these are sites that are changing, not in humans,

 $00:47:20.410 \longrightarrow 00:47:21.620$  but in the bats in the pangolins.

 $00:47:21.620 \longrightarrow 00:47:24.580$  And whatever other animals that this virus

00:47:24.580 --> 00:47:27.487 is spreading among, or has been spreading among

 $00:47:27.487 \longrightarrow 00:47:28.680$  before the zoonosis to humans.

 $00:47:28.680 \rightarrow 00:47:29.888$  So then the question is, are similar sites under

 $00:47:29.888 \longrightarrow 00:47:30.721$  selection during zoonosis?

00:47:30.721 --> 00:47:35.560 And during post zoonosis?

 $00:47:35.560 \rightarrow 00:47:37.610$  And the answer right now is yes,

 $00:47:37.610 \longrightarrow 00:47:38.720$  it seems kind of similar,

 $00:47:38.720 \longrightarrow 00:47:40.060$  although we don't get the same sites.

 $00{:}47{:}40.060 \dashrightarrow 00{:}47{:}42.149$  So we have to do a little bit

 $00{:}47{:}42.149$  -->  $00{:}47{:}43.830$  more molecular, you know, staring at this and understanding

 $00:47:43.830 \rightarrow 00:47:46.313$  it because these results are literally  $00:47:46.313 \rightarrow 00:47:47.676$  I got these results today, actually. 00:47:47.676 - 00:47:50.260 So we have to sort of do more of this  $00:47:51.165 \rightarrow 00:47:52.630$  and we actually can actually look at more depth  $00:47:53.508 \rightarrow 00:47:54.530$  and get more sites with other approaches  $00:47:54.530 \rightarrow 00:47:57.290$  that we haven't implemented at this moment.  $00:47:57.290 \rightarrow 00:47:58.123$  But during near zoonosis what you see is again,  $00:47:58.123 \rightarrow 00:48:03.020$  the selected sites which are in bright red  $00:48:06.387 \rightarrow 00:48:08.267$  are also on the sort of the visible side  $00:48:08.267 \rightarrow 00:48:10.350$  of the recombination binding domain  $00:48:12.796 \rightarrow 00:48:17.380$  of the spike protein, which is the tip  $00:48:17.380 \longrightarrow 00:48:21.363$  the outside portion of this gene.  $00:48:22.742 \rightarrow 00:48:24.100$  Lastly, if we look post-zoonosis that's in  $00:48:24.100 \rightarrow 00:48:26.400$  the evolution of humans, we again see that  $00:48:26.400 \rightarrow 00:48:30.043$  the selected sites are sites that are at this tip region.  $00:48:32.585 \rightarrow 00:48:34.615$  Again, none of this is terribly surprising.  $00:48:34.615 \rightarrow 00:48:36.378$  The interesting thing is that it kind of indicates  $00:48:36.378 \rightarrow 00:48:37.700$  that the zoonosis it kind of indicates consistency. 00:48:37.700 --> 00:48:40.061 Again, there's a lot more to do before  $00:48:40.061 \rightarrow 00:48:41.547$  we can conclude anything like this,  $00:48:41.547 \rightarrow 00:48:43.610$  but the idea we have right now indicates  $00:48:43.610 \rightarrow 00:48:46.250$  a good deal of consistency between the selection  $00:48:46.250 \rightarrow 00:48:50.570$  that's ongoing in humans during zoonosis and pre zoonosis.  $00:48:50.570 \rightarrow 00:48:52.960$  And what that implies is that this may  $00:48:53.865 \rightarrow 00:48:55.520$  well have been as I said, very briefly,  $00:48:55.520 \rightarrow 00:48:58.930$  during this talk an instance where there's a virus  $00:48:59.950 \rightarrow 00:49:01.020$  just circulating around in bats and penguins  $00:49:01.020 \rightarrow 00:49:03.580$  that could have caused this disease at any time,  $00:49:03.580 \rightarrow 00:49:06.560$  it's just a matter of whether or not we actually

 $00:49:06.560 \rightarrow 00:49:10.990$  have exposure to, to those organisms

 $00:49:10.990 \rightarrow 00:49:13.590$  that allows the transmission to happen.

 $00:49:13.590 \rightarrow 00:49:15.540$  Consistent with this, I'll just mention

 $00:49:17.058 \longrightarrow 00:49:18.352$  a couple like verbal points,

00:49:18.352 --> 00:49:20.447 which is that all the evidence that we have indicates

 $00:49:20.447 \rightarrow 00:49:23.150$  that this virus spread extremely quickly

 $00:49:23.150 \rightarrow 00:49:26.010$  from the moment that it zoonosis into humans.

00:49:26.010 --> 00:49:28.190 And in fact, in most cases of zoonosis,

 $00:49:28.190 \longrightarrow 00:49:29.440$  we find that that's true,

 $00:49:30.839 \rightarrow 00:49:32.510$  which is somewhat counterintuitive.

00:49:32.510 - 00:49:34.157 Obviously, it hasn't adapted to humans,

 $00{:}49{:}34{.}157 \dashrightarrow 00{:}49{:}37{.}003$  it has adapted to the amount of mammalian immune system.

00:49:37.003 --> 00:49:38.893 And so to the extent that our immune system is not

 $00{:}49{:}38{.}893 \dashrightarrow 00{:}49{:}40{.}730$  tremendously different from that of bats or pangolins,

 $00:49:40.730 \rightarrow 00:49:43.670$  it may be not surprising that it can infect us.

 $00:49:43.670 \longrightarrow 00:49:46.619$  But one of the things that is true is that

 $00:49:46.619 \longrightarrow 00:49:47.780$  if it did not spread very quickly,

 $00{:}49{:}47{.}780$  -->  $00{:}49{:}50{.}720$  very easily from the very moment it transmitted to someone,

 $00:49:50.720 \dashrightarrow 00:49:52.330$  it would probably lead to a dead end.

 $00:49:52.330 \longrightarrow 00:49:54.810$  In other words, if you don't have

 $00{:}49{:}54{.}810$  -->  $00{:}49{:}57{.}163$  an ability to transmit and spread just from the get go,

 $00:49:57.163 \rightarrow 00:49:59.630$  the first person who gets infected

 $00:49:59.630 \rightarrow 00:50:02.140$  is very unlikely to transmit it to someone else.

 $00:50:02.140 \longrightarrow 00:50:04.330$  So it sort of has to be well pre adapted

 $00:50:04.330 \rightarrow 00:50:07.120$  for a zoonotic event to actually spread in humans.

 $00:50:07.120 \rightarrow 00:50:09.273$  Now there's, we need more zoonotic events,

 $00:50:10.816 \rightarrow 00:50:11.649$  God forbid that it actually happens,

 $00:50:13.440 \rightarrow 00:50:15.064$  to really get a better picture of that.

 $00:50:15.064 \rightarrow 00:50:15.897$  But the general result and the scientific

 $00{:}50{:}15{.}897 \dashrightarrow 00{:}50{:}18{.}091$  literature does seem to show that zoonosis happens.

 $00:50:18.091 \rightarrow 00:50:22.360$  the disease's already well set to cause problems.

 $00:50:22.360 \rightarrow 00:50:23.770$  And the examples that we don't have where

 $00:50:23.770 \longrightarrow 00:50:25.340$  it happens like that, like MERS

00:50:26.886 --> 00:50:28.786 or like, well, MERS is a good example.

 $00:50:29.869 \rightarrow 00:50:31.031$  It's a really deadly disease,

 $00:50:31.031 \rightarrow 00:50:31.980$  but it doesn't transmit well among humans.

 $00{:}50{:}31{.}980 \dashrightarrow 00{:}50{:}34{.}720$  And so that's an example where may be it's transmitting

 $00{:}50{:}34{.}720$  -->  $00{:}50{:}37{.}210$  to humans, but it's not transmitting among humans.

 $00:50:37.210 \rightarrow 00:50:38.960$  And it's very hard for that disease

 $00:50:40.067 \rightarrow 00:50:42.017$  to catch on within the human population

 $00{:}50{:}43.194 \dashrightarrow 00{:}50{:}45.229$  and do human transmission as opposed to zoonotic events.

 $00{:}50{:}45{.}229 \dashrightarrow 00{:}50{:}46{.}592$  And that's because it doesn't transmit

 $00:50:46.592 \rightarrow 00:50:48.342$  and it doesn't usually evolve that ability

 $00{:}50{:}48{.}342 \dashrightarrow 00{:}50{.}50{.}650$  to transmit over the short time that

 $00:50:50.650 \dashrightarrow 00:50:53.280$  that individuals might get infected.

 $00:50:53.280 \rightarrow 00:50:56.880$  when when they get it usually from camels.

 $00:50:56.880 \rightarrow 00:50:59.000$  Okay, so I've showed you those examples.

 $00{:}50{:}59{.}000 \dashrightarrow 00{:}51{:}01{.}780$  I just wanna to mention what else we're gonna be doing.

00:51:01.780 --> 00:51:03.780 So I what I just showed you was actually

 $00:51:04.668 \rightarrow 00:51:06.420$  the sort of SARS coronavirus to some sites

 $00{:}51{:}06{.}420 \dashrightarrow 00{:}51{:}07{.}990$  that are under selection in search

 $00:51:07.990 \longrightarrow 00:51:09.570$  for Coronavirus two genes.

00:51:09.570 - 00:51:12.031 This is the S gene right here.

 $00{:}51{:}12.031 \dashrightarrow 00{:}51{:}12.864$  That's the spike gene.

 $00{:}51{:}12.864 \dashrightarrow 00{:}51{:}14.710$  We're gonna be looking at that in SARS coronavirus,

 $00:51:14.710 \rightarrow 00:51:17.530$  one and two, we're also going to be looking

 $00:51:17.530 \rightarrow 00:51:21.660$  at other genes in the genomes.

 $00:51:21.660 \longrightarrow 00:51:22.960$  These have other functions.

 $00:51:22.960 \rightarrow 00:51:26.142$  The M gene, for instance, is a membrane gene.

 $00:51:26.142 \longrightarrow 00:51:27.990$  So it might be relevant to and the gene

 $00:51:27.990 \rightarrow 00:51:32.290$  as well might be relevant to vaccine generation.

 $00:51:32.290 \rightarrow 00:51:34.610$  Like if we could generate a vaccine that targeted

 $00{:}51{:}34{.}610$  -->  $00{:}51{:}37{.}560$  those, maybe they would be unable to change at the same

 $00{:}51{:}41{.}249 \dashrightarrow 00{:}51{:}44{.}045$  pace that spike protein would they might be more conserved.

 $00{:}51{:}44.045 \dashrightarrow 00{:}51{:}44.878$  And that might be one approach towards developing a vaccine.

 $00{:}51{:}46{.}312 \dashrightarrow 00{:}51{:}47{.}145$  That would be a longer term vaccine because one thing we

 $00{:}51{:}48{.}726$  -->  $00{:}51{:}50{.}193$  have to worry about, of course with this Coronavirus,

 $00:51:53.186 \rightarrow 00:51:55.378$  is and I have other research that we're doing on

 $00{:}51{:}55{.}378 \dashrightarrow 00{:}51{:}57{.}275$  this question, which I'd love to talk about if any one's

 $00:51:57.275 \longrightarrow 00:51:58.771$  curious, but you can estimate

 $00:51:58.771 \rightarrow 00:52:00.152$  what the actual waning immunity of it is,

 $00{:}52{:}00{.}152 \dashrightarrow 00{:}52{:}00{.}985$  even though we don't have data on that by Looking

 $00{:}52{:}03{.}422 \dashrightarrow 00{:}52{:}05{.}180$  at other related species and using the phylogeny

 $00:52:05.180 \rightarrow 00:52:07.970$  to understand how the how the waning immunity

 $00:52:07.970 \longrightarrow 00:52:09.380$  has evolved across the species

 $00:52:09.380 \rightarrow 00:52:11.230$  and what the projected or most likely

00:52:12.158 --> 00:52:13.463 waning immunity of SARS coronavirus is,

 $00:52:14.600 \rightarrow 00:52:16.403$  and it's, it tends to be it looks like

 $00:52:16.403 \longrightarrow 00:52:17.746$  it's around 80 weeks or so.

00:52:17.746 --> 00:52:20.815 So if we get about 8 weeks of waiting a period

 $00:52:20.815 \longrightarrow 00:52:22.120$  of immunity from this, that's not that

 $00{:}52{:}22{.}120 \dashrightarrow 00{:}52{:}24{.}750$  much in terms of every two years or so we're gonna have

 $00{:}52{:}24.750 \dashrightarrow 00{:}52{:}27.540$  Coronavirus coming around and in terms of we're going to

 $00:52:27.540 \rightarrow 00:52:29.340$  be susceptible again to Coronavirus.

 $00:52:30.287 \rightarrow 00:52:31.120$  Not that we're going to get it every two years.

 $00{:}52{:}33{.}436 \dashrightarrow 00{:}52{:}36{.}245$  And what that would mean is that

 $00:52:36.245 \rightarrow 00:52:38.088$  it's likely to persist as a circulating virus.

 $00{:}52{:}38{.}088 \dashrightarrow 00{:}52{:}39{.}839$  And if it remains as deadly as it is that's a serious issue.

 $00:52:39.839 \rightarrow 00:52:41.544$  So we're gonna really want to buy a vaccine.

00:52:41.544 --> 00:52:43.460 And we're not necessarily going to wanna have another flu

 $00:52:44.334 \rightarrow 00:52:45.213$  vaccine that we have to get every year.

 $00:52:48.661 \rightarrow 00:52:50.632$  So what we really want to do is target

 $00:52:50.632 \rightarrow 00:52:52.570$  some genes that may be under more constraint

 $00{:}52{:}52{.}570 \dashrightarrow 00{:}52{:}55{.}630$  then the recombination binding protein gene, the spike gene.

 $00{:}52{:}56{.}508 \dashrightarrow 00{:}52{:}58{.}280$  So anyway, so the point is looking at multiple genes for

 $00{:}52{:}59{.}738 \dashrightarrow 00{:}53{:}01{.}410$  trying to understand where conservative regions are where

 $00:53:02.809 \rightarrow 00:53:03.873$  regions that are under selection are important.

 $00:53:05.224 \rightarrow 00:53:06.848$  And we'll be doing that.

 $00:53:06.848 \rightarrow 00:53:10.625$  And hopefully some of those results will

 $00:53:10.625 \rightarrow 00:53:14.507$  help to guide the kind of generation of vaccines,

 $00:53:14.507 \rightarrow 00:53:16.374$  and also the generation of the rapeutics,

 $00:53:16.374 \longrightarrow 00:53:18.642$  because sites that are under

 $00:53:18.642 \longrightarrow 00:53:19.866$  selection are functional.

 $00:53:19.866 \rightarrow 00:53:20.892$  So if you actually design a therapeutic

 $00{:}53{:}20{.}892 \dashrightarrow 00{:}53{:}22{.}418$  that interferes with the sites that are under selection

00:53:22.418 --> 00:53:24.513 sort of in an opposite way, from vaccines, vaccines,

 $00{:}53{:}24{.}513$  -->  $00{:}53{:}26{.}041$  we really want to target something that just doesn't change.

 $00:53:26.041 \rightarrow 00:53:27.058$  With the rapeutics, we may want to target

 $00:53:27.058 \rightarrow 00:53:29.586$  the changing regions, if we can design something

 $00:53:29.586 \rightarrow 00:53:31.385$  that generically does, because those changing

00:53:31.385 - 00:53:32.314 regions are functional.

 $00{:}53{:}32{.}314$  -->  $00{:}53{:}33{.}147$  In other words, those sites at the end of the spike protein

 $00:53:33.147 \rightarrow 00:53:35.440$  are clearly ones that do bind the ACE gene.

 $00{:}53{:}35{.}440 \dashrightarrow 00{:}53{:}36{.}990$  It's just that they're flexible

 $00:53:37.939 \rightarrow 00:53:39.383$  about what they are in order to bind it.

 $00:53:41.975 \longrightarrow 00:53:43.240$  So we need to include

 $00{:}53{:}43{.}240$  -->  $00{:}53{:}46{.}047$  all of those changing sites, if we wanna dissolve develop

 $00{:}53{:}46.047$  -->  $00{:}53{:}50.190$  a the rapeutic that for instance, would somehow interfering

 $00{:}53{:}50{.}190$  -->  $00{:}53{:}53{.}459$  with the binding of Ace to receptors from the spike genes.

 $00{:}53{:}53{.}459 \dashrightarrow 00{:}53{:}56{.}223$  So thank you very much for listening to the ongoing work

 $00:53:56.223 \rightarrow 00:53:59.025$  we're doing on COVID-19.

 $00{:}53{:}59{.}025$  -->  $00{:}54{:}03{.}124$  I would love to entertain any questions that you have.

 $00:54:03.124 \rightarrow 00:54:04.888$  Let me just take one moment to acknowledge

 $00{:}54{:}04.888$  -->  $00{:}54{:}09.427$  some of the people that I should acknowledge in this work,

 $00{:}54{:}09{.}427 \dashrightarrow 00{:}54{:}11{.}421$  I already showed you a picture of John John who was earlier

00:54:11.421 --> 00:54:13.289 the the picture and the associated with the Mac ml approach

 $00{:}54{:}13.289 \dashrightarrow 00{:}54{:}15.317$  that we developed many years ago 10 years ago basically

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00:54:15.317 \rightarrow 00:54:17.635 Yinfei Wu has been taking the lead on this project.
00:54:17.635 \rightarrow 00:54:19.027 She's a master student.
00:54:19.027 \rightarrow 00:54:21.277 Yano os Wang was an assistant was in visiting
00:54:22.423 --> 00:54:24.204 Assistant Professor Stephen Gaugham,
00:54:24.204 \rightarrow 00:54:25.602 is in the Evie department
00:54:25.602 \rightarrow 00:54:27.587 has been helping out with this analysis.
00:54:27.587 \rightarrow 00:54:29.740 Haley Hassler is in my lab, has been helping out
00:54:29.740 --> 00:54:32.290 with phylogenetics Jayveer Singh is an undergrad
00:54:32.290 \rightarrow 00:54:35.030 who's been doing some of the research work
00:54:35.030 \rightarrow 00:54:37.188 some of the actually literature research
00:54:37.188 \rightarrow 00:54:38.540 that has helped us to contextualize
00:54:38.540 --> 00:54:40.910 the work we're doing Mofeed Najib
00:54:40.910 \rightarrow 00:54:43.760 produced those diagrams of the spike protein
00:54:43.760 \rightarrow 00:54:45.790 with the sites that we have identified
00:54:45.790 \rightarrow 00:54:47.323 as under selection so far,
00:54:48.380 --> 00:54:52.400 Zheng Wang is a long term collaborator of mine
who works
00:54:53.683 \rightarrow 00:54:55.530 on nearly all the phylogenetic projects
00:54:55.530 \rightarrow 00:54:58.670 that I do, who's works with me.
00:54:58.670 \rightarrow 00:55:02.070 And then Alex Thornburg is A long term collab-
orator of mine,
00:55:02.070 \rightarrow 00:55:05.870 now in North Carolina.
00:55:05.870 \rightarrow 00:55:07.950 He was while he's currently at the North Carolina
00:55:07.950 --> 00:55:11.390 Museum of sciences, but he works on a lot of
phylogenetic
00:55:11.390 - 00:55:13.100 projects with me as well.
00:55:13.100 \rightarrow 00:55:15.610 And by the way, all of this, fortunately
00:55:15.610 \rightarrow 00:55:19.120 was recently awarded one of the NSF rapid grants
00:55:19.120 \longrightarrow 00:55:20.060 to do this research.
00:55:20.060 \rightarrow 00:55:21.900 So we're very pleased to have funding to
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 $00{:}55{:}21{.}900 \dashrightarrow 00{:}55{:}25{.}068$  continue to work on this as time goes on, which is good

 $00:55:25.068 \rightarrow 00:55:26.530$  because it's taking quite a lot of work

 $00:55:27.426 \longrightarrow 00:55:28.283$  to do the sequence wrangling.

 $00:55:29.286 \dashrightarrow 00:55:30.119$  And the analyses themselves.

00:55:30.119 --> 00:55:32.190 As I mentioned, they're computationally intensive.

 $00:55:32.190 \rightarrow 00:55:34.660$  So Alex and I were the PI's on that particular

 $00:55:35.721 \rightarrow 00:55:36.620$  grant from the NSF.

 $00:55:36.620 \rightarrow 00:55:38.870$  So we're excited to continue to do that work.

00:55:40.596 --> 00:55:41.901 And with that, I think I would

 $00:55:41.901 \rightarrow 00:55:42.773$  like to entertain any questions you might have.

00:55:45.045 --> 00:55:46.745 - Thank you, Jeff, this was great.

 $00{:}55{:}47.617 \dashrightarrow 00{:}55{:}49.200$  I'm sure we have a lot of questions

 $00:55:49.200 \longrightarrow 00:55:50.563$  who gets first?

 $00{:}55{:}54{.}490 \dashrightarrow 00{:}55{:}56{.}490$  Again, you can type the questions on the

 $00:55:58.961 \longrightarrow 00:56:00.794$  chat box or just mute.

 $00:56:12.968 \rightarrow 00:56:14.100$  - I have a quick question.

00:56:14.100 --> 00:56:15.764 - Okay.

 $00{:}56{:}15{.}764$  -->  $00{:}56{:}19{.}560$  - You mentioned or you touched a bit on this before,

 $00:56:19.560 \rightarrow 00:56:23.600$  but how would this compare to cite wise estimates

 $00{:}56{:}23.600 \dashrightarrow 00{:}56{:}25.500$  of omega that you would get from Pamel

00:56:27.840 --> 00:56:28.673 or similar program?

00:56:28.673 --> 00:56:31.738 - So I'm sorry, I sort of was rushing at the end,

 $00{:}56{:}31{.}738 \dashrightarrow 00{:}56{:}34{.}792$  I didn't explain that, in fact, I'm using pamel for some,

00:56:34.792 --> 00:56:36.169 So I'm using Pamela

 $00{:}56{:}36{.}169$  -->  $00{:}56{:}38{.}657$  for the pre zoonosis analysis, and for the post zoonosis

 $00:56:39.615 \rightarrow 00:56:42.893$  analysis, because as I mentioned during the talk,

 $00:56:43.734 \rightarrow 00:56:45.664$  if you have a large phylogeny

 $00:56:45.664 \rightarrow 00:56:47.623$  with multiple branches, et cetera, et cetera,

 $00{:}56{:}49{.}376$  -->  $00{:}56{:}50{.}209$  where you can look over that entire phylogeny then you

 $00:56:51.360 \rightarrow 00:56:52.363$  can get multiple changes at individual sites,

 $00{:}56{:}53{.}233$  -->  $00{:}56{:}55{.}130$  which is what pamel actually uses to infer selection, right?

 $00:56:55.130 \rightarrow 00:56:57.170$  You have to have the site change not just once

 $00:56:57.170 \longrightarrow 00:56:59.393$  but twice or three times.

 $00:57:01.713 \rightarrow 00:57:02.546$  And then it says all that's under selection because

 $00:57:06.683 \rightarrow 00:57:10.350$  it keeps changing again and again and again.

 $00{:}57{:}11{.}571 \dashrightarrow 00{:}57{:}12{.}959$  So, so Pamela allows you to do that

 $00{:}57{:}12.959 \dashrightarrow 00{:}57{:}15.354$  if you have this sort of deep time

 $00{:}57{:}15{.}354{\:-}{-}{>}00{:}57{:}17{.}232$  or large amount of time and multiple lineages that you're

 $00{:}57{:}17{.}232 \dashrightarrow 00{:}57{:}19{.}275$  looking at, the master of approach that I'm using, enables

 $00{:}57{:}19{.}275$  -->  $00{:}57{:}22{.}170$  you to do that on just a single lineage without needing

00:57:22.170 --> 00:57:23.203 multiple changes, I mean, multiple changes

 $00{:}57{:}23.203 \dashrightarrow 00{:}57{:}24.578$  on a single language you can't even detect

 $00:57:24.578 \rightarrow 00:57:25.668$  because it just looks like one change

 $00{:}57{:}25{.}668 \dashrightarrow 00{:}57{:}28{.}135$  if you have the ancestral sequence, which is what we do

 $00{:}57{:}28.135 \dashrightarrow 00{:}57{:}30.634$  ancestral data summation, get the ancestral sequence.

 $00{:}57{:}30{.}634$  -->  $00{:}57{:}33{.}227$  And if you have the descendant sequence, a changes

 $00{:}57{:}33{.}227$ --> $00{:}57{:}34{.}714$  to T, you don't know if it changed to A to G to C to T again

 $00{:}57{:}34{.}714$  -->  $00{:}57{:}36{.}315$  or if it just changed a to T, you have no idea you can

00:57:36.315 - 00:57:38.047 just say it changed once.

 $00:57:38.047 \rightarrow 00:57:39.753$  And so there's no real way to run pants,

 $00:57:39.753 \rightarrow 00:57:41.159$  there is a way but it's really it's statistically

 $00:57:41.159 \rightarrow 00:57:41.992$  really underpowered terrible thing

 $00:57:41.992 \rightarrow 00:57:44.164$  to do to try to run pamel on a single lineage

 $00{:}57{:}44{.}164 \dashrightarrow 00{:}57{:}46{.}731$  and figure out whether something's under selection.

 $00:57:46.731 \longrightarrow 00:57:49.320$  The advantage of this approach is because it

 $00{:}57{:}49{.}320 \dashrightarrow 00{:}57{:}51{.}382$  can use that polymorphism data, the data of like what's

 $00{:}57{:}51{.}382 \dashrightarrow 00{:}57{:}54{.}072$  just circulating in within populations as a metric for how

 $00:57:54.072 \rightarrow 00:57:55.888$  much mutation is occurring.

 $00:57:55.888 \rightarrow 00:57:59.390$  You can essentially divide out by that

 $00{:}57{:}59{.}390 \dashrightarrow 00{:}58{:}02{.}680$  and then again, because we're integrating over all

 $00{:}58{:}03{.}544$  -->  $00{:}58{:}05{.}850$  these models of how these things change, we're essentially

 $00{:}58{:}06{.}879$  -->  $00{:}58{:}08{.}930$  borrowing information from neighboring sites for what their

00:58:10.488 --> 00:58:12.837 rates of change are, et cetera et cetera

 $00{:}58{:}12.837 \dashrightarrow 00{:}58{:}13.670$  to estimate what the possible amount

 $00{:}58{:}14.770 \dashrightarrow 00{:}58{:}16.122$  of selection is on all these sites.

 $00{:}58{:}16.122 \dashrightarrow 00{:}58{:}19.263$  So by using the polymorphism data, and by doing this model

 $00:58:19.263 \rightarrow 00:58:21.445$  averaging approach, we're actually able

 $00:58:21.445 \rightarrow 00:58:23.100$  to take individual lineages and estimate

 $00:58:23.100 \longrightarrow 00:58:25.050$  the selection on them.

 $00{:}58{:}25{.}050 \dashrightarrow 00{:}58{:}28{.}880$  And that's what we're doing in the near zonosis analysis

 $00:58:28.880 \rightarrow 00:58:30.730$  that I showed you in the middle here.

 $00:58:32.610 \rightarrow 00:58:33.443$  So there are different ways of doing the analysis.

 $00{:}58{:}34{.}924 \dashrightarrow 00{:}58{:}37{.}174$  And it's necessitated by the fact that we just have this

 $00{:}58{:}37{.}174 \dashrightarrow 00{:}58{:}39{.}146$  one lineage and there's no way it won't be a single lineage

 $00:58:39.146 \rightarrow 00:58:41.884$  in any dataset we look at because for zoonosis,

 $00:58:41.884 \rightarrow 00:58:43.950$  we're going to have human sequences,

 $00:58:43.950 \rightarrow 00:58:44.783$  we're gonna have some animal sequences,

00:58:44.783 --> 00:58:47.722 we're not going to know we're not going

00:58:47.722 --> 00:58:50.010 to have any information about the actual zoonosis. 00:58:50.010 - 00:58:51.600 Even if we knew the first human,  $00:58:51.600 \rightarrow 00:58:54.011$  we could just take that as an estimate.  $00:58:54.011 \rightarrow 00:58:55.680$  We still probably need some data here.  $00:58:55.680 \rightarrow 00:58:57.970$  Maybe you could have the first human  $00:58:57.970 \rightarrow 00:58:59.910$  and the first animal that you got it from.  $00:58:59.910 \rightarrow 00:59:00.960$  That just doesn't exist.  $00:59:00.960 \rightarrow 00:59:03.500$  We don't have that data for any zoonosis.  $00:59:03.500 \rightarrow 00:59:06.690$  How would we would never be there at the moment.  $00:59:06.690 \rightarrow 00:59:08.710$  So we have to assume that there's a number  $00:59:08.710 \rightarrow 00:59:10.400$  of transmissions among humans  $00:59:10.400 \rightarrow 00:59:13.164$  and a number of transmissions among animals  $00:59:13.164 \rightarrow 00:59:14.090$  during that near zoonotic period.  $00:59:14.090 \rightarrow 00:59:15.600$  And it's just a single lineage.  $00:59:15.600 \rightarrow 00:59:17.513$  So we can't really run pamel on that,  $00:59:19.061 \rightarrow 00:59:21.095$  in summary, because pamel requires multiple  $00:59:21.095 \rightarrow 00:59:22.330$  changes multiple lineages to have power  $00:59:23.201 \rightarrow 00:59:24.730$  to actually infer evolutionary change. 00:59:24.730 --> 00:59:26.640 MASS-PRF fortunatelY, can do that,  $00:59:26.640 \rightarrow 00:59:28.450$  because you can look on single lineages.  $00:59:28.450 \rightarrow 00:59:31.270$  So you can use MK tests as well on single lineage  $00:59:32.533 \rightarrow 00:59:34.063$  is basically designed to look at single lineages. 00:59:35.544 --> 00:59:36.523 But the problem with MK tests, as I mentioned,  $00:59:37.371 \rightarrow 00:59:38.813$  is that they're assuming the entire  $00:59:38.813 \rightarrow 00:59:39.910$  gene is under selection, which means it doesn't give you  $00:59:41.071 \rightarrow 00:59:43.120$  the scope or understanding about recombination 00:59:44.044 --> 00:59:46.088 binding gene sites under selection or something like that.  $00:59:46.088 \rightarrow 00:59:47.440$  It often will just give you a result of the genes not

under

 $00:59:47.440 \longrightarrow 00:59:49.023$  selection, which is not true.

 $00:59:51.386 \rightarrow 00:59:52.219$  - Does that answer your question?

 $00{:}59{:}53{.}599 \dashrightarrow 00{:}59{:}54{.}673$  - Yes.

 $00{:}59{:}54{.}673 \dashrightarrow 00{:}59{:}55{.}506$  - Great.

00:59:59.966 --> 01:00:01.799 - Any other questions?

 $01:00:03.691 \rightarrow 01:00:04.980$  - I have one more if no one else wants to.

01:00:04.980 --> 01:00:06.690 - Sure, go ahead.

01:00:06.690 --> 01:00:10.480 - So in B cells, we have mechanisms

 $01:00:10.480 \rightarrow 01:00:12.560$  that have mutation that specifically

 $01:00:12.560 \rightarrow 01:00:16.637$  bias towards replacement mutations.

 $01:00:16.637 \rightarrow 01:00:18.350$  So in the absence of selection,

 $01{:}00{:}18.350 \dashrightarrow 01{:}00{:}21.050$  the mutation mechanisms actually cause

 $01:00:21.050 \longrightarrow 01:00:22.533$  an Omega greater than one.

 $01:00:24.270 \rightarrow 01:00:27.690$  would this have any way of correcting for that?

01:00:27.690 --> 01:00:30.796 - So the tricky part is, and I don't know how it might,

 $01{:}00{:}30.796$  -->  $01{:}00{:}33.062$  the tricky part is not so much running the software,

 $01:00:33.062 \rightarrow 01:00:37.310$  which you could certainly do on that.

01:00:37.310 --> 01:00:38.900 The tricky part would be identifying

 $01:00:38.900 \rightarrow 01:00:43.000$  what polymorphism is, in the case of those cells.

 $01{:}00{:}43.000 \dashrightarrow 01{:}00{:}47.000$  So if you could identify sets of cells that are undergoing

 $01{:}00{:}47.000 \dashrightarrow 01{:}00{:}50.718$  the mutation but aren't under selection in some way, then

 $01{:}00{:}50{.}718$  -->  $01{:}00{:}54{.}360$  you could use that as the proxy for the way we use it here

 $01{:}00{:}54.360$  -->  $01{:}00{:}57.140$  is polymorphism within population polymorphism,

 $01{:}00{:}57{.}140 \dashrightarrow 01{:}00{:}58{.}290$  and then estimate that.

 $01:00:59.176 \rightarrow 01:01:01.235$  I just don't know whether you have a way of

 $01{:}01{:}01{:}235 \dashrightarrow 01{:}01{:}02.068$  doing Doing that if you want to discuss

 $01:01:02.917 \rightarrow 01:01:04.795$  it with me, we could.

 $01{:}01{:}04{.}795 \dashrightarrow 01{:}01{:}06{.}803$  That's sort of always the key for detecting selection.

01:01:09.279 --> 01:01:11.089 And it's, you know, many of you may be familiar that I work

 $01{:}01{:}11{.}089 \dashrightarrow 01{:}01{:}13{.}463$  on cancer and some of the work that I do.

01:01:13.463 --> 01:01:14.546 It's the same

 $01{:}01{:}17.573$  -->  $01{:}01{:}20.593$  problem that I'm working on there all the time, I'm trying

 $01{:}01{:}20.593 \dashrightarrow 01{:}01{:}23.196$  to understand what the baseline mutation rates of cancer

 $01:01:23.196 \rightarrow 01:01:25.181$  in cancer and somatic evolution of cells are.

01:01:25.181 --> 01:01:27.355 Because if I understand the baseline rates

 $01{:}01{:}27.355 \dashrightarrow 01{:}01{:}28.963$  , how often those things change,

 $01:01:28.963 \rightarrow 01:01:29.878$  just the mutation alone,

 $01:01:29.878 \rightarrow 01:01:31.722$  then I can always estimate selection.

 $01:01:31.722 \rightarrow 01:01:34.292$  And that's the thing we almost always want to

01:01:34.292 --> 01:01:37.258 know about in the analog analysis of sequence data.

01:01:37.258 --> 01:01:42.217 So, again, it's all about figuring out if there's some piece

 $01{:}01{:}42{.}217$  -->  $01{:}01{:}45{.}790$  of the data that can be used to estimate that polymorphism

 $01{:}01{:}45{.}790$  -->  $01{:}01{:}47{.}863$  and an approach like this, the benefit of an approach like

01:01:47.863 --> 01:01:50.126 this would be, you know, maybe you can estimate that for

01:01:50.126 --> 01:01:51.799 some portions of the gene, but not others, you know, maybe

 $01{:}01{:}51{.}799 \dashrightarrow 01{:}01{:}53{.}583$  then there's a way that you could use this sort of model

 $01{:}01{:}53.583$  -->  $01{:}01{:}55.030$  averaging approach to get at the underlying rate that it's

01:01:55.986 --> 01:01:56.819 happening, even if you can't estimate

 $01{:}01{:}58{.}111 \dashrightarrow 01{:}01{:}58{.}944$  for that particular site, for instance.

 $01:02:00.284 \rightarrow 01:02:02.314$  So I think the Might be potential to do it,

01:02:02.314 --> 01:02:04.408 but it just depends, you know, about on whether 01:02:04.408 --> 01:02:07.430 there's a critical, you know, set of data in what you're

 $01:02:08.990 \rightarrow 01:02:11.624$  looking at which I haven't spent much time

 $01:02:11.624 \rightarrow 01:02:13.218$  looking at back in the day.

01:02:13.218 --> 01:02:14.987 So I wouldn't know whether there's some way

 $01{:}02{:}14.987 \dashrightarrow 01{:}02{:}18.630$  of baseline getting that baseline polymorphism or baseline

 $01{:}02{:}18.630 \dashrightarrow 01{:}02{:}21.633$  mutation rate, which essentially amounts to the same thing.

 $01{:}02{:}22.545$  -->  $01{:}02{:}25.559$  It just depends on whether, you know, you're assuming the

01:02:25.559 --> 01:02:28.901 population is sort of has, you know,

 $01{:}02{:}28{.}901 \dashrightarrow 01{:}02{:}31{.}231$  it's just whether you're looking at at a population level,

 $01:02:31.231 \rightarrow 01:02:32.560$  or you have some sort of covariance matrix

 $01:02:33.653 \rightarrow 01:02:35.063$  to better understand the mutation rates itself.

 $01:02:36.180 \rightarrow 01:02:37.513$  - I think there is a similar population B cells,

01:02:37.513 --> 01:02:41.233 - Great, so I encourage you to look into that.

01:02:44.150 --> 01:02:46.570 - Jeff, I have a quick question.

 $01:02:46.570 \rightarrow 01:02:49.600$  I'm not too familiar with genome sequencing.

 $01{:}02{:}49.600 \dashrightarrow 01{:}02{:}52.510$  But I think the Clustering Problem,

 $01:02:52.510 \rightarrow 01:02:55.330$  the issue and the solution you have

 $01{:}02{:}55{.}330 \dashrightarrow 01{:}02{:}58{.}030$  can be applied to many types of data.

 $01:02:58.030 \longrightarrow 01:02:59.370$  So I'm kind of confused.

 $01:02:59.370 \longrightarrow 01:03:01.830$  So you start In the diagram where you describe

 $01{:}03{:}01{.}830 \dashrightarrow 01{:}03{:}05{.}610$  the different steps, you said that you first pick the most

 $01:03:05.610 \longrightarrow 01:03:06.855$  likely cluster and then you essentially

 $01:03:06.855 \dashrightarrow 01:03:09.305$  keep splitting the clusters, right?

01:03:09.305 --> 01:03:11.551 How do you get the first clusters? Like

 $01{:}03{:}11{.}551$  -->  $01{:}03{:}16{.}168$  there is some randomness in how you split the first?

01:03:16.168 --> 01:03:18.746 - Oh, so I sorry, I apologize.

01:03:18.746 --> 01:03:22.350 I didn't explain it in enough detail.

01:03:22.350 --> 01:03:24.380 The reason why it's so computationally intensive

 $01:03:24.380 \longrightarrow 01:03:26.668$  is we look at all possible.

 $01:03:26.668 \rightarrow 01:03:28.910$  all possible exhaustedly.

 $01:03:28.910 \rightarrow 01:03:31.330$  Now, I actually spent a year of my life trying

 $01:03:31.330 \rightarrow 01:03:34.070$  to find a way to develop a Bayesian approach

 $01:03:34.070 \rightarrow 01:03:35.870$  or some approach that would allow me

 $01:03:38.006 \rightarrow 01:03:39.880$  to not look at all possible, you know, like to

 $01:03:39.880 \rightarrow 01:03:40.713$  make this because because if you could do that,

 $01{:}03{:}40{.}713{\:-}{>}01{:}03{:}45{.}094$  this would be a great way for doing tons of different things

01:03:45.094 --> 01:03:47.094 on very large data sets, right, large, like,

01:03:47.094 --> 01:03:50.200 and what amazed me is, I found that

 $01:03:50.200 \rightarrow 01:03:53.445$  it was just an impenetrable problem.

01:03:53.445 --> 01:03:55.770 If I didn't look at every possible model.

 $01:03:55.770 \longrightarrow 01:03:59.840$  I could not get it to work I couldn't prove that

 $01{:}03{:}59{.}840 \dashrightarrow 01{:}04{:}02{.}563$  That's Through like, I don't have any proof, that's true.

01:04:03.652 --> 01:04:05.183 And I would encourage anyone who really wants to dive

 $01:04:05.183 \longrightarrow 01:04:06.016$  in there, go ahead.

01:04:06.016 --> 01:04:06.970 But I'll warn you that I spent a year

 $01{:}04{:}06{.}970 \dashrightarrow 01{:}04{:}09{.}184$  banging my head against that problem.

01:04:09.184 --> 01:04:10.275 And when I didn't

01:04:10.275 --> 01:04:11.882 exhaustively search all the models, I could not, I always

 $01{:}04{:}11.882$  -->  $01{:}04{:}15.534$  caused these biases, like there was no way to sample them.

 $01:04:15.534 \rightarrow 01:04:17.217$  I even have ways of sampling the models

01:04:17.217 --> 01:04:19.493 according to their probability.

 $01{:}04{:}23.767 \dashrightarrow 01{:}04{:}27.517$  But even that causes a bias because sometimes

 $01:04:30.526 \longrightarrow 01:04:31.359$  there's a large number.

01:04:31.359 --> 01:04:33.693 So if you look at the, if you think

 $01{:}04{:}33.693 \dashrightarrow 01{:}04{:}35.415$  about the set of models, it's a very large set of models.

 $01:04:35.415 \longrightarrow 01:04:37.915$  And there isn't actually a huge amount

01:04:37.915 --> 01:04:41.839 of likelihood differences between these models.

 $01:04:41.839 \rightarrow 01:04:43.256$  That's the thing.

 $01{:}04{:}44.596 \dashrightarrow 01{:}04{:}49.497$  So when you don't exhaustively sample the models,

 $01:04:49.497 \rightarrow 01:04:53.464$  if you just sample some of the most likely models,

 $01:04:53.464 \rightarrow 01:04:55.728$  you actually are sampling just

 $01:04:55.728 \longrightarrow 01:04:57.137$  one corner of the space.

01:04:57.137 --> 01:04:59.487 And it's possible for a bunch of

 $01:04:59.487 \rightarrow 01:05:00.320$  not quite so likely models, but reasonable models

 $01:05:00.320 \rightarrow 01:05:02.747$  that are not in that corner to sort of be actually

 $01:05:02.747 \dashrightarrow 01:05:03.830$  highly influential on the model average.

 $01:05:03.830 \rightarrow 01:05:04.663$  And so the bottom line is like sampling

 $01{:}05{:}04.663 \dashrightarrow 01{:}05{:}06.471$  by trying to pick in the you know, most likely space doesn't

01:05:06.471 --> 01:05:07.430 work sampling by picking randomly doesn't work.

 $01:05:07.430 \rightarrow 01:05:08.939$  And I could go into more detail about it.

 $01:05:08.939 \rightarrow 01:05:10.400$  But it turned out that I couldn't do it

 $01:05:10.400 \rightarrow 01:05:11.641$  any way other than exhaustive sampling.

 $01{:}05{:}11.641 \dashrightarrow 01{:}05{:}13.512$  So, I say that Sorry, I missed that mistake.

01:05:13.512 $\operatorname{-->}$ 01:05:16.130 I couldn't do it by any biased approach

 $01{:}05{:}16{.}130 \dashrightarrow 01{:}05{:}18{.}152$  towards that exhaustive handling

 $01:05:18.152 \rightarrow 01:05:19.413$  the approach that I'm showing you right here.

 $01:05:20.546 \rightarrow 01:05:21.986$  Actually, there are two ways of doing it.

01:05:21.986 --> 01:05:23.220 One is to sample stochastically,

 $01{:}05{:}23.220 \dashrightarrow 01{:}05{:}27.180$  according to likelihood, and the other is to sample exactly

01:05:27.180 --> 01:05:30.210 across all exhausted sampling significantly works.

 $01:05:30.210 \rightarrow 01:05:32.662$  In fact, it's implemented in the approach that I

01:05:32.662 --> 01:05:35.243 was just showing, I'm sorry, I just sort of jumped too fast

 $01:05:35.243 \rightarrow 01:05:36.877$  to say what I was saying.

 $01:05:36.877 \rightarrow 01:05:38.169$  So sampling stochastically works

 $01{:}05{:}38{.}169{\:-->}01{:}05{:}39{.}700$  and sampling exhaustively work sampling stochastically is

 $01:05:39.700 \rightarrow 01:05:41.652$  still very computationally intensive.

01:05:41.652 --> 01:05:44.204 But there's no I couldn't

01:05:44.204 --> 01:05:46.990 find any way to sort of, you know, important sample or do

 $01{:}05{:}48{.}264 \dashrightarrow 01{:}05{:}49{.}633$  some sort of approach that would allow me to get a smaller

 $01{:}05{:}49.633 \dashrightarrow 01{:}05{:}52.616$  set of models, which would then if we could do that,

 $01:05:52.616 \rightarrow 01:05:55.070$  that could be really important,

01:05:55.070 - 01:05:57.194 because then you could do this

01:05:57.194 --> 01:05:58.630 on more than like 2000 site,

 $01:05:58.630 \rightarrow 01:06:00.110$  it's somewhere around 2000 sites.

 $01:06:00.110 \rightarrow 01:06:02.310$  So you start running into real problems with

 $01:06:03.505 \rightarrow 01:06:04.850$  just too much computing computation time

 $01:06:06.384 \longrightarrow 01:06:07.228$  to make it worthwhile.

01:06:07.228 --> 01:06:09.583 So we could extend this to 10,000 100,000, you know,

 $01{:}06{:}10.874 \dashrightarrow 01{:}06{:}12.990$  potentially really, really large numbers of sites,

 $01{:}06{:}12.990 \dashrightarrow 01{:}06{:}15.650$  and really, really sparse sets of sites.

 $01:06:15.650 \longrightarrow 01:06:17.640$  If only we could find a way

 $01{:}06{:}19.342 \dashrightarrow 01{:}06{:}22.142$  to bias the sampling towards models that are more likely

 $01{:}06{:}24.040 \dashrightarrow 01{:}06{:}25.637$  without causing biases in the results.

 $01{:}06{:}25.637 \dashrightarrow 01{:}06{:}26.470$  I couldn't find any way to do.

 $01{:}06{:}27{.}370 \dashrightarrow 01{:}06{:}30{.}360$  - This seems very much related to tree based

 $01{:}06{:}30{.}360$  -->  $01{:}06{:}34{.}360$  methods where essentially you've got, like split the space

 $01:06:35.600 \rightarrow 01:06:38.073$  and then you model of geology models,

 $01:06:38.966 \rightarrow 01:06:40.650$  like the random forest, for example,

01:06:40.650 - 01:06:43.213 or is very much related to that right.

 $01{:}06{:}45{.}447 \dashrightarrow 01{:}06{:}47{.}460$  - Yeah, I have to say I was now familiar

 $01:06:47.460 \longrightarrow 01:06:48.830$  with those approaches.

01:06:48.830 --> 01:06:52.351 But when I was completely unfamiliar with it, yeah, I sort

 $01{:}06{:}52{.}351 \dashrightarrow 01{:}06{:}53{.}690$  of thought about it that way.

 $01{:}06{:}53.690 \dashrightarrow 01{:}06{:}55.680$  But you're absolutely right.

01:06:55.680 --> 01:06:57.250 Yeah, I guess the difference but here

 $01{:}06{:}57{.}250 \dashrightarrow 01{:}06{:}59{.}757$  you have a sequence like one sequence,

 $01:06:59.757 \rightarrow 01:07:01.114$  t<br/>ghere you have a space.

01:07:01.114 --> 01:07:02.418 So you just split in

 $01:07:02.418 \rightarrow 01:07:04.888$  different dimensions, but it is really good.

01:07:04.888 --> 01:07:09.888 - And I can mention, just to speculate,

 $01{:}07{:}10.170 \dashrightarrow 01{:}07{:}12.100$  I'm kind of interested in a number of

01:07:13.390 --> 01:07:14.383 other ways of applying this.

 $01:07:15.349 \rightarrow 01:07:17.210$  So for instance, if the one I've been thinking about

 $01{:}07{:}18.257 \dashrightarrow 01{:}07{:}19.754$  and actually worked on a little

 $01:07:19.754 \rightarrow 01:07:20.739$  bit haven't gotten very far with, but it's like,

 $01:07:20.739 \rightarrow 01:07:22.070$  when you're dealing with event spaces over time,

01:07:22.070 --> 01:07:24.390 like if you have days, and you have individuals like,

 $01:07:24.390 \longrightarrow 01:07:26.690$  prominent us in public health,

 $01:07:26.690 \rightarrow 01:07:29.110$  like individuals who are undergoing events

 $01:07:29.110 \rightarrow 01:07:31.180$  you end up with a very sparse matrix of events.

 $01:07:31.180 \longrightarrow 01:07:36.180$  And so we use these approaches like survival plots

 $01{:}07{:}37{.}895 \dashrightarrow 01{:}07{:}40{.}096$  all these approaches that we use to sort of understand

 $01:07:40.096 \rightarrow 01:07:40.929$  how these rare events are happening,

 $01:07:42.161 \rightarrow 01:07:43.611$  and how people are changing over this,

 $01:07:43.611 \rightarrow 01:07:45.100$  that event space is actually really sparse.

 $01:07:45.100 \longrightarrow 01:07:46.970$  But it's kind of a matrix.

01:07:46.970 --> 01:07:48.380 And you could do this in two dimensions,

01:07:48.380 --> 01:07:49.360 not just one, right?

01:07:49.360 --> 01:07:51.590 So you could model average across two dimensions,

 $01:07:51.590 \rightarrow 01:07:53.472$  and then you could get something

 $01{:}07{:}53.472$  -->  $01{:}07{:}55.030$  that the thing that really appeals to me about that is that

 $01:07:55.030 \rightarrow 01:07:58.393$  again, it's really this approach is really,

 $01:08:00.360 \longrightarrow 01:08:04.427$  it only builds up from the this binomial event

 $01{:}08{:}04{.}427 \dashrightarrow 01{:}08{:}08{.}540$  No, no event, stuff, a picture that's very continuous over

 $01:08:08.540 \rightarrow 01:08:10.660$  over the space and involves no assumptions

 $01:08:10.660 \rightarrow 01:08:12.310$  about distribution whatsoever.

 $01:08:12.310 \rightarrow 01:08:14.180$  So I'm just wondering if there aren't instances

01:08:14.180 --> 01:08:16.170 where, you know, we could come up

 $01:08:17.046 \rightarrow 01:08:18.500$  with a better understanding of what's going on

 $01:08:18.500 \rightarrow 01:08:20.270$  with individuals in a matrix such as

 $01:08:20.270 \longrightarrow 01:08:22.090$  that by using this approach.

 $01:08:22.090 \longrightarrow 01:08:23.300$  And it's an approach that is

 $01{:}08{:}23{.}300$  -->  $01{:}08{:}26{.}380$  that still works even with these sparse spaces, because

 $01{:}08{:}26{.}380$  -->  $01{:}08{:}28{.}930$  you can model average over these tremendously large number

 $01:08:28.930 \rightarrow 01:08:31.170$  of models that all have fairly likely fairly

 $01:08:32.919 \rightarrow 01:08:33.752$  equal likelihood to get a result.

 $01{:}08{:}34{.}883 \dashrightarrow 01{:}08{:}36{.}605$  So I don't know that's just a sort of a

 $01{:}08{:}36.605 \dashrightarrow 01{:}08{:}37.603$  speculation that there might be some interesting approaches

 $01{:}08{:}37{.}603 \dashrightarrow 01{:}08{:}41{.}031$  , ways to approach those problems using this kind of kind

 $01:08:41.031 \rightarrow 01:08:43.903$  of model averaging technique.

01:08:46.360 --> 01:08:48.870 - Great, I think we should wrap up.

01:08:48.870 --> 01:08:52.200 Thank you, Jeff, for this great presentation was great.

 $01{:}08{:}52{.}200 \dashrightarrow 01{:}08{:}54{.}843$  And thank you all for joining today.

01:08:56.604 --> 01:08:57.930 See you next next seminar

01:08:57.930 --> 01:09:01.283 is gonna be I think, July 14.

 $01:09:01.283 \longrightarrow 01:09:05.430$  So we'll send out invites.

 $01:09:05.430 \longrightarrow 01:09:07.331$  All right, thank you, Jeff.

 $01:09:07.331 \longrightarrow 01:09:08.223$  Thank you all, bye, bye.